Holy Cross College (Autonomous), Nagercoil Kanyakumari District, Tamil Nadu. Accredited with A⁺ by NAAC - IV cycle – CGPA 3.35

Affiliated to Manonmaniam Sundaranar University, Tirunelveli



Semester I - IV

Guidelines & Syllabus

DEPARTMENT OF MATHEMATICS



2023-2026 (With effect from the academic year 2024-2025)

Issued from THE DEANS' OFFICE

Vision

To empower women globally competent with human values and ethics acquiring academic and entrepreneurship skills through holistic education.

Mission

- 1. To create opportunities which will ensure academic excellence in critical thinking,humanistic and scientific inquiry.
- 2. To develop application-oriented courses with the necessary input of values.
- 3. To create a possible environment for innovation, team spirit and entrepreneurial leadership.
- 4. To form young women of competence, commitment and compassion.

Graduate Attributes

Graduates of our College develop the following attributes during the course of their

studies.

Creative thinking:

Equipping students with hands-on-training through skill based courses and promote startup.

Personality development:

Coping with increasing pace and change of modern life through value education, awareness on human rights, gender issues and giving counselling for the needful.

> Environmental consciousness and social understanding:

Reflecting upon green initiatives and understanding the responsibility to contribute to the society; promoting social and cultural diversity through student training and service learning programmes.

Communicative competence:

Offering effective communication skills in both professional and social contexts through bridge courses and activities of clubs and committees.

> Aesthetic skills:

Engaging mind, body and emotions for transformation through fine arts, meditation and exercise; enriching skills through certificate courses offered by Holy Cross Academy.

> Research and knowledge enrichment:

Getting in-depth knowledge in the specific area of study through relevant core papers; ability to create new understanding through the process of critical analysis and problem solving.

> Professional ethics:

Valuing honesty, fairness, respect, compassion and professional ethics among students. The students of social work adhere to the *National Association of Social Workers Code of Ethics*

Student engagement in the learning process:

Obtaining extensive and varied opportunities to utilize and build upon the theoretical and empirical knowledge gained through workshops, seminars, conferences, industrial visits and summer internship programmes.

> Employability:

Enhancing students in their professional life through Entrepreneur development, Placement & Career guidance Cell.

> Women empowerment and leadership:

Developing the capacity of self-management, team work, leadership and decision making through gender sensitization programmes.

	Programme Educational Objectives (PEOs)	
POs	Upon completion of M. Sc. Degree Programme, the graduates will be able to:	Mapping with Mission
PEO1	apply scientific and computational technology to solve social and ecological issues and pursue research.	M1, M2
PEO2	continue to learn and advance their career in industry both in private and public sectors.	M4 & M5
PEO3	develop leadership, teamwork, and professional abilities to become a more cultured and civilized person and to tackle the challenges in serving the country.	M2, M5 & M6

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Programme Outcomes (POs)

Pos	Upon completion of M.Sc. Degree Programme, the graduates will be able to:	Mapping with PEOs
PO1	apply their knowledge, analyze complex problems, think independently, formulate and perform quality research.	PEO1 & PEO2
PO2	carry out internship programmes and research projects to develop scientific and innovative ideas through effective communication.	PEO1, PEO2 & PEO3
PO3	develop a multidisciplinary perspective and contribute to the knowledge capital of the globe.	PEO2
PO4	develop innovative initiatives to sustain ecofriendly environment	PEO1, PEO2
PO5	through active career, team work and using managerial skills guide people to the right destination in a smooth and efficient way.	PEO2
PO6	employ appropriate analysis tools and ICT in a range of learning scenarios, demonstrating the capacity to find, assess, and apply relevant information sources.	PEO1, PEO2 & PEO3
PO7	learn independently for lifelong executing professional, social and ethical responsibilities leading to sustainable development.	PEO3

Programme Specific Outcomes (PSOs)

PSO	Upon completion of M.Sc. Degree Programme, the graduates of Mathematics will be able to:	PO Addressed
PSO-1	acquire good knowledge and understanding, to solve specific theoretical & applied problems in different area of mathematics & statistics	PO1 & PO2
PSO-2	understand, formulate, develop mathematical arguments, logically and use quantitative models to address issues arising in social sciences, business and other context /fields.	PO3 & PO5
PSO-3	prepare the students who will demonstrate respectful engagement with other's ideas, behaviors, beliefs and apply diverse frames of references to decisions and actions	PO6
PSO-4	pursue scientific research and develop new findings with global Impact using latest technologies.	PO4 & PO7
PSO-5	possess leadership, teamwork and professional skills, enabling them to become cultured and civilized individuals capable of effectively overcoming challenges in both private and public sectors.	

POs	PSO1	PSO2	PSO3	PSO4	PSO5
PO 1	S	М	S	S	S
PO 2	S	S	S	S	М
PO 3	S	S	М	S	S
PO4	S	М	S	S	М
PO5	М	S	М	S	S
PO6	S	S	S	М	S
PO7	S	S	S	S	S

Mapping of PO'S and PSO'S

Strong -S (3), Medium – M (2), Low – L (1)

Eligibility

(i) For Admission: A candidate who is a graduate of this college or any other recognized University in the main subject/subjects as given below against each or who has passed an examination accepted as equivalent thereto by the Syndicate of Manonmaniam Sundaranar University, Tirunelveli, is eligible for admission.

ii)Degree

The candidates shall have subsequently undergone the prescribed Programme of study in Holy Cross College (Autonomous) affiliated to the Manonmaniam Sundaranar University for a period of not less than two academic years comprising four semesters, passed the examinations prescribed and fulfilled such conditions as have been prescribed there of.

Duration

The duration of PG Programme is for a period of two years.

Components					
Core Course	12x 100	1200			
Elective Course	7 x 100	700			
Core Research Project	1 x 100	100			
Total Marks		2000			

Course Structure Distribution of Hours and Credits

(i) Curricular Courses:

Course		SEMESTER			Total	
	Ι	II	III	IV	Hours	Credits
Core Course	7(5) +	6(5)+	6(5) +	6(5) +	74	58
	7(5) +	6(5) +	6(5) +	6 (5)+		
	6(4)	6(4)	6(5)	6(5)		
Elective Course	5 (3) +	4 (3) +	4(3)	4 (3)	30	21
	5 (3)	4 (3)	-	+4(3)		
Core Research Project		-	5(4)		5	4
Skill Enhancement Course		4 (2)	3 (2)	4 (2)	11	6
Internship			(2)		-	2
Total	30 (20)	30 (22)	30 (26)	30 (23)	120	91

Course		SEMESTER			Total	
	Ι	II	III	IV	Credits	
Life Skill Training –I	-	(1)	-	-	1	
Life Skill Training –II	-	-	-	(1)	1	
Field Project	(1)		-		1	
Specific Value-Added Courses	(1)		(1)		2	
Generic Value-Added Courses		(1)		(1)	2	
MOOC		(1)		(1)	2	
Community Engagement Activity (UBA)		(1)			1	

(ii) Co-curricular Courses

Total Number of Hours=120Total Number of Credits=91 + (10)

Non-academic courses are mandatory and conducted outside the regular working hours.

COURSES OFFERED Semester I

Course Code	Title of the Course	Credits	Hours
MP231CC1	Core Course I: Algebraic Structures	5	7
MP231CC2	Core Course II: Real Analysis I	5	7
MP241CC3	Core Course III: Ordinary Differential Equations	4	6
MP231EC1	Elective Course I: a) Number theory and Cryptography		
MP231EC2	Elective Course I: b) Graph Theory and Applications	3	5
MP231EC3	Elective Course I: c) Programming In C++		
MP241EC4	Elective Course II: a) Discrete Mathematics		
MP231EC5	Elective Course II: b) Analytic Number Theory	3	5
MP231EC6	Elective Course II: c)Fuzzy sets and their Applications		
	Total	20	30

Semester II

Course Code	Title of the Course	Credits	Hours
MP232CC1	Core Course IV: Advanced Algebra	5	6
MP242CC2	Core Course V: Real Analysis II	5	6

	Total	22	30
MP242SE1	Skill Enhancement I Introduction to MS Excel 2007	2	4
MP232EC6	Elective Course IV: c)Neural Networks		
MP232EC5	Elective Course IV: b) Mathematical Python	3	4
MP232EC4	Elective Course IV: a) Operations Modeling		
MP232EC3	Elective Course III: c) Programming in C++Practical		
MP232EC2	Elective Course III: b) Statistical Data Analysis using R Programming	3	4
MP232EC1	Elective Course III: a) Mathematical Statistics		
MP232CC3	Core Course VI: Partial Differential	4	6

Semester III

Course Code	Title of the Course	Credits	Hours / Week
MP233CC1	Core Course VII: Complex Analysis	5	6
MP233CC2	Core Course VIII: Topology	5	6
MP233CC3	Core Course IX: Traditional Mechanics	5	6
MP233RP1	Core Research Project	4	5
MP233EC1	Elective Course V: a) Algorithmic Network Analysis		
MP233EC2	Elective Course V: b) Introduction to Machine Learning using Python	3	4
MP233EC3	Elective Course V: c) Coding Theory		
MP233SE1	Skill Enhancement Course II : Research Methodology	2	3
MP233IS1	Internship	2	-
	Total	26	30

Semester IV

Course Code	Title of the Course	Credits	Hours / Week
MP234CC1	Core Course X: Functional Analysis	5	6
MP234CC2	Core Course XI: Probability Theory	5	б
MP234CC3	Core Course XII: Numerical Analysis	5	6
MP234EC1	Elective Course VI: a) Network Security and Cryptography		
MP234EC2	Elective Course VI: b) Foundations of Computer Networking	3	4
MP234EC3	Elective Course VI: c) Data Communication		
MP234EC4	Elective Course VII: a) Applications of Mathematics In Artificial Intelligence	3	4

MP234SE1	Skill Enhancement Course III Training For Competitive Examinations	2	4
MP234EC6	Elective Course VII: c) Stochastic Process		
	Mathematics		
MP234EC5	Elective Course VII: b) Financial		

Co-curricular Courses

Semester	Code	Title of the Course	Credit
I & II	PG23LST1	Life Skill Training	1
II & IV	_	MOOC	1+1
II	PG232CE1	Community Engagement Activity (UBA)	1
III & IV	PG23LST2	Life Skill Training	1
Ι	MP231FP1	Field Project	1
			1
I & III	MP231V01 / MP233V01	Specific Value-added Course	1+1
	GVAC2401 -	Generic Value-added Course	
II & IV			1 + 1
		Total	10

Specific Value added Course

Semester	Course code	Title of the course	Credits	Total hours
Ι	MP231V01	SCILAB	1	30
Ι	MP231V02	Creating Documents using LaTex	1	30
Ι	MP231V03	Resource Management Techniques	1	30
Ι	MP231V04	Mathematical Foundations for Data	1	30
		Science		
III	MP233V01	Documentation using Overleaf and	1	30
		Mathcha		
III	MP233V02	Chemical Graph Theory	1	30
III	MP233V03	Advanced Latex with Overleaf	1	30
III	MP233V04	Social Network Analysis	1	30

Self Learning Course

Semester	Course code	Title of the course
III	MP233SLI	Differential Equations for SET/ CSIR- NET Exam
IV	MP234SLI	Calculus of variations and integral equations

Examination Pattern

Curricular Courses:

i) Core Course / Elective Course

Internal: External–25:75

Continuous Internal Assessment (CIA)

Components	Marks
Internal test (2) (40 marks)	10
Quiz (2) (20 marks)	5
Seminar (10 marks)	5
Assignment: (Model Making, Exhibition, Role Play, Group Discussion, Problem Solving, Class Test, Open Book Test (Minimum three items per course) (30 marks)	5
Total	25

Question	Pattern
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Internal Test	Marks	External Exam	Marks
Part A 4 x 1 (No choice)	4	Part A 10 x 1 (No choice)	10
Part B 2 x 6 (Internal choice)	12	Part B 5 x 6 (Internal choice)	30
Part C 2 x 12 (Internal choice)	24	Part C 5 x 12 (Internal choice)	60
Total	40	Total	100

ii) Core Lab Course:

Ratio of Internal and External= 25:75

Total: 100 marks

Internal Components and Distribution of Marks

Internal Components	Marks
Performance of the Experiments	10
Regularity in attending practical and submission of records	5
Record	5
Model exam	5
Total	25

Question pattern

External Exam	Marks
Major Practical	
Minor Practical / Spotters /Record	75
Total	75

iii) Core Research Project:

Ratio of Internal and External 25:75

Internal (Supervisor)	Marks
I Review	5
II Review	5
Report	15
External (External Examiner)	
Report	40
Viva-voce (individual, open viva-voce)	35
Total	100

iv) Skill Enhancement Course

Ratio of Internal and External = 25:75

Internal Components and Distribution of Marks

Components	Marks
Internal test $(2) - (40 \text{ marks})$	10
Quiz (2) – (20 marks)	5

Assignment: (Model Ma Activity (Mime, Skit, So		10			
		otal			25
Question Pattern				·	
Internal Test		Marks	External Ex	xam	Marks
Part A 2 x 2 (No Choice))	4	Part A 5 x 2	2 (No Choice)	10
Part B 3 x 4 (Open choic	e Three	12	Part B 5 x 4	(Open choice	20
out of Five)			any Five ou	t of Eight)	
Part C 1 x 9 (Open choic	e One	9		(Open choice	45
out of Three)		any Five ou	t of Eight)		
Total		25	Total		75
v) Internship				1	
omponents					Marks
dustry Contribution					50
eport & Viva-voce					50
Total Co-Curricular Cour					100
Internal Component	L			Ma	irks
omponents					
	Albun	n (20 page	s)		
ife Skill Training -I		n (20 page Activity			30
ife Skill Training -I	Group	Activity	y		
fe Skill Training -I	Group		y		30
	Group (Grou Total	Activity	y dents)		30 20
	Group (Grou Total	p of 5 stu	y dents)		30 20 50
ife Skill Training -II External Componen	Group (Grou Total Case S Total	p of 5 stu	y dents)		30 20 50 50
ife Skill Training -II External Componen	Group (Grou Total Case S Total	p of 5 stu	y dents) pages)		30 20 50 50
Life Skill Training -I ife Skill Training -II <u>External Componen</u> Vritten Test	Group (Grou Total Case S Total	Activity p of 5 stu Study (30 j	y dents) pages)		30 20 50 50 50
fe Skill Training -II <u>External Componen</u> ritten Test 'ield Project:	Group (Grou Total Case S Total t Five o	Activity p of 5 stu Study (30 j	y dents) pages)		30 20 50 50 50 50
ife Skill Training -II <u>External Componen</u> Tritten Test Tield Project:	Group (Grou Total Case S Total t Five o	Activity p of 5 stu Study (30 j	y dents) pages)		30 20 50 50 50 50 50 50 50
fe Skill Training -II External Componen Tritten Test Tield Project:	Group (Grou Total Case S Total t Five o	Activity p of 5 stu Study (30 j	y dents) pages)	Mar	30 20 50 50 50 50 50 50 50
ife Skill Training -II External Componen	Group (Grou Total Case S Total t Five o Total	Activity p of 5 stu Study (30 j	y dents) pages)	Mar	30 20 50 50 50 50 50 50 ks

(iii) Specific Value-Added Courses & Generic Value-Added Courses:

omponents	Marks
ternal	25
xternal	75
Total	100

(iv) Community Engagement Activity-UBA

Internal Component	
Component	Marks
Attendance (Field Work)	30
Participation	20
Total	50

External Component

Component	
	Marks
Group Project Report/ Case Study	
(10-15 pages in print)	50
Total	50

(v)Self Learning Course

Internal Test	Marks	External Exam	Marks
Part A 2 x 2 (No Choice)	4	Part A 5 x 2 (No Choice)	10
Part B 3 x 4 (Open choice Three	12	Part B 5 x 4 (Open choice	20
out of Five)		any Five out of Eight)	
Part C 1 x 9 (Open choice One	9	Part C 5 x 9 (Open choice	45
out of Three)		any Five out of Eight)	
Total	25	Total	75

Outcome Based Education (OBE)

(i) Knowledge levels for assessment of Outcomes based on Blooms Taxonomy

S.	Level	Parameter	Description
No.			
1	KI	Knowledge/Remembering	It is the ability to remember the previously
			learned
2	K2	Comprehension/Understanding	The learner explains ideas or concepts
3	K3	Application/Applying	The learner uses information in a new way
4	K4	Analysis/Analysing	The learner distinguishes among different parts
5	K5	Evaluation/Evaluating	The learner justifies a stand or decision
6	K6	Synthesis /Creating	The learner creates a new product or point of
			view

(ii) Weightage of K – levels in Question Paper Number of questions for each cognitive level:

rumber of questions for each cognitive reven														
Assessment	Cognitive Level	KI			K2			K3			K 4	, K	Total	
Internal Test	Part	Α	В	С	Α	В	С	Α	В	С	А	В	С	
	No. of Questions	1	1	I	1	I	I	1	I	1	2	1	1	8
External	Part	А	В	С	А	В	С	Α	В	С	А	В	С	
Examination	No. of Questions	3	-	1	3	1	1	1	2	1	3	2	2	20

The levels of assessment are flexible and it should assess the cognitive levels and outcome attainment.

Evaluation

- i. The performance of a student in each Course is evaluated in terms of percentage of marks with a provision for conversion to grade points.
- ii. Evaluation for each Course shall be done by a Continuous Internal Assessment (CIA) by the Course teacher as well as by an end semester examination and will be consolidated at the end of the semester.
- iii. There shall be examinations at the end of each semester, for odd semesters in October / November; for even semesters in April / May.
- iv. A candidate who does not pass the examination in any course (s) shall be permitted to reappear in such failed course (s) in the subsequent examination to be held in October / November or April / May. However, candidates who have arrears in Practical Examination(s) shall be permitted to re-appear for their arrears only along with Regular Practical examinations in the respective semester.

v. Viva- voce: Each candidate shall be required to appear for Viva-voce Examination in defense of the Project.

vi. The results of all the examinations will be published in the College website.

Conferment of the Master's Degree

A candidate shall be eligible for the conferment of the Degree of Master of Arts / Science/ Commerce only if the minimum required credits for the programme thereof (91 +10 credits) is earned.

Grading System

For a semester examination:

Calculation of Grade Point Average for End Semester Examination:

GPA = <u>Sum of the multiplication of grade points by the credits of the course</u> Sum of the credits of the courses (passed) in a semester

For the entire programme:

Cumulative Grade Point Average (CGPA) $\Sigma_n \Sigma_i C_{ni} G_{ni} / \Sigma_{ni} \Sigma_i C_{ni}$

- CGPA = <u>Sum of the multiplication of grade points by the credits of the entire programme</u>
 - Sum of the credits of the courses of the entire programme

where

C_i - Credits earned for course i in any semester

- Gi Grade point obtained for course i in any semester
- n semester in which such courses were credited

Final Result

Conversion of Marks to Grade Points and Letter Grade

Range of Marks	Grade Points	Letter Grade	Description
90-100	9.0-10.0	0	Outstanding
80-89	8.0-8.9	D+	Excellent
75-79	7.5-7.9	D	Distinction
70-74	7.0-7.4	A+	Very Good
60-69	6.0-6.9	А	Good
50-59	5.0-5.9	В	Average
00-49	0.0	U	Re-Appear
ABSENT	0.0	AAA	ABSENT

Overall Performance

CGPA	Grade	Classification of Final Results
9.5-10.0	O+	Einst Class Examplement
9.0 and above but below 9.5	0	First Class – Exemplary*
8.5 and above but below 9.0	D++	
8.0 and above but below 8.5	D+	First Class with Distinction*
7.5 and above but below 8.0	D	
7.0 and above but below 7.5	A++	Eirst Class
6.5 and above but below 7.0	A+	First Class
6.0and above but below 6.5	А	
5.5and above but below 6.0	B+	Second Class
5.0 and above but below 5.5	В	Second Class
0.0 and above but below 5.0	U	Re-appear

*The candidates who have passed in the first appearance and within the prescribed semester are eligible.

SEMESTER I

CORE COURSE – I: ALGEBRAIC STRUCTURES

Course Code	т	т	р	C	Credita	Inst Houng	Total		Marks	
Course Code	L	I	r	ð	Creans	Inst. Hours	Hours	CIA	External	Total
MP231CC1	5	2			5	7	105	25	75	100

Pre-requisite:

Students should know the basic concepts of modern Algebra

Learning Objectives:

- 1. To introduce the concepts and to develop working knowledge on class equation, solvability of groups.
- 2. To understand the concepts of finite abelian groups, linear transformations, real quadratic forms.

Course Outcomes

	Course Outcomes	
On the	successful completion of the course, student will be able to:	
1.	recall basic counting principle, define class equations to solve problems, explain Sylow's theorems and apply the theorem to find number of Sylow subgroups.	K1
2.	define Solvable groups, define direct products, examine the properties of finite abelian groups, define modules	K2
3.	define similar Transformations, define invariant subspace, explore the properties of triangular matrix, to find the index of nilpotence to decompose a space into invariant subspaces, to find invariants of linear transformation, to explore the properties of nil potent transformation relating nilpotence with invariants.	К3
4.	define Jordan, canonical form, Jordan blocks, define rational canonical form, define companion matrix of polynomial, find the elementary devices of transformation, apply the concepts to find characteristic polynomial of linear transformation.	K3, K4
5.	define trace, define transpose of a matrix, explain the properties of trace and transpose, to find trace, to find transpose of matrix, to prove Jacobson lemma using the triangular form, define symmetric matrix, skew symmetric matrix, adjoint, to define Hermitian, unitary, normal transformations and to Evaluate whether the transformation in Hermitian, unitary and normal	К5

K1-RememberK2 - Understand K3 - Apply K4- AnalyzeK5-Evaluate

Units	Contents	No. of Hours				
Ι	Counting Principle - Class equation for finite groups and its applications – Sylow's theorems (For theorem 2.12.1, First proof only). Chapter 2: Sections 2.11 and 2.12 (Omit Lemma 2.12.5)	21				
П	Solvable groups - Direct products - Finite abelian groups- Modules Chapter 5: Section 5.7 (Lemma 5.7.1, Lemma 5.7.2, Theorem 5.7.1) Chapter 2: Section 2.13 and 2.14 (Theorem 2.14.1 only) Chapter 4: Section 4.5					
III	Linear Transformations: Canonical forms - Triangular form - Nilpotent	21				

	transformations. Chapter 6: Sections 6.4, 6.5	
IV	Jordan form - rational canonical form. Chapter 6: Sections 6.6 and 6.7	21
V	Trace and transpose - Hermitian, unitary, normal transformations, real quadratic form. Chapter 6: Sections 6.8, 6.10 and 6.11 (Omit 6.9)	21
	Total	105

Self Study	Problems and definition
Textbook	

I. N. Herstein. Topics in Algebra (II Edition) Wiley Eastern Limited, New Delhi, 1975.

Reference Books

- 1. M. Artin, Algebra, Prentice Hall of India, 1991.
- 2. P.B. Bhattacharya, S.K.Jain, and S.R.Nagpaul, Basic Abstract Algebra (II Edition) Cambridge University Press, 1997. (Indian Edition)
- 3.I.S. Luther and I.B.S.Passi, Algebra, Vol. I Groups(1996); Vol.II Rings, Narosa Publishing House, New Delhi, 1999
- 4.D.S. Malik, J.N. Mordeson and M.K.Sen, Fundamental of Abstract Algebra, McGraw Hill (International Edition), New York,1997
- 5. N. Jacobson, Basic Algebra, Vol. I & amp; II W.H.Freeman (1980); also published by Hindustan Publishing Company, New Delhi.

Web Resources

1.https://math.libretexts.org/Bookshelves/Abstract_and_Geometric_Algebra/Abstract_Algebra%3 A_Theory_and_Applications_(Judson)/13%3A_The_Structure_of_Groups/13.01%3A_Finite_A belian_Groups

 $2.https://groupprops.subwiki.org/wiki/Finite_abelian_group$

3.https://math.libretexts.org/Bookshelves/Abstract_and_Geometric_Algebra/Abstract_Algebra%3 A_Theory_and_Applications_(Judson)/13%3A_The_Structure_of_Groups/13.02%3A_Solvable_Groups

4.https://math.berkeley.edu/~kpmann/SylowNotes.pdf

5.https://brilliant.org/wiki/sylow-theorems

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	2	1	1	3	3	3	2	2
CO2	3	3	1	2	2	1	2	3	3	3	2	2
CO3	3	3	1	2	2	1	2	3	3	3	2	2
CO4	3	3	2	2	2	1	2	3	3	3	3	2
CO5	3	3	2	2	2	1	1	3	3	3	3	2
TOTAL	15	15	8	10	10	5	8	15	15	15	12	10
AVERAGE	3	3	1.6	2	2	1	1.6	3	3	3	2.4	2

SEMESTER I

CORE COURSE – II: REAL ANALYSIS I

Course Code	т	т	р	G	S Credita	Charling mat loung	Total	Marks			
Course Code	L	I	r	מ	Creans	Inst. Hours	Hours	CIA	External	Total	
MP231CC2	5	2	-		5	7	105	25	75	100	

Pre-requisite:

Students should know UG level Real Analysis concepts.

Learning Objectives:

- 1. To work comfortably with functions of bounded variation, Riemann-Stieltjes Integration, convergence of infinite series, infinite product and uniform convergence.
- 2. To relate its interplay between various limiting operations.

Course Outcomes

On the s	uccessful completion of the course, student will be able to:	
1	analyze and evaluate functions of bounded variation and Rectifiable	K4 & K5
	Curves.	
2	describe the concept of Riemann-Stieltjes integral and its properties.	K1 & K2
3	demonstrate the concept of step function, upper function, Lebesgue function	K3
5	and their integrals.	
4	construct various mathematical proofs using the properties of Lebesgue	K3 & K5
•	integrals and establish the Levi monotone convergence theorem.	
5	formulate the concept and properties of inner products, norms and	K2 & K3
5	measurable functions.	

K1-Remember K2- Understand K3 - Apply K4- Analyze K5 - Evaluate

Units	Contents	No. of Hours
I	Functions of bounded variation - Introduction - Properties of monotonic functions - Functions of bounded variation - Total variation - Additive property of total variation - Total variation on [a, x] as a function of x - Functions of bounded variation expressed as the difference of two increasing functions - Continuous functions of bounded variation. Chapter 6: 6.1 to 6.8 Infinite Series: Absolute and conditional convergence - Dirichlet's test and Abel's test - Rearrangement of series - Riemann's theorem on conditionally convergent series. Chapter 8: 8.8, 8.15, 8.17, 8.18	21
II	The Riemann - Stieltjes Integral - Introduction - Notation - The definition of the Riemann - Stieltjes integral - Linear Properties - Integration by parts- Change of variable in a Riemann - Stieltjes integral - Reduction to a Riemann Integral – Euler's summation formula - Monotonically increasing integrators, Upper and lower integrals - Additive and linearity properties of upper, lower integrals - Riemann's condition - Comparison theorems. Chapter 7: 7.1 to 7.14	21
ш	The Riemann-Stieltjes Integral - Integrators of bounded variation-Sufficient conditions for the existence of Riemann-Stieltjes integrals-Necessary conditions for the existence of RS integrals- Mean value theorems -integrals as a function of the interval – Second fundamental theorem of integral calculus-Change of variable -Second Mean Value Theorem for Riemann integral-Riemann-Stieltjes integrals depending on a parameter- Differentiation under	21

	integral sign-Lebesgue criterion for existence of Riemann integrals. Chapter 7: 7.15 to 7.26	
IV	Infinite Series and infinite Products - Double sequences - Double series - Rearrangement theorem for double series - A sufficient condition for equality of iterated series - Multiplication of series - Cesaro summability - Infinite products. Chapter 8: 8.20 to 8.26 Power series - Multiplication of power series - The Taylor's series generated by a function - Bernstein's theorem - Abel's limit theorem - Tauber's theorem Chapter 9: 9.14, 9.15, 9.19, 9.20, 9.22, 9.23	21
v	Sequences of Functions – Pointwise convergence of sequences of functions – Examples of sequences of real - valued functions - Uniform convergence and continuity - Cauchy condition for uniform convergence - Uniform convergence of infinite series of functions - Riemann - Stieltjes integration – No n-uniform Convergence and Term-by-term Integration - Uniform convergence and differentiation - Sufficient condition for uniform convergence of a series - Mean convergence. Chapter 9: 9.1 to 9.6, 9.8, 9.9, 9.10, 9.11, 9.13	21
	Total	105

Self Study Continuous functions, Convergent Series, Convergence

Textbooks

Tom M. Apostol.1974.Mathematical Analysis (Second Edition). Addison-Wesley Publishing Company Inc., New York.

Reference Books

1. Bartle, R.G. 1976. Real Analysis. John Wiley and Sons Inc., New Delhi.

2. Rudin, W. 1976. Principles of Mathematical Analysis (Third Edition). McGraw Hill Company, New York.

- 3. Malik, S.C., Savita Arora. 1991. Mathematical Analysis. Wiley Eastern Limited, New Delhi.
- 4. Sanjay Arora, BansiLal. 1991. Introduction to Real Analysis. Satya Prakashan, New Delhi.
- 5. Gelbaum, B.R., J. Olmsted. 1964. Counter Examples in Analysis. Holden day, San Francisco:
- 6. A.L.Gupta, N.R.Gupta. 2003. Principles of Real Analysis. Pearson Education, India.

Web Resources

- 1. http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics
- 2. http://www.opensource.org, www.mathpages.com
- 3. https://mathcs.org/analysis/reals/
- 4. https://ocw.mit.edu/courses/18-100c-real-analysis-fall-2012/
- 5. http://websitem.karatekin.edu.tr/user_files/farukpolat/files/probookmathanal1.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	AND I ROORAWIVE SI ECHTIC OUTCOMES											
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	1	1	2	1	3	3	2	3	2
CO2	3	3	2	1	2	1	2	3	3	2	3	2
CO3	3	3	2	1	2	2	1	3	3	3	3	2
CO4	3	3	2	1	2	2	1	3	3	3	2	2
CO5	3	3	2	2	2	1	2	3	3	2	3	2
TOTAL	15	15	11	6	9	8	7	15	15	12	14	10
AVERAGE	3	3	2.2	1.2	1.8	1.6	1.4	3	3	2.4	2.8	2

					SEM	ESTER	I		
CORE	CO	URS	SE I	II:(ORDINAI	RY DIFF	'ERE	NT	IAL EQUATIONS

Γ	Course	т	т	р	G	Credits	Inst.	Total	Marks		
	Code	L	T	r	3	Creans	Hours	Hours	CIA	External	Total
	MP241CC3	5	1	-	-	5	6	90	25	75	100

Pre-requisite:

UG-level Calculus and Differential Equations

Learning Objectives:

- 1. To develop proficiency in solving second-order linear ordinary differential equations using methods such as variation of parameters and power series solutions.
- 2. To solve systems of first-order linear differential equations with constant coefficients, understanding the existence and uniqueness of solutions

Course Outcomes

On the	e successful completion of the course, students will be able to:	
1	recall and describe the fundamental concepts of second-order linear ordinary differential equations, including homogeneous and non- homogeneous forms.	K1
2	understand the method of variation of parameters for solving non- homogeneous second-order linear differential equations and illustrate its application through examples.	K2
3	apply power series solutions to solve first and second-order linear ordinary differential equations, distinguishing between ordinary points and regular singular points.	К3
4	analyze the stability and behaviour of solutions for systems of first-order linear differential equations with constant coefficients, identifying critical points and their implications.	K4
5	utilize special functions such as Legendre polynomials and Bessel functions to solve differential equations and evaluate their effectiveness in addressing specific mathematical and physical problems.	К5

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate;

Units	Contents	No. of Hours					
Ι	Second-order Linear Equations: The general solution of a homogeneous equation-The use of a known solution to find another-The method o f variation of parameters.	18					
п	Power series solutions and special functions: A review of power series- Series solutions of first-order equations - Second-order linear equations - Ordinary points – Regular singular points.	18					
III	Systems of first-order equations: Linear systems - Homogeneous Linear systems with constant coefficients.						
IV	Legendrepolynomials-propertiesofLegendrepolynomials- Bessel'sfunctions–TheGammafunctions-Properties of Bessel Functions.	18					
V	The Existence and Uniqueness of Solutions: The Method of Successive Approximations -Picard's theorem-Systems –The second order linear equations.	18					
	Total	90					

Self-study	Legendre polynomials-properties of Legendre polynomials	
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Textbook:

 Simmons, G. F., 1991. Differential Equations with Applications and Historical Notes, Second Edition, McGraw Hill International Editions, India. Chapter3:Sections-14,15,16,19. Chapter5: Sections-26 to30. Chapter8: Sections-44, 45, 46, 47. Chapter10: Sections-55, 56.

Reference Books:

- 1. Sharma, A. K., 2010. Advanced Differential Equations, Discovery Publishing House, New Delhi.
- 2. Raisinghania, M. D., 2012. *Ordinary and Partial Differential Equations*, Fourteenth Revised Edition, S. Chand and Company Ltd, Ramnagar, New Delhi.
- 3. Arnold, V. I., 2009. *Ordinary Differential Equations*, PHI Learning Private Limited, New Delhi.
- 4. Polking, J. C., & Arnold, D., 2011. *Ordinary Differential Equations*, Second Impression, Dorling Kindersley Pvt. Ltd, India.
- 5. Doshi, J. B., 2009. *Differential Equations for Scientists & Engineers*, Narosa Publishing House, New Delhi.

Web Resources:

1. G. F. Simmons Differential Equations : G.F. Simmons : Free Download, Borrow, and Streaming : Internet Archive

- 2. https://www.iitg.ac.in/jiten/Extra/Coddrington.pdf
- 3. http://mathforum.org, http://ocw.mit.edu/ocwweb/Mathematics
- 4. http://www.opensource.org, www.mathpages.com
- 5. https://content.kopykitab.com/ebooks/2016/07/8107/sample/sample_8107.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	AND I ROGRAMME SI ECIFIC OUTCOMES												
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5	
CO1	3	3	3	1	3	2	2	3	3	3	3	3	
CO2	3	3	3	3	3	2	3	3	3	3	2	3	
CO3	3	2	3	2	3	2	2	3	3	3	3	3	
CO4	3	2	3	3	3	2	3	3	2	3	2	3	
CO5	3	3	2	3	3	2	3	3	3	3	3	3	
TOTAL	15	13	14	12	15	10	13	15	14	15	13	15	
AVERAGE	3	2.6	2.8	2.4	3	2	2.6	3	2.8	3	2.6	3	

SEMESTER I ELECTIVE COURSE I: a) NUMBER THEORY AND CRYPTOGRAPHY

Course Code	т	т	р	G	Credita	Inst Hound	Total		Marks			
Course Code	L	I	r	מ	Creans	Inst. nours	Hours	CIA	External	Total		
MP231EC1	4	1	-	-	3	5	75	25	75	100		

Pre-requisite:

Students should know the basic concepts of Number Theory.

Learning Objectives:

- 1. To gain deep knowledge about Number theory.
- 2. To know the concepts of Cryptography.

Course Outcomes

On the successful completion of the course, student will be able to:

1	understand quadratic and power series forms and Jacobi symbol.	K1 & K2		
2	apply binary quadratic forms for the decomposition of a number into sum of sequences.	К3		
3	determine solutions using Arithmetic Functions.	K3		
4	calculate the possible partitions of a given number and draw Ferrer's graph.	K4		
5	identify the public key using Cryptography.	K5 & K6		

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6– Create

Units		Contents	No. of Hours							
		lity and Euclidean algorithm - Congruences, Euler's theorem,								
I		s Theorem, Chinese Remainder Theorem, Primitive roots	15							
	Chapter	r 1: 1.2, Chapter 2: 2.1,2.3,2.8								
II	Quadrat	15								
11	Chapter	r 3: 3.1, 3.2, 3.3								
	Arithme	tic functions – The Mobius Inversion Formula – Multiplication of	15							
III	II arithmetic functions.									
	Chapter 4: 4.2, 4.3									
	Linear Diophantine equations – Sum of Four and Five Squares – Sum of									
IV	Fourth Powers - Sum of Two Squares.									
	Chapter 5: 5.1,5.3 ,5.4									
	Public H	Key Cryptography	15							
v	Public k	ey Cryptography – Concepts of public key Cryptography – Modular								
V	arithmetic – RSA – Discrete logarithm – Elliptic curve Cryptography									
	Text book 2. Chapter 4: 4.1, 4.2, 4.3 Chapter 6: 6.1, 6.2									
	Total	Total								
Calf C4		A vither stic for sticks								
Sell Sti	Self Study Arithmetic functions									

Textbooks

- 1. Ivan Niven, Herbert S. Zuckerman and Hugh L. Montgomery (2006). An Introduction to the Theory of Numbers. United States: John - Wiley & Sons.
- Neal Koblitz (1987). A Course in Number Theory and Cryptography. NewYork: 2. Springer.

Reference Books

- 1. Hardy, G. H., & Wright E. M. (1975). An Introduction to the Theory of Number. United States: Oxford at the Clarendon Press.
- 2. David M. Burton (1989). *Elementary Number Theory*. Dubuque, Iowa: Wm. C. Brown Publishers
- 3. Tom. M. Apostol.(1998). Introduction to Analytic Number Theory. N e w Delhi: Narosa Publishing House.
- 4. Graham Everest and ThomasWard(2008). An Introduction to NumberTheory. NewYork: Springer.
- 5. Kenneth Ireland and Michael Rosen (1990). A classical Introduction to Modern Number Theory. NewYork: Springer.

Web Resources

- 1. https://youtu.be/PkpFBK3wGJc
- 2. https://youtu.be/mIStB5X4U8M?list=PL-BD05SCClbag8KTPzaPzzggJ96aBsVkT
- 3. https://ejionascu.ro/notes/ntbook.pdf
- 4. https://cse.buffalo.edu/~xinhe/cse191/Classnotes/note07-1x2.pdf
- 5. https://www.maths.dur.ac.uk/users/athanasios.bouganis/entc1415/lecture notes.pdf **MAPPING WITH PROGRAMME OUTCOMES**

	AND PROGRAMME SPECIFIC OUTCOMES													
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PSO1	PSO2	PSO3			
CO1	3	3	2	2	3	2	3	3	3	3	3			
CO2	3	3	3	2	2	3	2	3	3	3	3			
CO3	3	3	2	2	2	2	3	3	3	3	3			
CO4	3	3	2	2	2	2	3	3	3	3	2			
CO5	3	3	3	3	2	3	2	3	3	3	3			
TOTAL	15	15	12	11	11	12	13	15	15	15	14			
AVERAGE	3	3	2.4	2.2	2.2	2.4	2.6	3	3	3	2.8			

ELECI	ELECTIVE COURSE I: b) GRAPH THEORY AND APPLICATIONS												
Course Code	т	Т	р	G	Credita	Inst Hound	Total						
Course Code	L	I	r	3	Creans	Ilist. Hours	Hours	CIA	External	Total			
MP231EC2	4	1	-		3	5	75	25	75	100			

SEMESTER I ELECTIVE COURSE I: b) GRAPH THEORY AND APPLICATIONS

Pre-requisite:

Students should know basic concepts of Graph Theory.

Learning Objectives:

- 1. To help students to understand various parameters of Graph Theory with applications.
- 2. To stimulate the analytical mind of the students, enable them to acquire sufficient knowledge and skill in the subject that will make them competent in various areas of mathematics.

	Course Outcomes								
On the successful completion of the course, student will be able to:									
1	recall the basic concepts of graph theory and know its various parameters.	K1							
2	understand the many results derived on the basis of known parameters.	K2							
3	apply the concepts to evaluate parameters for the family of graphs.	K3 & K5							
4	analyze the steps of various theorems and know its applications.	K1 &K4							
5	create a graphical model for the real-world problem using the relevant ideas.	K6							

K1-RememberK2- Understand K3 - Apply K4- Analyze K5–EvaluateK6 - Create

Units	Contents	No. of Hours
Ι	Trees Trees - Cut Edges and Bonds - Cut Vertices. Connectivity Connectivity – Blocks - Construction of Reliable Communication Networks.	15
II	Euler Tours and Hamilton Cycles Euler Tours – Hamilton Cycles – The Chinese Postman Problem - Fleury's Algorithm.	15
ш	Matchings Matchings. Edge Colourings Edge Chromatic Number – Vizing's Theorem.	15
IV	Independence sets and Cliques Independent Sets. Vertex Colourings Chromatic Number – Brook's Theorem – Hajos' Conjecture.	15
V	Planar Graphs Plane and Planar Graphs – Euler's Formula – Kuratowski's Theorem (statement only) – The Five Colour Theorem and Four Colour Conjecture.	15
	Total	75

Textbook

J.A. Bondy, U.S.R. Murthy. 1976. Graph Theory with Applications.Macmillan Co., London. Chapter 2: 2.1 to 2.3

Chapter 3

Self Study	Graph Isomorphism, Distance, Radius, Diameter, The Incident and Adjacency
	Matrices, Vertex Degrees, Paths and Connection, Cycles.

Chapter 4: 4.1 to 4.3 Chapter 5: 5.1 Chapter 6: 6.1, 6.2 Chapter 7: 7.1 Chapter 8: 8.1 to 8.3 Chapter 9: 9.1, 9.3, 9.6

Reference Books

1. Gary Chartrand, Ping Zhang. 2006. Introduction to Graph Theory. McGraw Hill Education, India.

2. R. Balakrishnan, K. Ranganathan. 2000. Text Book of Graph Theory. Springer, New Delhi.

- 3. D.B.West. 2001. Introduction to Graph Theory. Prentice Hall, India.
- 4. J. Clark, D.A. Holton. 1995. A First look at Graph Theory. Allied Publishers, New Delhi.
- 5. F. Harary. 1969. Graph Theory. Addison Wesley, Reading Mass,.

Web Resources

- 1. https://www.slideshare.net/mcsharma1/accounting-for-depreciation-1
- 2. https://www.slideshare.net/ramusakha/basics-of-financial-accounting
- 3. https://www.accountingtools.com/articles/what-is-a-single-entry-system.html
- 4. <u>https://www.coursera.org/learn/graphs</u>
- 5. <u>https://www.tutorialspoint.com/graph_theory/index.htm</u>

	MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES												
	PO1 PO2 PO3 PO4 PO5 PO6 PO7 PSO1 PSO2 PSO3 PSO4 PSO5												
CO1	2	3	3	2	2	3	2	3	3	3	3	2	
CO2	2	2	3	3	2	2	2	3	3	2	2	2	
CO3	3	3	3	3	1	2	2	3	3	3	3	2	
CO4	3	3	3	1	2	2	2	3	3	2	3	2	
CO5	3	3	3	2	1	2	2	3	3	3	3	2	
TOTAL	13	14	15	11	8	11	10	15	15	13	14	10	
AVERAGE	2.6	2.8	3	2.2	1.6	2.2	2	3	3	2.6	2.8	2	

3 - Strong, 2- Medium, 1- Low

SEMESTER I

ELECTIVE COURSE I C): PROGRAMMING IN C++

Course	L	т	Р	S	Credits	Inst.	Total		Marks			
Code	L	-	-	D	creatis	Hours	Hours	CIA	External	Total		
MP231EC3	4	1	-	-	3	5	75	25	75	100		

Pre-requisite:

Basics of Computer Programming

Learning Objectives:

- 1. To apply mathematical concepts in programming
- 2. To create programs and applications

Course Outcomes

On the s	In the successful completion of the course, student will be able to:								
1	understand and analyze the concepts of tokens, expressions and control structures	K1							
2	develop the knowledge in functions and arguments	K2							
3	solve simple programs using classes and objects in C++	K3							
4	apply the properties of constructors and destructors to solve programs	K4							
5	create programs and applications using C++	K5							

K1– RememberK2 - Understand K3 - Apply K4– AnalyzeK5–Evaluate K6 - Create

Units	Contents	No. of Hours
	Beginning with C++ & Tokens, Expressions and Control Structures What is C++ - Applications of C++ - Asimple C++ Program – More C++ Statements – An Example with Class – Structure of C++ Program – Creating	
I	the Source File – Compiling and Linking – Token and Keyword – Identifiers and Constants – Basic Data Type – User-Defined Data Types – Control Structures	15
	Chapter 2: 2.1 - 2.8 Chapter 3: 3.2 – 3.6, 3.24 Functions in C++	
п	Introduction – TheMain Function – Function Prototyping – Call by Reference – Return by Reference – Inline Functions – Defaults Arguments – const Arguments – Function Overloading – Friend and Virtual Functions – Math Library Functions Chapter 4: 4.1 – 4.11	15
ш	Classes Introduction – C Structures Revisited – Specifying a Class – Defining Membership Functions – A C++ Program with Class – Making an Outside Function Inline – Nesting of Member Functions – Private Member Functions – Arrays with a Class	15

	Chapter 5: 5.1 – 5.9	
IV	Objects Memory Allocation for Objects – Static Data Member – Static Member Functions – Arrays of Objects – Objects as Function Arguments – Friendly Functions – Returning Objects – const Member Functions – Pointers of Members – Local Classes Chapter 5: 5.10 – 5.19	15
V	Constructors and Destructors Introduction – Constructors– Parameterized Constructors – Multiple constructors in a class – Constructors with Default Arguments - Dynamic Initialization of Objects– Copy Constructor– Dynamic Constructors– Constructing Two–Dimensional Arrays– const Objects – Destructors Chapter 6: 6.1 – 6.11	15
	Total	75

Self-Study	Inline Function, Defaults Arguments, const Arguments, Arrays with a Class,
	Destructors

Text books

E. Balagurusamy (2008). *Object Oriented Programming with C++, Fourth Edition*. New Delhi: The McGraw–Hill Company Ltd.

Reference Books

1. V. Ravichandran (2006). *Programming with C++, Second Edition*. New Delhi: McGraw-Hill Company Ltd.

2. H. Schildt (2003). *The complete Reference of C++*.New Delhi: McGraw–Hill Company Ltd.

3. S. B. Lipman and J. Lafer (1998). C++ Primer. Addition Wesley, Mass.

4. Ashok N.Kamthane (2003). Object Oriented Programming with ANSI and

TURBO C++. Pearson Education(P) Ltd.

Web Resources

 $1. \underline{https://www.anandinstitute.org/pdf/Balaguruswamy\%20Object\%20Oriented\%20Programming}\%20With\%20C++\%20Fourth\%20Edition\%20(3).pdf}$

 $2. \underline{http://www.uml.org.cn/c\%2B\%2B/pdf/C\%2B\%2BComplete\%20Reference\%20(3rd\%20Ed.).pd}_{f}$

 $3. \underline{https://zhjwpku.com/assets/pdf/books/C++. Primer.5th. Edition_2013.pdf}$

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

PO1					AND I ROOMAINIVIE SI LEIFIE OUTCOIVIES												
IUI	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5						
3	2	2	2	2	2	3	3	3	2	2	2						
3	3	3	3	2	2	3	3	3	2	3	2						
3	2	2	2	2	2	3	3	2	2	2	2						
3	2	2	2	2	3	3	3	2	3	2	2						
3	3	3	3	2	2	3	2	3	2	3	3						
15	12	12	12	10	11	15	14	13	11	12	11						
3	2.4	2.4	2.4	2	2.2	3	2.8	2.6	2.2	2.4	2.2						
	3 3 3 3 3 3 15	3 2 3 3 3 2 3 2 3 2 3 3 15 12	3 2 2 3 3 3 3 2 2 3 2 2 3 2 2 3 3 3 15 12 12	3 2 2 2 3 3 3 3 3 2 2 2 3 2 2 2 3 2 2 2 3 3 3 3 15 12 12 12	3 2 2 2 2 3 3 3 3 2 3 2 2 2 2 3 2 2 2 2 3 2 2 2 2 3 2 2 2 2 3 3 3 3 2 3 3 3 3 2 15 12 12 10	3 2 2 2 2 2 3 3 3 3 2 2 3 2 2 2 2 2 3 2 2 2 2 2 3 2 2 2 2 3 3 2 2 2 2 3 3 3 3 3 2 2 15 12 12 12 10 11	3 2 2 2 2 2 3 3 3 3 3 2 2 3 3 2 2 2 2 3 3 2 2 2 2 3 3 2 2 2 2 3 3 2 2 2 2 3 3 3 3 3 2 2 3 3 3 3 3 2 2 3 15 12 12 12 10 11 15	3 2 2 2 2 2 3 3 3 3 3 3 2 2 3 3 3 3 3 3 2 2 3 3 3 2 2 2 2 3 3 3 2 2 2 2 3 3 3 2 2 2 2 3 3 3 3 3 3 2 2 3 3 3 3 3 3 2 2 3 2 2 15 12 12 12 10 11 15 14	3 2 2 2 2 2 3 3 3 3 3 3 3 2 2 3 3 3 3 3 3 3 2 2 3 3 3 3 2 2 2 2 2 3 3 2 3 2 2 2 2 3 3 2 2 3 2 2 2 3 3 2 2 3 3 2 3 3 3 3 2 2 3 3 3 2 3 3 3 3 2 2 3 2 3 15 12 12 10 11 15 14 13	3 2 2 2 2 2 3 3 3 2 3 3 3 3 2 2 3 3 3 2 3 3 3 2 2 3 3 3 2 3 2 2 2 2 3 3 2 2 3 2 2 2 3 3 2 2 3 2 2 2 3 3 2 2 3 2 2 2 3 3 2 3 3 3 3 3 2 2 3 3 2 3 3 3 3 3 2 2 3 2 3 2 3 3 3 3 3 2 2 3 2 3 2 15 12 12 12 10 11 15 14 13 11	3 2 2 2 2 2 3 3 3 2 2 3 3 3 3 2 2 3 3 3 2 2 3 3 3 2 2 3 3 3 2 2 3 2 2 2 2 3 3 2 2 3 2 2 2 2 3 3 2 2 2 3 2 2 2 2 3 3 2 2 2 3 2 2 2 3 3 3 2 3 2 3 3 3 3 2 2 3 2 3 2 3 3 3 3 3 2 2 3 2 3 2 3 3 3 3 3 3 2 2 3 2 3 2 3 3 3 2 3						

	ELECTIVE COURSE II: a) DISCRETE MATHEMATICS												
Course	т	т	р	C	Credits	Inst.	Total	Marks					
Code	L	I	Г	3	Creatis	Hours	Hours	CIA	External	Total			
MP241EC4	4	1	-	-	3	5	75	25	75	100			

SEMESTER I ELECTIVE COURSE II: a) DISCRETE MATHEMATICS

Prerequisites:

Basic Concepts in Algebra and Set Theory

Learning Objectives

- 1. To learn the concepts of Permutations, Combinations, Boolean Algebra and Lattices
- 2. To motivate the students to solve practical problems using Discrete mathematics

	Course Outcomes							
On the suc	On the successful completion of the course, student will be able to:							
1	remember and interpret the basic concepts in permutations and combinations and distinguish between distribution of distinct and non-distinct objects	K1,K2, K4						
2	to prove the basic theorems in boolean algebra and to develop the truth table for a boolean expression	K2						
3	interpret the recurrence relation and generating functions and evaluate by using the technique of generating functions	K2, K3						
4	solve the problems by the principle of inclusion and exclusion	K3						
5	differentiate between variety of lattices and their properties	K4						

Course Outcomes

K1 – Remember K2 - Understand K3 - Apply K4 – Analyse

Unit	Contents	No. of Hours
Ι	Permutations and combinations-The rules of sum and product- Permutations - Combinations - Distribution of distinct objects- Distribution of non-distinct objects	15
II	Generating functions - Generating functions for combinations - Recurrence relations -Linear recurrence relations with constant coefficients - Solution by the technique of generating functions	15
III	The principle of inclusion and exclusion - The general formula – Derangements	15
IV	Boolean Algebra and Logic Circuits: Introduction – Boolean Algebra – Unique features – Basic operations – Boolean function – De-Morgan's theorem – Logic Gate – Sum of products and product of sums form – Normal form – Expression of a Boolean function as a canonical form- Simplification of Boolean Expression by Algebraic method – Boolean expression from logic and switching network – Implementation of logic expressions with logic gates and switching circuits – Functionally Complete Sets	15
V	Posets and Lattices: Introduction – Partially Ordered Sets – Product and Lexicographic Order – Hasse Diagram – Special elements in Posets – Lattice - Lattices Algebraic System – Sublattices – Some special Lattices - Finite Boolean Algebra	15
	TOTAL	75
Self- Study	Definition of Permutations and combinations	I

Textbooks:

1. Liu C.L 1968. Introduction to Combinatorial mathematics. New York: McGraw Hill Publications

Chapter 1: 1.1 to 1.6; Chapter 2: 2.1, 2.2; Chapter 3: 3.1 to 3.3; Chapter 4: 4.1 to 4.4 2. Swapan Kumar Sarkar 2016. *A Textbook of Discrete Mathematics*. Ninth Edition, S. Chand and Company Ltd.

Chapter 3: 3.1 to 3.14; Chapter 9: 9.1 to 9.10

Reference Books:

- 1. Kenneth H. Rosen. 2012 *Discrete Mathematics and it's Applications*, 7th Edition/ McGraw Hill Education, New York, Units I, II, III.
- 2. T. Veerarajan, 2008. *Discrete Mathematics with Graph Theory and Combinatorics*, Tata McGraw Hills Publishing Company Limited, 7th Reprint,
- 3. Kolman, Busby and Ross 2012. Discrete Mathematical Structures (6th Edition). New Delhi: PHI Learning Private Ltd.
- 4. Malik .D.S and Sen M.K 2010. Discrete Mathematics. Cengage Learning Private Ltd.
- 5. Deepankar Sharma 2015. Discrete Mathematics. Savera Publishing House

Web Resources

- 1. https://www.slideshare.net/praveenjigajinni/13-boolean-algebra
- 2. https://www.slideshare.net/rafayfarooq/combinatorics-15052419
- 3. https://s2.smu.edu/~mhd/2353f07/part1.ppt
- 4. https://www.slideserve.com/wayne-barron/combinatorics-powerpoint-ppt-presentation
- 5. https://www.khanacademy.org/computing/pixar/crowds/crowds-1/v/intro-crowds

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	3	1	2	2	3	3	3	2	2	2
CO2	3	3	3	1	2	3	2	3	3	2	3	2
CO3	3	3	3	2	2	3	3	3	3	2	3	2
CO4	3	2	3	2	3	3	3	3	3	2	3	2
CO5	3	2	2	3	2	2	2	3	3	2	3	2
TOTAL	15	12	14	9	11	13	13	15	15	10	14	10
AVERAGE	3	2.4	2.8	1.8	2.2	2.6	2.6	3	3	2	2.8	2

	ELECTIVE COURSE II: b) ANALYTIC NUMBER THEORY												
Course	т	т	р	S	Credits	Inst.	Total	Marks					
Code	L	I	Г	ð		Hours	Hours	CIA	External	Total			
MP231EC5	4	1	-	-	3	5	75	25	75	100			

SEMESTER I

Prerequisites: Knowledge of differential and integral calculus of real functions in several variables, convergence of series, (uniform)convergence of sequences of functions, basics of complex analysis

Learning Objectives

- 1. To understand Dirichlet multiplication, a concept which helps clarify Interrelationship between various arithmetical functions.
- 2. To understand some equivalent forms of the prime number theorem.

Course Outcomes

On the successful completion of the course, student will be able to:								
CO1	study the basic concepts of elementary number theory	K1, K2						
CO2	explain several arithmetical functions and construct their relationships	К3						
CO3	apply algebraic structure in arithmetical functions	K3						
CO4	demonstrate various identities satisfied by arithmetical functions	K2						
CO5	determine the application to $\mu(n)$ & $\Lambda(n)$ and several equivalent form of prime number theorem	K4						

$K1-\mbox{Remember}\ K2$ - Understand K3 - Apply $K4-\mbox{Analyse}\ K5-\mbox{Evaluate}\ K6$ - Create

Unit	Contents	No. of Hours
Ι	UNIT-I: The Fundamental Theorem of Arithmetic. Chapter 1 : Section 1.1 - 1.8 Exercise Problems: Chapter1:1-11.	15
II	UNIT-II: Arithmetic Functions. Chapter 2: Sections 2.1 - 2.8. Exercise problems: Chapter 2:1 - 6.	15
III	UNIT-III: Multiplicative Functions and Dirichlet Multiplication. Chapter 2: Sections 2.9 – 2.14. Exercise problems: Chapter 2:21 - 23, 25, 26.	15
IV	UNIT-IV: Averages of Arithmetical Functions. Chapter 3: Sections 3.1 - 3. 9. Exercise problems: Chapter 3: 1 – 4	15
V	UNIT-V: Partial sums of Dirichlet Product, Chebyshev's Functions – Equivalent forms of Prime Number Theorem. Chapter3: Sections:3.10,3.11, Chapter4:Sections4.1–4.4.	15

	Exercise problems: Chapter 4: 3, 4, 5, 8.	
	TOTAL	75
Self-Study	Definition of Permutations and combinations	

Textbooks:

Introduction to Analytic Number Theory–Tom M.A postol -Springer, International Student Edition.

Reference Books

1. Problems in Analytic Number Theory, M.RamMurty, Springer(2001)

2. Steps into Analytic Number Theory, Paul Pollack, Akash Singha Roy,Springer(2021) Web Resources <u>http://mathworld.wolfram.com/</u> <u>http://www.numbertheory.org/</u> <u>https://planetmath.org/</u> <u>https://services.math.duke.edu/~jonhanke/NumberTheory/</u> <u>https://ocw.mit.edu/courses/mathematics/18-785-analytic-number-theory-spring-2003/</u>

		ANI	JPRU	JGKA		SPE			UNIES)		
	PO 1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO 4	PSO 5
CO1	3	2	3	1	2	2	3	3	3	2	2	2
CO2	3	3	3	1	2	2	2	3	3	2	3	3
CO3	3	3	3	2	2	2	3	3	3	2	3	2
CO4	3	2	3	2	3	2	3	3	3	2	3	2
CO5	3	2	2	3	2	2	2	3	3	2	3	2
TOTAL	15	12	14	9	11	10	13	15	15	10	14	11
AVERAGE	3	2.4	2.8	1.8	2.2	2	2.6	3	3	2	2.8	2.2

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

ELI	ELECTIVE COURSE II: c) FUZZY SETS AND THEIR APPLICATIONS										
Course	Course L T B S Credits Inst. Total Marks										
Code	L	I	r	ð	Credits	Hours	Hours	CIA	External	Total	
MP231EC6	4	1			3	5	75	25	75	100	

SEMESTER I

Prerequisites: Knowledge of graphs, relations, composition

Learning Objectives

- 1.To study about Fuzzy sets and their relations, Fuzzy graphs, Fuzzy Relations.
- 2. To gain knowledge on Fuzzy logic and laws of Fuzzy compositions

Course Outcomes

Course Outc	ssful completion of the course, student will be able to:	
1	understand the definition of Fuzzy sets and its related concepts	K1, K2
2	define Fuzzy Graphs and can explain the concepts	K3
3	explain the concepts in Fuzzy sets and its relations	K3
4	discuss about Fuzzy logic	K2
5	analyze the compositions of Fuzzy sets.	K4

K1 - Remember K2 - Understand K3 - Apply K4 - AnalyseK5 - Evaluate K6 - Create

Unit	Contents	No. of Hours
Ι	Fundamental Notions. Chapter I: Sec.1to8	15
II	Fuzzy Graphs. Chapter II: Sec.10to18	15
III	Fuzzy Relations. Chapter II: Sec.19to29	15
IV	Fuzzy Logic. Chapter III: Sec.31to40(omitSec.37,38,41)	15
V	The Laws of Fuzzy Composition. Chapter IV: Sec.43to49	15
	TOTAL	75
Self-Study	7: Fundamental Notions.	L

Textbooks:

1.A. Kaufman, Introduction to the theory of Fuzzy subsets, Vol. I, Academic Press, New York, (1975). **Reference Books**

- 1. 1. H.J.Zimmermann, Fuzzy Set Theory and its Applications, AlliedPublishers, Chennai, (1996)
- 2. George J.Klir and BoYuan, Fuzzy sets and Fuzzy Logic-Theory and Applications, Prentice Hall India, New Delhi, (2001).

Web Resources

- 1. https://people.eecs.berkeley.edu/~jordan/courses/294-fall09/lectures/fuzzylec.pdf
- 2. http://www.cs.toronto.edu/~dianeh/soft/fuzzy/fuzzy.html
- 3. http://www.cise.ufl.edu/research/FSR/learning.html
- 4. https://www.tutorialspoint.com/fuzzy logic/index.htm
- 5. http://www.ganeshmj.org/book/book.html

	AND PROGRAMME SPECIFIC OUTCOMES											
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	3	1	2	2	3	3	3	2	2	3
CO2	3	3	3	1	2	3	2	3	3	2	3	3
CO3	3	3	3	2	2	3	3	3	3	2	3	3
CO4	3	2	3	2	2	3	3	3	3	2	3	3
CO5	3	2	2	3	2	2	2	3	3	2	3	3
TOTAL	15	12	14	9	10	13	13	15	15	10	14	15
AVERAGE	3	2.4	2.8	1.8	2	2.6	2.6	3	3	2	2.8	3

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

SEMESTER I

Course Code	L	т	Р	G	Credita	Inst. Hours	Total	Marks			
		L		3	Creans	mst. nours	Hours	CIA	External	Total	
MP231V01	2	-	-	-	1	2	30	25	75	100	

Pre-requisite:

Basic knowledge of Matrices and Programming languages.

Learning Objectives:

- 1. To make the students aware of SCILAB programming environment.
- 2. To acquire the practical knowledge of SCILAB for solving the matrics, polynomials and differential equations.

Course Outcomes

C	On the successful completion of the course, student will be able to:								
1	learn basic SCILAB programming.	K1							
2	understand the basic mathematical operations using SCILAB software.	K2							
3	execute SCILAB codes for vectors, matrices, plotting lines, polynomial and differential equations	К3							
4	implement simple mathematical functions/ equations in numerical computation environment such as SCILAB.	K4							
5	interpret and visualize simple mathematical functions and operations by using plots.	K5							

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6- Create

Units	Contents	No. of Hours
Ι	Login - Talking between SCILAB and the Editor - Basic Commands - Linear Algebra - Loops and Conditionals - Help in SCILAB. (Chapter 1: Sections 1.1 to 1.7)	6
II	Matrices and Vectors - Solving Equations - Creating Matrices - Systems of Equations. (Chapter 2: Section 2.2)	6
III	Plotting Lines and Data - Adding a Line - Hints for Good Graphs – Graphs - Function Plotting - Component Arithmetic - Printing Graphs - Saving Graphs. (Chapter 3: Sections 3.2, 3.3).	6
IV	Evaluation of Polynomials – Polynomials - Linear Least Squares (Heath Computer Problem). (Chapter 6: Sections 6.2, 6.3, 6.4).	6
V	Differential Equations - Scalar ODE ^{**} s - Order 2 ODE ^{**} s. (Chapter 8: Sections 8.2).	6
	Total	30

Textbook

Graeme Chandler and Stephen Roberts. (2002). Scilab Tutorials for Computational

Self study	Carrying On - Defining Commands and Environments
Science.	

Reference Books

- **1.** Sandeep Nagar. (2017).*Introduction to Scilab: For Engineers and Scientists*. Apress publisher, New York.
- **2.** Nair,A.S. (2012).*SCILAB* (*A free software to MATLAB*). S. Chand Publishing, New Delhi.
- Anil Kumar Verma. (2018). SCILAB A Beginners Approach (1st Edison). Cengage India.
- 4. Surendran, K. S. (2007). SCILAB FOR DUMMIES(Version 2.6).

Web Resources

- 1. <u>https://www.scilab.org</u>
- 2. https://onlinecourses.swayam2.ac.in/aic20_sp38/preview
- 3. <u>https://www.udemy.com/course/scilab-the-first-course-beginners-to-intermediate/mediate</u>
- 4. <u>https://youtu.be/AzElVPaS71U</u>
- 5. https://youtu.be/RE3-HYNBFag

MAPPING FOR PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	2	3	2	3	2	2	3	2
CO2	3	3	2	2	3	2	2	3	2	2	3	2
CO3	3	3	2	3	2	2	2	3	2	3	3	2
CO4	3	3	2	2	2	3	2	3	2	2	3	2
CO5	3	3	3	3	3	2	2	3	2	3	3	3
TOTAL	15	15	11	12	12	12	10	15	10	12	15	11
AVERAGE	3	3	2.2	2.4	2.4	2.4	2	3	2	2.4	3	2.2

3 – Strong, 2- Medium, 1- Low

SEMESTER I SPECIFIC VALUE- ADDED COURSE: CREATING DOCUMENTS USING LaTex

Course Code	т	Т	Р	S	Credita	Inst Houns	Total		Marks	
Course Code	L	T	r	Э	Credits Inst. Hours		Hours	CIA	External	Total
MP231V02	2	-	-	-	1	2	30	25	75	100

Pre-requisite:

Basic understanding of Mathematics and related commands, Idea of Microsoft Word Learning Objectives:

1. To understand LaTeX, a document preparation system for high-quality typesetting.

2. To have hands on experience to become a user of LaTeX.

Course Outcomes

On the	On the successful completion of the course, student will be able to:										
1	1 typeset complex mathematical formulae using LaTeX										
2	use tabular and array environments within LaTeX	K2 & K3									
3.	prepare a LaTeX document, to make scientific article and project report	K3 & K6									
4.	create automatic generation of table of contents, bibliographies	K6									
5.	learn about graphics in LaTex	K2& K3									

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6- Create

Units	Contents	No. of Hours
I	Getting Started Preparing an Input File - The Input – Sentences and Paragraphs - The Document – Sectioning Chapter 2 - 2.1, 2.2 - 2.2.1, 2.2.2, 2.2.3	6
п	Getting Started Displayed Material - Running Latex Carrying On Changing the Type Style - Mathematical formulas – Some Common Structures - Mathematical Symbols Chapter 2- 2.2.4, 2.3 Chapter 3 - 3.1, 3.3- 3.3.1, 3.3.2	6
ш	Carrying On Arrays – Delimiters - Multiline Formulas – Putting One Thing Above Another - Spacing in Math mode - Defining Commands and Environments – Defining Commands - Defining Environments Chapter 3 - 3.3.3 to 3.3.7, 3.4 – 3.4.1, 3.4.2	6
IV	Carrying On Figures and Other Floating Bodies – Figures and Tables – Marginal Notes - Lining it up in Columns - The tabbing Environment- The tabular Environment Moving Information Around The Table of Contents - Cross-References – Bibliography and Citation	6

	Chapter 3 - 3.5 - 3.5.1, 3.5.2, 3.6 - 3.6.1, 3.6.2 Chapter 4 - Sections 4.1, 4.2, 4.3					
V	Designing it yourself Document and Page Styles- Document-Class Options, Page Styles - Title Page and Abstract, Customizing the Style, Line and Page Breaking – Line Breaking, Numbering, Centering and Flushing Chapter 6 - 6.1- 6.1.1 to 6.1.4, 6.2 - 6.2.1, 6.2.2, 6.3, 6.5	6				
	Total					
Self study	Carrying On - Defining Commands and Environments					

Text book

Lamport, L, 1994, *LATEX A Document Preparation System, User's Guide and Reference Manual* (second edition), Addison-Wesley Publishing Company, New York

Reference Books

- 1. Martin J. Erickson, Donald Bindner, 2011, *A Student's Guide to the Study, Practice, and Tools of Modern Mathematics*, CRC Press, Boca Raton, FL.
- 2. Griffits. D.F, Higham D.J, 1997, Learning Latex, Siam, Philadelpha
- 3. Kopka, Helmut, Daly P.W,2007, A *Guide to LATEX and Electronic Publishing*, (4th Edition), Addison Wesley Longman Limited.
- 4. Grätzer, G, 2007, *More Math Into LATEX*, (4th Edition), Springer Science + Business Media, LLC.

Web Resources

- 1. http://latex-beamer.sourceforge.net.
- 2. https://tobi.oetiker.ch/lshort/lshort.pdf
- 3. <u>https://www.udemy.com/topic/latex/</u>
- 4. <u>https://onlinecourses.swayam2.ac.in/aic20_sp17/preview</u>
- 5. <u>https://www.overleaf.com/learn/latex/Free_online_introduction_to_LaTeX_(part_1)</u>
- 6. <u>https://freecomputerbooks.com</u>

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	2	3	2	3	2	2	3	2
CO2	3	3	2	2	3	2	2	3	2	2	3	2
CO3	3	3	2	3	2	2	2	3	2	2	3	2
CO4	3	3	2	2	2	3	2	3	2	2	3	2
CO5	3	3	3	3	3	2	2	3	2	2	3	3
TOTAL	15	15	11	12	12	12	10	15	10	10	15	11
AVERAGE	3	3	2.2	3	2.6	2.2	2	3	2	2	3	2.2

SEMESTER I SPECIFIC VALUE ADDED COURSE RESOURCE MANAGEMENT TECHNIQUES

Course Code	т	т	D	S	Credits	Inst Hours	Total	Marks		
Course Coue	L	L	r			mst. nours	Hours	CIA	External	Total
MP231V03	2	-	•	I	1	2	30	25	75	100

Pre-requisite:

Basics in Operations Research Learning Objectives:

- 1. Be familiar with resource management techniques
- 2. Learn to solve problems by linear programming and CPM and PERT

Course Outcomes

On the s	successful completion of the course, students will be able to:								
1	1 understand the methods of optimization and to solve the problems								
2	define how to formulate an LPP with linear constraints	K2							
3	maximize the profit, minimize the cost, minimize the time in transportation problem, Travelling salesman problem, Assignment problem	K3							
4	analyze a problem and formulate it as an LPP	K4							
5	solve problems using Critical path method	K5							

K2 - Understand; K3- Apply; K4 - Analyze; K5 - Evaluate

Units	Contents	No. of Hours
Ι	Linear programming - Formulation - Graphical solution - Simplex method	6
II	Duality – Primal-dual relation - Dual simplex method - Revised simplex method	6
III	Transportation problems – Travelling salesman problem - Assignment problems	6
IV	Sequencing problem - n jobs through 2 machines - n jobs through 3 machines - two jobs through m machines - n jobs through m machines.	6
V	Network diagram representation – Critical path method – Time charts and resource leveling – PERT	6
	Total	30

 Self-study
 Transportation problems – Travelling salesman problem - Assignment problems

 Textbook:

1. Taha H.A., Operation Research, Macmillan Publishing Company, New York.

Reference Books:

- 1. Goldsmith, E.B., Goddard, H.W. (2004). Resource Management for Individuals and Families. McGraw-Hill Education.
- 2. Sutherland, J.W., McGrath, M.A. (2007). Resource Management. Pearson.
- 3. Manas, J. (2012). The Resource Management and Capacity Planning Handbook. CRC Press.
- 4. Odden, A.R., Kelly, J.A. (2002). Strategic Management of Human Capital in Education: Improving Instructional Practice and Student Learning. Routledge.

5. Kerzner, H. (2017). Project Management: A Systems Approach to Planning, Scheduling, and Controlling. Wiley.

Web Resources:

- 1. https://math.mit.edu/~goemans/18310S15/lpnotes310.pdf
- https://sde.uoc.ac.in/sites/default/files/sde_videos/SLM-%2019566-B%20Sc-%20Linear%20Programming.pdf
- 3. https://www.selfstudys.com/cuet/mathematics/online/exam/notes/12-linear-programming
- 4. https://workflowautomation.net/blog/resource-management
- 5. https://www.projectmanager.com/blog/quick-guide-resource-management

	AND PROGRAMME SPECIFIC OUTCOMES											
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	3	3	3	3	3	3	3	3	3
CO2	3	3	3	3	3	3	3	3	3	3	3	3
CO3	3	3	3	2	3	3	3	3	3	3	3	3
CO4	3	3	3	2	2	3	3	3	3	3	3	3
CO5	3	3	3	3	3	3	3	3	3	3	3	3
TOTAL	15	15	15	13	14	15	15	15	15	15	15	15
AVERAGE	3	3	3	2.6	2.8	3	3	3	3	3	3	3

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

3 – Strong, 2- Medium, 1- Low

SEMESTER I
SPECIFIC VALUE- ADDED COURSE
MATHEMATICAL FOUNDATIONS FOR DATA SCIENCE

Course Code	ТТТ		р	G	Credits	Inst. Hours	Total		Marks		
Course Code	L	I	P	3	Creans	mst. nours	Hours	CIA	External	Total	
MP231V04	2	-	•	•	1	2	30	25	75	100	

Pre-requisite:

Knowledge of basic concepts in Linear Algebra and Statistics

Learning Objectives:

- 1. To gain a deep understanding of foundational mathematical concepts such as linear algebra, probability theory, and statistics, which form the basis for data science.
- 2. To acquire skills in applying mathematical techniques to analyze and manipulate data sets effectively.

	Course Outcomes							
On the	On the successful completion of the course, students will be able to:							
1	acquire necessary skills and knowledge to excel in the fields of computer graphics development and cryptography, enabling them to design advanced graphics applications and implement secure communication systems effectively.	K2& K3						
2	understand the concept of confidence intervals, hypothesis testing of means and variances	K2& K4						
3	use linear algebra techniques such as matrix operations, eigenvalue decomposition for data transformation and dimensionality reduction, enabling efficient data representation and visualization.	К3						
4	use probability theory to assess uncertainties, calculate probabilities of events, and make probabilistic decisions in data-driven scenarios, such as risk assessment, predictive modeling, and business analytics.	К3						
5	solve real-world data science problems, collaborate with domain experts, and contribute meaningfully to data science projects and initiatives.	K5						

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6– Create

Units	Contents	No. of Hours
Ι	Basics of Data Science: Introduction; Big data and Data Science Hype, Datafication, Data Science Jobs.	6
II	Linear Algebra: Matrices and their properties (determinants, traces, rank, nullity, etc.); Eigenvalues and eigenvectors; Inner products.	6
III	Linear Algebra Applications: Computer Graphics; Linear Algebra for Cryptography	6
IV	Probability: Probability theory and axioms; Random variables; Probability distributions and density functions (univariate and multivariate); Expectations and moments	6
V	Statistics: Hypothesis testing of means and variances, Confidence (statistical) intervals.	6
	Total	30

Self study	Inner Products, Basic Concepts of Cryptography
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Textbooks

- 1. G. Strang, Introduction to Linear Algebra, Wellesley-Cambridge Press, Fifth edition, USA, 2016.
- 2. Montgomery, D. C. and G. C. Runger. Applied Statistics and Probability for Engineers. 5th Edition. John Wiley & Sons, Inc., NY, USA, 2011

Reference Books

- 1. CathyO'Neiland Rachel Schutt, Doing Data Science, O'Reilly Media, 2013.
- 2. CabrielPeyre, Mathematical Foundations of Data Sciences, 2021.
- 3. Carlos Fernandez-Granda, Probability and Statistics for Data Science, August 2017.
- 4. SorinMitran, Linear algebra for data science, University of North Carolina at Chapel Hill.
- 5. C. H. Taubes, Lecture Notes on Probability, Statistics And Linear Algebra, Harvard University Cambridge, Spring, 2010.

Web Resources

- 1. https://www.analyticsvidhya.com/blog/2017/05/comprehensive-guide-to-linear-algebra/
- 2. https://cims.nyu.edu/~cfgranda/pages/stuff/probability_stats_for_DS.pdf
- 3. https://www.knowledgehut.com/blog/data-science/probability-and-statistics-for-data-science
- 4. https://www.kdnuggets.com/2022/07/linear-algebra-data-science.html
- 5. http://mitran-lab.amath.unc.edu/courses/MATH347DS/textbook.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	2	3	3	3	3	3	3	3	2	3
CO2	3	3	3	2	3	3	3	3	3	2	2	3
CO3	2	3	2	2	4	2	3	3	3	2	3	3
CO4	3	2	3	3	3	3	3	3	3	3	2	3
CO5	3	3	3	3	2	3	3	3	3	3	3	3
TOTAL	14	12	13	13	14	14	15	15	15	13	12	15
AVERAGE	2.8	2.4	2.6	2.6	2.8	2.8	3	3	3	2.6	2.4	3

SEMESTER II

CORE COURSE IV: ADVANCED ALGEBRA

Course Code	L	Т	Р	S	Credits	Inst. Hours	Total			
							Hours	CIA External		Total
MP232CC1	5	1	-	-	5	6	90	25	75	100

Pre-requisite

Algebraic Structures Learning Objectives

1. To study field extension, roots of polynomials, Galois Theory, finite fields, division rings, solvability by radicals

2. To develop computational skill in abstract algebra.

Course Outcomes

On the	successful completion of the course, students will be able to:	
1	exhibit a foundational understanding of essential concepts, including field	K1
	extensions, roots of polynomials, Galois Theory, and finite extensions	
2	demonstrate knowledge and understanding of the fundamental concepts	K2
	including extension fields, Galois Theory, Automorphisms and Finite fields	
3	compose clear and accurate proofs using the concepts of Field extension,	K3
	Galois Theory and Finite field	
4	examine the relationships between different types of field extensions and	K4
	their implications by applying algebraic reasoning	
5	evaluate the validity of statements and theorems in field theory by	K5
	providing proofs or counter examples	

K1- Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate

Units	Contents	No. of						
		Hours						
Ι	Extension fields – Transcendence of e	18						
	Chapter 5: Sections 5.1 and 5.2							
II	Roots of Polynomials- More about roots	18						
11	Chapter 5: Sections 5.3 and 5.5	10						
III	Elements of Galois theory	18						
111	Chapter 5: Section 5.6	10						
TT 7	Finite fields - Wedderburn's theorem on finite division rings.	10						
IV	Chapter 7: Sections 7.1 and 7.2 (Theorem 7.2.1 only)	18						
V	Solvability by radicals - A theorem of Frobenius - Integral Quaternions and	18						
v	the Four - Square theorem.	10						
	Chapter 5: Section 5.7 (omit Lemma 5.7.1, Lemma 5.7.2 and Theorem							

5.7.1) Chapter 7: Sections 7.3 and 7.4	
Total	90

Self-study	1. Solvability by Radicals
	2. Questions related to the above topics, from various competitive examinations
	UPSC / TRB / NET / UGC – CSIR / GATE / TNPSC / others to be solved

Textbook

I.N. Herstein. 1975, *Topics in Algebra* (II Edition), Wiley Eastern Limited, New Delhi. **Reference Books**

1. M.Artin, 1997. Algebra, Prentice Hall of India.

2. P.B.Bhattacharya, S.K.Jain, and S.R.Nagpaul, 1997. *Basic Abstract Algebra* (II Edition) Cambridge University Press (Indian Edition).

3. I.S.Luther and I.B.S.Passi, 1999. *Algebra*, Vol. I –Groups(1996); Vol. II *Rings*, Narosa Publishing House, New Delhi.

4. D.S.Malik, J.N. Mordeson and M.K.Sen, 1997. *Fundamental of Abstract Algebra*, McGraw Hill (International Edition), New York.

5. N.Jacobson, *Basic Algebra*, Vol. I & II Hindustan Publishing Company, New Delhi. **Web Resources**

- 1. http://mathforum.org
- 2. http://ocw.mit.edu/ocwweb/Mathematics,
- 3. http://www.opensource.org
- 4. www.algebra.com
- 5. https://www.khanacademy.org/test-prep/v2-sat-math/x0fcc98a58ba3bea7:algebra-harder

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	1	3	2	3	3	3	3	3	2	2	1
CO2	2	1	3	1	3	3	3	3	3	2	2	1
CO3	3	2	3	1	3	3	3	3	3	2	2	1
CO4	1	2	3	2	3	3	3	3	3	2	2	1
CO5	3	1	2	3	3	3	3	3	3	2	2	1
TOTAL	12	7	14	9	15	15	15	15	15	10	10	5
AVERAGE	2.4	1.4	2.8	1.8	3	3	3	3	3	2	2	1

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

							AL ANALYS						
se Code	L	Т	Р	S	Credits	Inst. Hours	Total Hours		Marks				
								CIA	External	Total			
42CC2	5	1	-	-	5	6	90	25	75	100			
Pre-requisite:													
Standard elementary concepts of calculus.													
Learning Objectives:													
introduc	ce n	neas	ure	on	the real li	ne, Lebesgue	measurability	and in	ntegrability	, Fourie	r Series		
d Integra	ıls.												
get the i	n-de	epth	stu	ldy i	in multiva	riable calculu	15						
se Outco	ome	es											
e success	sful	con	nple	etio	n of the c	ourse, stude	nt will be able	e to:					
recall th	e b	asic	co	nce	pts of me	easurable sets	s, measurable	functi	on, integra	ation of	K1		
function	s, F	Four	ier	seri	es on real	line and mul	tivariable diffe	erentia	l calculus,	implicit			
function	s an	nd e	xtre	emu	m problei	ns.				-			
describe	the	e el	eme	enta	ry facts o	of Lebesgue	measure, Leb	esgue	integral, F	Fourier	K2		
series an	nd m	nulti	vari	iabl	e differen	tial calculus;	understand the	e impl	icit functio	ns and			
extremu	n pr	oble	ems	•				-					
determin	ne tł	ne n	neas	sura	ble sets, 1	measurable fu	inctions, the n	natrix	representat	ion and	K3		
Jacobian	n det	term	nina	nt o	f function	ıs.			-				
analyze	the	pro	per	ties	of measu	urable function	ons, Riemann	and L	ebesgue in	tegrals,	K4		
converge	ence	e of	Fou	iriei	series an	d extrema of	real valued fur	nctions	5.	-			
test mea	sura	able	sets	s an	d measura	able functions					K5		
	A2CC2 requisite Standa ning Ob introduc d Integra get the i cse Outco e success recall th function function describe series ar extremu determin Jacobian analyze converge	42CC25requisite:Standard ofning Objectintroduce nintroduce nof Integrals.get the in-decse Outcomee successfulrecall the bfunctions, Ifunctions, Ifunctions andescribe theseries and nextremun prdetermine thJacobian deanalyze theconvergence	42CC251requisite:Standard elemning Objectivesintroduce measintroduce meas <td <="" colspan="2" th=""><th>A2CC251A2CC251requisite: Standard elementStandard elementning Objectives: o introduce measure d Integrals. o get the in-depth stuceo get the in-depth stucecse Outcomese successful comple recall the basic conductions, Fourier functions and extreme describe the element series and multivar extremun problems determine the meas Jacobian determina analyze the proper convergence of Fourier</th><th>42CC2 5 1 - requisite: Standard elementary ning Objectives: introduce measure on introduce measure on integrals. get the in-depth study integral. recall the basic concerts functions, Fourier series functions and extremu describe the elementary series and multivariable extremun problems. determine the measura Jacobian determinant o analyze the properties convergence of Fourier</th><td>42CC2 5 1 - 5 requisite: Standard elementary concepts ming Objectives: introduce measure on the real line introduce measure on the real line introduce measure on the real line of the in-depth study in multivation of the study in multivation of the basic concepts of measic concepts of measic concepts of measic series and multivation functions and extremum problem determine the elementary facts of series and multivation get the properties of measic convergence of Fourier series and convergence</td><td>A2CC25156requisite:Standard elementary concepts of calculus.ming Objectives:o introduce measure on the real line, Lebesguedoi Integrals.o get the in-depth study in multivariable calculucompletion of the course, studenrecall the basic concepts of measurable setsfunctions, Fourier series on real line and multivariable differential calculus;extremum problems.describe the elementary facts of Lebesgueseries and multivariable differential calculus;extremun problems.determine the measurable sets, measurable functions, Fourier series on real line and multivariable differential calculus;extremum problems.determine the elementary facts of Lebesgueseries and multivariable differential calculus;extremun problems.determine the measurable sets, measurable futJacobian determinant of functions.analyze the properties of measurable functionanalyze the properties of measurable function</td><td>A2CC2 5 1 - 5 6 90 requisite: Standard elementary concepts of calculus. ming Objectives: introduce measure on the real line, Lebesgue measurability d Integrals. o get the in-depth study in multivariable calculus get the in-depth study in multivariable calculus recessful completion of the course, student will be able recall the basic concepts of measurable sets, measurable functions, Fourier series on real line and multivariable diffe functions and extremum problems. describe the elementary facts of Lebesgue measure, Leb series and multivariable differential calculus; understand th extremun problems. determine the measurable sets, measurable functions, the n Jacobian determinant of functions. analyze the properties of measurable functions, Riemann</td><th>CIA CHACCC2 5 1 - 5 6 90 25 requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and in d Integrals. o get the in-depth study in multivariable calculus rese Outcomes 5 1 - 1 e successful completion of the course, student will be able to: recall the basic concepts of measurable sets, measurable functifunctions, Fourier series on real line and multivariable differential functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue series and multivariable differential calculus; understand the impli- extremun problems. determine the measurable sets, measurable functions, the matrix Jacobian determinant of functions. analyze the properties of measurable functions, Riemann and L convergence of Fourier series and extrema of real valued functions</th><th>CIA External 42CC2 5 1 - 5 6 90 25 75 requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and integrability d Integrals. o get the in-depth study in multivariable calculus recoll the basic concepts of measurable sets, measurable function, integra functions, Fourier series on real line and multivariable differential calculus, functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue integral, F series and multivariable differential calculus; understand the implicit function extremun problems. determine the measurable sets, measurable functions, the matrix representat Jacobian determinant of functions. analyze the properties of measurable functions, Riemann and Lebesgue in convergence of Fourier series and extrema of real valued functions.</th><td>CIAExternalTotal42CC25156902575100requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and integrability, Fouried d Integrals. o get the in-depth study in multivariable calculus recourses e successful completion of the course, student will be able to: recall the basic concepts of measurable sets, measurable function, integration of functions, Fourier series on real line and multivariable differential calculus, implicit functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue integral, Fourier series and multivariable differential calculus; understand the implicit functions and extremun problems.Fourier series and extremus and account of functions, fourier series of measurable functions, the matrix representation and accobian determinant of functions.determine the measurable sets, measurable functions, the matrix representation and Jacobian determinant of functions.analyze the properties of measurable functions, Riemann and Lebesgue integrals, convergence of Fourier series and extrema of real valued functions.</td></td>	<th>A2CC251A2CC251requisite: Standard elementStandard elementning Objectives: o introduce measure d Integrals. o get the in-depth stuceo get the in-depth stucecse Outcomese successful comple recall the basic conductions, Fourier functions and extreme describe the element series and multivar extremun problems determine the meas Jacobian determina analyze the proper convergence of Fourier</th> <th>42CC2 5 1 - requisite: Standard elementary ning Objectives: introduce measure on introduce measure on integrals. get the in-depth study integral. recall the basic concerts functions, Fourier series functions and extremu describe the elementary series and multivariable extremun problems. determine the measura Jacobian determinant o analyze the properties convergence of Fourier</th> <td>42CC2 5 1 - 5 requisite: Standard elementary concepts ming Objectives: introduce measure on the real line introduce measure on the real line introduce measure on the real line of the in-depth study in multivation of the study in multivation of the basic concepts of measic concepts of measic concepts of measic series and multivation functions and extremum problem determine the elementary facts of series and multivation get the properties of measic convergence of Fourier series and convergence</td> <td>A2CC25156requisite:Standard elementary concepts of calculus.ming Objectives:o introduce measure on the real line, Lebesguedoi Integrals.o get the in-depth study in multivariable calculucompletion of the course, studenrecall the basic concepts of measurable setsfunctions, Fourier series on real line and multivariable differential calculus;extremum problems.describe the elementary facts of Lebesgueseries and multivariable differential calculus;extremun problems.determine the measurable sets, measurable functions, Fourier series on real line and multivariable differential calculus;extremum problems.determine the elementary facts of Lebesgueseries and multivariable differential calculus;extremun problems.determine the measurable sets, measurable futJacobian determinant of functions.analyze the properties of measurable functionanalyze the properties of measurable function</td> <td>A2CC2 5 1 - 5 6 90 requisite: Standard elementary concepts of calculus. ming Objectives: introduce measure on the real line, Lebesgue measurability d Integrals. o get the in-depth study in multivariable calculus get the in-depth study in multivariable calculus recessful completion of the course, student will be able recall the basic concepts of measurable sets, measurable functions, Fourier series on real line and multivariable diffe functions and extremum problems. describe the elementary facts of Lebesgue measure, Leb series and multivariable differential calculus; understand th extremun problems. determine the measurable sets, measurable functions, the n Jacobian determinant of functions. analyze the properties of measurable functions, Riemann</td> <th>CIA CHACCC2 5 1 - 5 6 90 25 requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and in d Integrals. o get the in-depth study in multivariable calculus rese Outcomes 5 1 - 1 e successful completion of the course, student will be able to: recall the basic concepts of measurable sets, measurable functifunctions, Fourier series on real line and multivariable differential functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue series and multivariable differential calculus; understand the impli- extremun problems. determine the measurable sets, measurable functions, the matrix Jacobian determinant of functions. analyze the properties of measurable functions, Riemann and L convergence of Fourier series and extrema of real valued functions</th> <th>CIA External 42CC2 5 1 - 5 6 90 25 75 requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and integrability d Integrals. o get the in-depth study in multivariable calculus recoll the basic concepts of measurable sets, measurable function, integra functions, Fourier series on real line and multivariable differential calculus, functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue integral, F series and multivariable differential calculus; understand the implicit function extremun problems. determine the measurable sets, measurable functions, the matrix representat Jacobian determinant of functions. analyze the properties of measurable functions, Riemann and Lebesgue in convergence of Fourier series and extrema of real valued functions.</th> <td>CIAExternalTotal42CC25156902575100requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and integrability, Fouried d Integrals. o get the in-depth study in multivariable calculus recourses e successful completion of the course, student will be able to: recall the basic concepts of measurable sets, measurable function, integration of functions, Fourier series on real line and multivariable differential calculus, implicit functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue integral, Fourier series and multivariable differential calculus; understand the implicit functions and extremun problems.Fourier series and extremus and account of functions, fourier series of measurable functions, the matrix representation and accobian determinant of functions.determine the measurable sets, measurable functions, the matrix representation and Jacobian determinant of functions.analyze the properties of measurable functions, Riemann and Lebesgue integrals, convergence of Fourier series and extrema of real valued functions.</td>		A2CC251A2CC251requisite: Standard elementStandard elementning Objectives: o introduce measure d Integrals. o get the in-depth stuceo get the in-depth stucecse Outcomese successful comple recall the basic conductions, Fourier functions and extreme describe the element series and multivar extremun problems determine the meas Jacobian determina analyze the proper convergence of Fourier	42CC2 5 1 - requisite: Standard elementary ning Objectives: introduce measure on introduce measure on integrals. get the in-depth study integral. recall the basic concerts functions, Fourier series functions and extremu describe the elementary series and multivariable extremun problems. determine the measura Jacobian determinant o analyze the properties convergence of Fourier	42CC2 5 1 - 5 requisite: Standard elementary concepts ming Objectives: introduce measure on the real line introduce measure on the real line introduce measure on the real line of the in-depth study in multivation of the study in multivation of the basic concepts of measic concepts of measic concepts of measic series and multivation functions and extremum problem determine the elementary facts of series and multivation get the properties of measic convergence of Fourier series and convergence	A2CC25156requisite:Standard elementary concepts of calculus.ming Objectives:o introduce measure on the real line, Lebesguedoi Integrals.o get the in-depth study in multivariable calculucompletion of the course, studenrecall the basic concepts of measurable setsfunctions, Fourier series on real line and multivariable differential calculus;extremum problems.describe the elementary facts of Lebesgueseries and multivariable differential calculus;extremun problems.determine the measurable sets, measurable functions, Fourier series on real line and multivariable differential calculus;extremum problems.determine the elementary facts of Lebesgueseries and multivariable differential calculus;extremun problems.determine the measurable sets, measurable futJacobian determinant of functions.analyze the properties of measurable functionanalyze the properties of measurable function	A2CC2 5 1 - 5 6 90 requisite: Standard elementary concepts of calculus. ming Objectives: introduce measure on the real line, Lebesgue measurability d Integrals. o get the in-depth study in multivariable calculus get the in-depth study in multivariable calculus recessful completion of the course, student will be able recall the basic concepts of measurable sets, measurable functions, Fourier series on real line and multivariable diffe functions and extremum problems. describe the elementary facts of Lebesgue measure, Leb series and multivariable differential calculus; understand th extremun problems. determine the measurable sets, measurable functions, the n Jacobian determinant of functions. analyze the properties of measurable functions, Riemann	CIA CHACCC2 5 1 - 5 6 90 25 requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and in d Integrals. o get the in-depth study in multivariable calculus rese Outcomes 5 1 - 1 e successful completion of the course, student will be able to: recall the basic concepts of measurable sets, measurable functifunctions, Fourier series on real line and multivariable differential functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue series and multivariable differential calculus; understand the impli- extremun problems. determine the measurable sets, measurable functions, the matrix Jacobian determinant of functions. analyze the properties of measurable functions, Riemann and L convergence of Fourier series and extrema of real valued functions	CIA External 42CC2 5 1 - 5 6 90 25 75 requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and integrability d Integrals. o get the in-depth study in multivariable calculus recoll the basic concepts of measurable sets, measurable function, integra functions, Fourier series on real line and multivariable differential calculus, functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue integral, F series and multivariable differential calculus; understand the implicit function extremun problems. determine the measurable sets, measurable functions, the matrix representat Jacobian determinant of functions. analyze the properties of measurable functions, Riemann and Lebesgue in convergence of Fourier series and extrema of real valued functions.	CIAExternalTotal42CC25156902575100requisite: Standard elementary concepts of calculus. ming Objectives: o introduce measure on the real line, Lebesgue measurability and integrability, Fouried d Integrals. o get the in-depth study in multivariable calculus recourses e successful completion of the course, student will be able to: recall the basic concepts of measurable sets, measurable function, integration of functions, Fourier series on real line and multivariable differential calculus, implicit functions and extremum problems. describe the elementary facts of Lebesgue measure, Lebesgue integral, Fourier series and multivariable differential calculus; understand the implicit functions and extremun problems.Fourier series and extremus and account of functions, fourier series of measurable functions, the matrix representation and accobian determinant of functions.determine the measurable sets, measurable functions, the matrix representation and Jacobian determinant of functions.analyze the properties of measurable functions, Riemann and Lebesgue integrals, convergence of Fourier series and extrema of real valued functions.

SEMESTER II CORE COURSE V: REAL ANALYSIS - II S. Credita Inst. Hours Total Hours Marks

K1 – Remember; K2– Understand; K3 – Apply; K4-Analyze; K5 – Evaluate

Units	Contents	No. of Hours
I	Lebesgue Measure –Introduction - Outer Measure - Measurable sets and Lebesgue measure–A non measurable set - Measurable Functions –Littlewood's three principles. Chapter 3: Section 1 to 6 (H. L. Royden)	18
п	The Lebesgue Integral –The Riemann Integral –The Lebesgue integral of a bounded function over a set of finite measure–The integral of a nonnegative function - The general Lebesgue integral. Chapter 4: Section 1 to 4 (H. L. Royden)	18
III	Fourier Series and Fourier Integrals - Introduction - Orthogonal system of functions - The theorem on best approximation - The Fourier series of a function relative to an orthonormal system - Properties of Fourier Coefficients - The Riesz-Fischer Theorem - The convergence and representation problems for trigonometric series - The Riemann - Lebesgue Lemma - The Dirichlet Integrals - An integral representation for the partial sums of Fourier series - Riemann's localization theorem - Sufficient conditions for convergence of a Fourier series at a particular point –Cesaro summability of Fourier series- Consequences of Fejes's theorem - The Weierstrass approximation theorem. Chapter 11: Sections 11.1 to 11.15 (Apostol)	18
IV	Multivariable Differential Calculus - Introduction - The Directional derivative - Directional derivative and continuity - The total derivative - The total derivative expressed in terms of partial derivatives - The matrix of linear	18

	function - The Jacobian matrix - The chain rule - Matrix form of chain rule -	
	The mean - value theorem for differentiable functions - A sufficient condition	
	for differentiability - A sufficient condition for equality of mixed partial	
	derivatives - Taylor's theorem for functions of \mathbb{R}^n to \mathbb{R}^1 .	
	Chapter 12: Section 12.1 to 12.5 and 12.7 to 12.14 (Apostol)	
	Implicit Functions and Extremum Problems: Introduction - Functions with	
	non-zero Jacobian determinants – The inverse function theorem-The Implicit	
V	function theorem-Extrema of real valued functions of severable variables-	18
	Extremum problems with side conditions.	
	Chapter 13: Sections 13.1 to 13.7 (Apostol)	
	Total	90

Self Study	The convergence and representation problems for trigonometric series and the chain rule.

Textbooks

- 1. Royden H. L., 2004. *Real Analysis*, Third Edition, Prentice Hall of India Private Limited, New Delhi. (for Units I and II).
- 2. Tom M. Apostol, 2002. *Mathematical Analysis*, 2nd Edition, 12th Reprint, Narosa Publishing House Pvt. Ltd. New York, Addison-Wesley Publishing Company Inc. (for Units III, IV and V)

Reference Books

- 1. Burkill, J.C, 1951. The Lebesgue Integral, Cambridge University Press.
- 2. Munroe, M.E, 1971. Measure and Integration. Addison-Wesley Publishing House..
- 3. G. de Barra, 2000. *Measure Theory and Integration*, Reprint, New Age International Publisher, New Delhi.
- 4. Rudin, W., 2013. *Principles of Mathematical Analysis*, Third Edition, New York, McGraw Hill Education Pvt. Ltd.
- 5.Malik,S.C. and Savita Arora, 2017. *Mathematical Analysis*, Fifth Edition, New Age International Publishers, New Delhi.

6. Sanjay Arora and Bansi Lal, 1991. *Introduction to Real Analysis*, New Delhi, Satya Prakashan. **Web Resources**

- 1. Lebesgue Measure -- from Wolfram Math World
- 2. Measure and Integration 15 Lebesgue Integral of nonnegative function YouTube
- 3. Lecture 53-Fourier integrals YouTube
- 4. Multivariable Calculus | Khan Academy
- 5. Differential Calculus of Several Variables 1 YouTube

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

		-	-									
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	3	2	3	3	2	3	2	2	2	2
CO2	2	2	3	1	3	3	2	3	2	2	2	2
CO3	3	2	3	1	3	3	2	3	2	2	2	2
CO4	1	2	3	2	3	3	2	3	2	2	2	2
CO5	3	2	2	3	3	3	2	3	2	2	2	2
TOTAL	12	10	14	9	15	15	10	15	10	10	10	10
AVERAGE	2.4	2	2.8	1.8	3	3	2	2	2	2	2	2

SEMESTER II

CORE COURSE VI: PARTIAL DIFFERENTIAL EQUATIONS

Course Code	L	Т	Р	S	Credits	Inst. Hours	Total	Marks		
		-	-		creates		Hours	CIA	External	Total
MP232CC3	5	1	-	-	4	6	90	25	75	100

Pre-requisite

UG-level partial differential equations

Learning Objectives

1.To formulate and solve different forms of partial differential equations.

2. Solve the related application-oriented problems.

Course Outcomes

Ont	the successful completion of the course, students will be able to:	
1	recall the definitions of complete integral, particular integral, and singular	K1 & K2
	integrals.	
2	learn some methods to solve the problems of non-linear first-order partial	K2 & K3
	differential equations. homogeneous and non-homogeneous linear partial	
	differential equations with constant coefficients and solve related problems.	
3	analyze the classification of partial differential equations in three independent	K2 & K3
	variables – Cauchy's problem for a second-order partial differential equation.	
4	solve the boundary value problem for the heat equations and the wave equation.	K1 & K2
5	apply the concepts and methods in physical processes like heat transfer and	K2 & K3
	electrostatics.	

K1 - Remember; **K2** - Understand; **K3** - Apply

Units	Contents	No. of Hours
I	Non-linear Partial Differential Equations of order one - complete integral, particular integral, singular integral - Compatible system of First Order Equations	18
	- Charpit's Method. Chapter 3: 3.1, 3.4 to 3.8B.	
п	Homogeneous and Non Homogeneous Linear Partial Differential Equations with constant coefficients - Solution of Homogeneous and Non Homogeneous Linear Partial Differential Equations with constant coefficients - Method of finding Complementary Function of Linear Homogeneous Partial Differential Equations with constant coefficients - Particular Integral of Homogeneous Partial Differential Equations - General method of finding Particular Integral of Linear Homogeneous Partial Differential Equations. Chapter 4: 4.1 to 4.6, 4.12, 4.13.	18
III	Non Homogeneous Linear Partial Differential Equations with constant coefficients - Reducible and Irreducible Linear Differential operators - Reducible and Irreducible Linear Differential Equations with constant coefficients - Determination of Complementary Function of Reducible Non Homogeneous Linear Partial Differential Equations with constant coefficients with working rule - General Solution of Non Homogeneous Linear Partial Differential Equations with constant coefficients - Determination of Particular Integral of Non	18

	Homogeneous Linear Partial Differential Equations with constant coefficients.	
	Chapter 5: 5.1 to 5.7, 5.10 to 5.13.	
IV	Classification of Partial Differential equations of second order - Classification of P.D.E. in three independent variables – Cauchy's problem for a second order P.D.E. Characteristic equation and Characteristic curves of the second order P.D.E. – Laplace transformation. Reduction to Canonical (or normal) forms. Chapter 8: 8.1 to 8.11.	18
v	Boundary Value Problem - Solution by Separation of variables - Solution of One- dimensional Wave Equation - Solution of Two-dimensional Wave Equation - Vibration of Circular Membrane - Solution of One-Dimensional Heat Equation - Solution of Two-Dimensional Laplace's Equation - Solution of two-dimensional heat equation Chapter 12: 12.1 to 12.8.	18
	Total	90

Self-study | Simple portions, eg. definition, meaning, solving problems

Textbooks

1. M.D. Rai Singhania, 1988. *Advance Differential Equations*, (16thRevised and Corrected Edition). New Delhi: S. Chand and Company Ltd.

1. Sharma, A. K, 2010. Advanced Differential Equations, Discovery Publishing House.

Reference Books

- 1. Amaranth, T. An Elementary Course in Partial Differential Equations. (2nd Edition). New Delhi: Narosa Publishing House.
- 2. Ian Sneddon. 1957. Elements of Partial Differential Equations. International Edition.
- 3. Kevorkian, J, 2006. Partial Differential Equations. Springer International Edition.
- 4. Sharma, I. N., &Kehar Singh, 2009. Partial Differential Equations for Engineers and Scientists. (Second Edition). Narosa Publishing House PVT. LTD.
- 5. Lawrence C. Evans, 2009. Partial Differential Equations. (1st Indian Edition). Rhode Island, American Mathematical Society Providence.

Web Resources

- 1. <u>http://mathforum.org</u>,
- 2. <u>http://ocw.mit.edu/ocwweb/Mathematics</u>,
- 3. <u>http://www.opensource.org</u>,
- 4. <u>www.mathpages.com</u>
- 5. https://howellkb.uah.edu

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	1	3	2	3	3	3	3	3	2	2	1
CO2	2	1	3	1	3	3	3	3	3	2	2	1
CO3	3	2	3	1	3	3	3	3	3	2	2	1
CO4	1	2	3	2	3	3	3	3	3	2	2	1
CO5	3	1	2	3	3	3	3	3	3	2	2	1
TOTAL	12	7	14	9	15	15	15	15	15	10	10	5
AVERAGE	2.4	1.4	2.8	1.8	3	3	3	3	3	2	2	1

ELI	ELECTIVE COURSE III: a) MATHEMATICAL STATISTICS											
Course Code	т	Т	п	G	Cuadita	Ingt II.	Total		Marks			
Course Code	L	I	r	3	Creans	Inst. Hours	Hours	CIA	External	Total		
MP232EC1	3	1	-	-	3	4	60	25	75	100		

SEMESTER II ELECTIVE COURSE III: a) MATHEMATICAL STATISTICS

Pre-requisite

Knowledge in Probability Theory and Statistics

Learning Objectives

- 1. To enhance knowledge in mathematical statistics and acquire basic knowledge about various distributions.
- 2. To understand about mathematical expectations, moment generating function technique and the Central Limit Theorem.

Course Outcomes

On th	On the successful completion of the course, students will be able to:							
1	recall the basic probability axioms, conditional probability, random variables and	K1						
	related concepts							
2	learn the transformation technique for finding the p.d.f of functions of random	K2						
	variables and use these techniques to solve							
	related problems							
3	compute marginal and conditional distributions and check the stochastic	K3						
	independence							
4	employ the relevant concepts of analysis to determine limiting distributions of	K2						
	random variables							
5	design probability models to deal with real world problems and solve problems	K3						
	involving probabilistic situations.							

K1 - Remember; K2 - Understand; K3– Apply

Units	Contents	No. of Hours
Ι	Distributions of Functions of Random Variables – Sampling Theory – Transformations of Variables of the Discrete Type – Transformations of Variables of the Continuous Type – The t and F Distributions Chapter 4: 4.1 – 4.4	12
Π	Limiting Distributions – Stochastic Convergence – Limiting Moment Generating Functions – The Central Limit Theorem Chapter 5: 5.1 – 5.4	12
III	Estimation – Point Estimation – Measures of Quality of Estimators – Confidence Intervals for Means – Confidence Interval for Difference of Means – Confidence Interval for Variances Chapter 6: 6.1 – 6.5	12
IV	Statistical Hypothesis – Some Examples and Definitions – Certain Best Tests – Uniformly Most Powerful Tests – Likelihood Ratio Tests Chapter 7: 7.1 – 7.4	12
V	Other Statistical Tests – Chi-Square Tests – The Distributions of Certain Quadratic Forms – A Test of Equality of Several Means – Noncentral χ^2 and Noncentral F Chapter 8: 8.1 – 8.4	12
	Total	60

Self-study Sampling Theory

Textbook

Robert V. Hogg and Allen T. Craig, 1978. *Introduction to Mathematical Statistics*, Fourth Edition, New York: Macmillan Publishing Co

Reference Books

1.Kapur, J.N., and Saxena, H.C, 2010. *Mathematical Statistics*, 12thEdition, S. Chand & Co.

2.KadarkaraiThangam, K., and Subas Chandra Bose. A, 1995. Probability and

Statistics, 1stEdition, Jeyalakshmi Publishers.

3. Morris H. DeGroot, 1975. *Probability and Statistics*, Addison Wesley Publishing Company.

4.Suddhendu Biswass.,and Sriwastav, G.L, 2011. *Mathematical Statistics*, Narosa Publishing House.

5. Murthy, T.S.R, 1995. *Probability and Statistics*, 1stEdition, I.K. International Publishing House.

Web Resources

1. https://onlinecourses.nptel.ac.in/noc21_ma74/preview

2. https://users.encs.concordia.ca/~doedel/courses/comp-233/slides.pdf

3. <u>https://www.utstat.toronto.edu/mikevans/jeffrosenthal/book.pdf</u>

4. http://www.uop.edu.pk/ocontents/Book.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	1	2	3	3	3	3	1	2	3	1	2	3
CO2	3	2	3	2	2	2	3	2	2	3	2	3
CO3	3	3	2	2	3	3	3	2	2	3	3	2
CO4	3	3	2	3	2	2	3	3	2	3	3	2
CO5	2	2	3	3	3	2	2	2	2	2	2	3
TOTAL	12	12	13	13	14	12	12	11	11	12	12	13
AVERAGE	2	2	2	3	3	2	2	2	2	2	2	3

SEMESTER II

ELECTIVE COURSE III: b) STATISTICAL DATA ANALYSIS USING R PROGRAMMING

Course Code	L	Τ	Р	S	Credits	Inst. Hours	Total Hours	Marks		
								CIA	External	Total
MP232EC2	4	-	-	-	3	4	60	25	75	100

Pre-requisite:

Students should know basic skills of computer.

Learning Objectives:

- 1. The basics of statistical computing and data analysis.
- 2. How to use R for analytical programming.

Course Outcomes

On the successful completion of the course, students will be able to:								
1.	recall R and its development history	K1						
2.	demonstrate how to import and export data with R	K2 & K4						
3.	explain discrete distributions	K3						
4.	apply various concepts to write programs in R	K3 & K5						
5.	apply estimation concepts in R programming	K2 & K3						
17.1	Demember V2 Understand V2 Analys V4 Analyses V5	England						

$K1 - \text{Remember}; \ K2 - \text{Understand}; \ K3 - \text{Apply}; \ K4 - \text{Analyze}; \ K5 - \text{Evaluate}$

Units	Contents	No. of Hours
Ι	Statistical Software R - R and its development history – Structure of R - installation of R Chapter 1: 1.1, 1.2, 1.3	12
п	Descriptive Statistics – Basics - Excursus: Data Import and Export with R – Import of ICU-Dataset Chapter 2: 2.1, 2.2, 2.3	12
III	Colors and Diagrams – Colors - Excursus: Export of diagrams - Diagrams Chapter 3: 3.1, 3.2, 3.3	12
IV	Probability Distributions – Discrete Distributions – Continuous Distributions Chapter 4: 4.1 and 4.2	12
V	Estimation – Introduction – Point Estimation Chapter 5: 5.1 and 5.2	12
	Total	60

Self-study R and its development history	Self-study
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Textbook

1. Matthias Kohl, 2015. *Introduction to statistical data analysis with R*, (First edition), bookboon.com, The e Book company.

Reference Books

- 1. Torsten Hothorn, Brian Everitt S, 2014. *A Handbook of Statistical Analyses using R*, (Third edition), CRC PRESS, Taylor & Francis Group
- 2. Purohit S.G., Gore S.D., and Deshmukh S.R., 2015. *Statistics using R*, (Second edition), Narosa Publishing House, New Delhi.
- **3.** Crawley, M. J, 2006. *Statistics An introduction using R*, (Second edition), John Wiley, London 32.
- **4.** Verzani J, 2005. *Using R for Introductory Statistics*, (Second edition), Chapman and Hall /CRC Press, New York
- 5. Braun W. J., and Murdoch D. J, 2021. *A First Course in Statistical Programming with R*, (Third edition), Cambridge University Press, New York.
- 6. Dalgaard P, 2008. Introductory Statistics with R, (Second edition), Springer.
- 7. Gardener M, 2012. Beginning R: The Statistical Programming Language, Wiley Publications.

Web Resources

- 1. https://www.udemy.com/course/statistics-using-r/
- 2. https://sims.strathmore.edu/executive-education/r-programming/
- 3. https://www.educba.com/statistical-analysis-with-r/

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	3	2	3	3	3	2	3	2
CO2	3	3	2	2	2	3	2	3	3	2	3	2
CO3	3	3	2	2	2	2	3	3	3	3	3	2
CO4	3	3	2	2	2	2	3	3	3	3	2	2
CO5	3	3	2	3	2	3	2	3	3	2	3	2
TOTAL	15	15	10	11	11	12	13	15	15	12	14	10
AVERAGE	3	3	2	2.2	2.2	2.4	2.6	3	3	2.4	2.8	2

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

3 - Strong, 2- Medium, 1- Low

SEMESTER II

ELECTIVE COURSE III: c) PROGRAMMING with C++ PRACTICAL

Course Code	т	т	р	C	Credita	Inst. Hours Total Hours		Marks			
Course Code	L	I	r	ð	Creans		Hours	CIA	External	Total	
MP232EC3	-	2	2	-	3	4	60	25	75	100	

Pre-requisite

Basic functionality of computer programs.

Learning Objectives

- 1. To introduce a higher level language C++ for hands-on experience on computers.
- 2. Adhere to best practices and coding standards in C++ programming

Course Outcomes

On the	On the successful completion of the course, students will be able to:							
1.	understand about object oriented programming and learn how to store one object inside another object	K2, K3						
2.	gain knowledge about the capability to store information together in an object.	K1						
3.	understand the capability of a class to rely upon another class.	K1, K4						
4.	analyze the process of exposing the essential data to the outside of the world andhiding the low level data	K4						
5.	understand about constructors which are special type of functions	K2						

K1- RememberK2 - Understand K3 - Apply K4- Analyze

Units	Contents	No. of Hours
Ι	Vector Representation using Class - Sum of two types of objects - String Class	12
II	Matrix Operations using Operator Overloading - Overloaded = = Operator for String Comparison	12
III	Conversion from Polar to Rectangle and Rectangle to Polar - Friend Function	12
IV	Virtual Function - Extending Shape class to find area of circle	12
V	Text Process - Text file process - Creating data file with name and phone numbers - Creation and Process of telephone files	12
	Total	60

Self-study

-study Matrix Operations using Operator Overloading

Textbook

Balagurusamy, 1999. *Object Oriented Programming with C++*, Tata McGraw Hill, New Delhi.

Reference Books

1. Ravichandran.V. 2006. *Programming with C++*, Second Edition Tata McGraw-Hill, New Delhi.

- Devi Prasad, 2006, An Introduction to Numerical Analysis (3rd edn)Narosa Publishing House, New Delhi,.
- 3. Ravichandran.D. 1996. *Programming with C++*, Tata McGraw Hill, New Delhi.
- 4. Conte and de Boor, 1990. *Numerical Analysis*, McGraw Hill, NewYork.
- 5. John H.Mathews, 2000. *Numerical Methods for Mathematics*, Scienceand Engineering (2nd Edn.), Prentice Hall, New Delhi.

Web Resources

- 1. https://www.prebytes.com
- 2. https://www.oreilly.com
- 3. https://www.ctae.ac.in
- 4. https://www.udemy.com
- 5. https://www.geeksforgeeks.org

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	2	2	2	2	2	2	3	2	2	3
CO2	3	2	2	2	2	1	2	1	2	2	1	2
CO3	3	2	2	3	2	2	2	2	2	2	2	2
CO4	2	2	2	1	2	2	2	2	2	2	2	1
CO5	2	2	2	1	1	2	2	1	2	2	1	1
TOTAL	12	10	10	9	9	9	10	8	11	10	8	9
AVERAGE	2.4	2	2	1.8	1.8	1.8	2	1.6	2.2	2	1.6	1.8

3 – Strong, 2- Medium, 1- Low

SEMESTER II

ELECTIVE COURSE IV: a) OPERATIONS MODELING

Course Code	т	т	р	C	Credita	Inst Hound	Total		Marks	
Course Code	L	I	r	3	Creatts	Inst. nours	Hours	CIA	External	Total
MP232EC4	3	1	-	-	3	4	60	25	75	100

Pre-requisite

Knowledge of probability distributions and statistics

Learning Objectives

1. To analyze different situations in the industrial/ business scenario involving limited resources

2. To finding the optimal solution within constraints.

Course Outcomes

On the	On the successful completion of the course, students will be able to:						
1	build and solve Transportation and Assignment problems using	K1					
	appropriate method						
2	learn the constructions of network and optimal scheduling using CPM	K2					
	and PERT						
3	ability to construct linear integer programming models and solve linear	K3					
	integer programming models using branch and bound method						
4	understand the need of inventory management.	K2					
5	to understand basic characteristic features of a queuing system and	K3					
	acquire skills in analyzing queuing models						

K1 - Remember; **K2** - Understand; **K3** - Apply

Units	Contents	No. of Hours
Ι	TransportationModelsanditsVariants:DefinitionoftheTransportationModel–Non-TraditionalTransportationModel–TransportationModel–TransportationAlgorithm – TheAssignment Model.Chapter 5:Sections 5.1, 5.2, 5.3, 5.4.Exercise problems.	12
II	Network Analysis: Network Definitions– MinimalSpanningTreeAlgorithm–ShortestRouteProblem– MaximumFlowModel –CPM –PERT. Chapter 6: Sections 6.2, 6.3, 6.4, 6.5, 6.7. Exercise problems.	12
III	Inventory Theory: Basic Elements of an Inventory Model – Deterministic Models: Single Item Stock Model With And Without Price Breaks –Multiple Items Stock Model With Storage Limitations Chapter11–Sections11.1,11.2,11.3,	12
IV	Probabilistic Models: Continuous Review Model- Single Period Models. Chapter16–Sections16.1, 16.2, 16.3, Exercise problems.	12
V	Queuing Theory: Basic Elements of Queuing Model –Role of Poisson and Exponential Distributions– Pure Birth and Death Models –	12

Specialised Poisson Queues- $(M/G/1):GD/\infty/\infty$)- Pollaczek -							
Khintechine Formula. Chapter 17: Sections 17.2, 17.3, 17.4, 17.6, 17.7.							
Exercise problems.							
Total	60						

Γ	Self-study	Exercise Problems
	Sen study	

Textbooks

1. Hamdy A.Taha, *OperationsResearch*(SixthEdition), Prentice Hall of India Private Limited, New Delhi.

2. HamdyA.Taha, *OperationsResearch*(Third Edition), Prentice Hall of India Private Limited, New Delhi.

Reference Books

- 1. Pathak, H.K, Dr. Pradeep, K. Joshi and C.Sharma, Shree *Operations Research*, Shiksha Sahitya Prakashan Publication, Reprint2022-23.
- 2. Srinivasan G, *Operations Research : Principles and Applications*, Second Edition, Easrern Economy Edition, PHI.
- 3. Hamdy A. Taha, *Operations Research* (seventh Edition)Prentice Hall of India Private Limited, New Delhi.
- 4. Kanti Swarup, P.K. Gupta and Man Mohan, *Operations Research*, 13th edition, Sultan. Chand and Sons, 2007.
- 5. R.K. Gupta, Operations Research, Krishna Prakashan Media, 1992.

Web Resources

1.https://en.wikipedia.org/wiki/Operations_ research

- 2.https://www.techtarget.com/whatis/definition/operations-research-OR
- 3.https://www.britannica.com/topic/operations-research
- 4.https://www.springer.com/journal/12351

5.https://www.or.ncsu.edu/about/what-is-operations-research/

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	1	2	3	3	3	3	1	2	3	1	2	3
CO2	3	2	3	3	2	2	3	2	2	3	2	3
CO3	3	3	2	2	3	3	3	2	2	3	3	2
CO4	3	3	2	3	2	2	3	3	2	3	3	2
CO5	2	2	3	3	3	2	2	2	3	2	2	3
TOTAL	12	12	13	14	14	12	12	11	12	12	12	13
AVERAGE	2	2	2	3	3	2	2	2	2	2	2	3

Course	L	Τ	Р	S	Credits	Inst. Hours	Total	Marks				
Code							Hours	CIA	External	Total		
MP232EC5	3	-	1	H	3	4	60	25	75	100		

SEMESTER II ELECTIVE COURSE IV: b) MATHEMATICAL PYTHON

Pre-requisite:

Students should know basic skills of computer

Learning Objectives:

1. To familiarize the students with Python programing for Mathematics.

2. To train them to develop programs and create functions for Mathematics in Python.

K1-Remember K2- Understand K3 – Apply K4- Analyze K5 - Evaluate

Course Outcomes

On the	successful completion of the course, student will be able to:	
1	acquire knowledge on Python and learn to run the program.	K1
2	understand and discuss about different data types and flow control statements.	K2 & K4
3	write programs in python using Lists Tuples, Sets and Dictionaries	К3
4	understand For and While loops and conditional statements.	K3 & K5
5	creates Functions and Arrays in Python	K2 & K3

Units	Contents	No. of Hours
Ι	Python Getting started: Installing Python, different tabs in Jupiter notebook, Magics, Markdown Sec: 1.1, 1.2 (1.21 - 1.27)	12
Π	Programming Python: Python data types, Containers, Controlling the flow Sec: $2.1 - 2.6$, $3.1 - 3.4$, $4.1 - 4.8$	12
III	Packaging and reusing the code – Functions, Modules, Comprehensions, General expression and Comments Sec: 5.1 – 5.5	12
IV	Numerical Computing: Numpy – Array creation, Array properties, Array operation, Array indexing and slicing, Indexing with integer Arrays and Boolean Arrays. Sec: 6.1 – 6.6	12
V	Differential Equations: First order differential equations, Higher Order differential equations, Systems of equations Sec: 8.1 – 8.3	12

Self – Study Installing Python, Array Operations	
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Textbook

Scientific and Mathematical Computing Using Python - Adam Cunningham University at Buffalo Department of Biostatistics

Reference Books

- 1. Kenneth A Lambert, Fundamentals of Python First programs 2nd Edition Cengage, Learning India.
- 2. Amit Saha, Doing Math with Python, No starch Press,
- 3. E. Balgurusamy, Problem solving and Python programming, Tata McGraw Hill.
- 4. Mark Lutz, Learning Python,5th Edition O'Reilly Media
- 5. Paul Barry Head First Python, 2nd Edition O'Reilly Media

Web Resources

- 1. https://www.udemy.com/course/scientific-computing-with-numpy/
- 2. https://www.msuniv.ac.in/images/econtent/6.Computer%20%20Fundamentals%20and%20Office%20Automation.pdf
- 3. https://web.pdx.edu/~gjay/teaching/mth271_2020/pdf/OER.pdf
- 4. https://library.oapen.org/bitstream/id/56d27e73-e92a-4398-8198-239be7aacc93/2020_Book_IntroductionToScientificProgra.pdf
- 5. https://patrickwalls.github.io/mathematicalpython
- 6. https://fliphtml5.com/ntsfv/tmnj/basic/301-336
- 7. https://www.oreilly.com/library/view/learning-python-5th/9781449355722/

AND I ROORANIME SI ECHTIC OUTCOMES													
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5	
CO1	3	3	2	2	3	2	3	3	3	2	3	2	
CO2	3	3	2	2	2	3	2	3	3	2	3	2	
CO3	3	3	2	2	2	2	3	3	3	3	3	2	
CO4	3	3	2	2	2	2	3	3	3	3	2	2	
CO5	3	3	2	3	2	3	2	3	3	2	3	2	
TOTAL	15	15	10	11	11	12	13	15	15	12	14	10	
AVERAGE	3	3	2	2.2	2.2	2.4	2.6	3	3	2.4	2.8	2	

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

3 - Strong, 2- Medium, 1- Low

SEMESTER II

Course Code	т	Т	р	G	Cradita	Inst Hound	Total		Marks	
Course Code	L	I	P	3	Creans	Inst. Hours	Hours	CIA	External	Total
MP232EC6	3	1	-	-	3	4	60	25	75	100

ELECTIVE COURSE IV: c) NEURAL NETWORKS

Pre-requisite

Familiarity with linear algebra, multivariate calculus and probability theory

Learning Objectives

- 1. To know the main fundamental principles and techniques of neural network systems and investigate the principal neural network models and applications.
- 2. Apply neural networks to classification and generalization problems.

Course Outcomes

On the s	successful completion of the course, students will be able to:	
1	understand and analyze different neutron network models	K2, K4
2	understand the basic ideas behind most common learning algorithms for multilayerperceptions, radial basis function networks.	K2
3	describe Hebb rule and analyze back propagation algorithms with examples	K1, K4
4	study convergence and generalization and implement common learning algorithms.	К3
5	study directional derivatives and necessary conditions for optimality and to evaluatequadratic functions.	К5

K1- RememberK2 - Understand K3 - Apply K4- AnalyzeK5-Evaluate K6 - Create

Units	Contents	No. of		
		Hours		
т	Neuron Model and Network Architectures: Mathematical Neural	12		
1	Model-Network Architectures- Perceptron - Hamming	12		
	Network-Hopfield Network-Learning Rules.			
п	Perceptron Architectures: Perceptron Architectures and Learning	12		
11	Rules with proof of convergence-Supervised Hebbian	14		
	Learning-Linear Associator.			
TTT	Supervised Hebbian Learning: The Hebb Rule-Pseudoinverse rule-	10		
III	Variation of Hebbian Learning-Back Propagation - Multilayer	12		
	Perceptrons.			
IV	Back Propagation: Back Propagation algorithm-convergence and	12		
	Generalization-Performances surfaces and optimum points-Taylor series.			

V	Performance surface and performance optimizations : Directional derivatives-Minima-Necessary conditions for optimality - Quadratic functions-Performance optimizations-Steepest Descent Newton's method-Conjugate Gradient.	12
	Total	60

Self-study The Hebb Rule, Pseudoinverse rule and Variation of Hebbian Learning

Textbook

Martin T. Hagan, Howard B/Demuth and Mark Beale, 2002, Neural Network Design, Vikas Publishing House, New Delhi,

Reference Books

- 1. James A. Freeman, David M. Skapura, 2003. *Neural Networks Algorithms, Applications and Programming Techniques*, Pearson Education.
- 2. Bishop, C. M, 2006. Pattern Recognition and Machine Learning, Volume 1, Springer.
- 3. Duda, R. O., Hart, P. E., & Stork, D. G, 2012. *Pattern Classification*, Volume 1 (2nd Edition), Wiley.
- 4. Hagan, M. T., Demuth, H. B., & Beale, M. H, 2014. *Neural Network Design*, Volume 1 (2nd Edition), Martin Hagan.

5. Marsland, S. 2009. *Machine Learning: An Algorithmic Perspective*, Volume 1, CRC Press. **Web Resources**

- 1. https://www.coursera.org/learn/neural-networks-deep-learning
- 2. http://neuralnetworksanddeeplearning.com/
- 3. https://ai.googleblog.com/
- 4. https://nptel.ac.in/courses/117/105/117105084/
- 5. https://nptel.ac.in/courses/106/106/106106184/

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	1	2	2	2	2	2	2	3	2	2	3
CO2	3	2	2	1	1	1	2	1	2	2	1	2
CO3	1	2	2	3	1	2	2	1	2	2	2	2
CO4	2	2	1	1	2	2	1	2	1	2	2	1
CO5	2	2	2	1	1	1	2	1	2	2	1	2
TOTAL	11	9	9	8	7	8	9	7	10	10	8	10
AVERAGE	2.2	1.8	1.8	1.6	1.4	1.6	1.8	1.4	2	2	1.6	2

3 – Strong, 2- Medium, 1- Low

_	SKILL ENHANCEMENT I: INTRODUCTION TO MS EXCEL 2007												
	Course Code	т	т	р	G	Credits	Ingt II.	Total	Marks				
	Course Code	L	1	r	3		Inst. Hours	Hours	CIA	External	Total		
	MP242SE1	4	-	-	-	3	4	60	25	75	100		

SEMESTER II SKILL ENHANCEMENT I: INTRODUCTION TO MS EXCEL 2007

Pre-requisite

Students should know about the fundamental skills of a computer and some useful shortcuts.

Learning Objectives

- 1. To familiarize the students with Excel's basic features.
- 2. To acquire skills for data analysis using MS Excel.

Course Outcomes

On the successful completion of the course, students will be able to:							
1.	understand the Excel interface including the ribbon, worksheets and cells	K2					
2.	enter and format data effectively including text, numbers and formulas	K3& K4					
3.	use basic functions like SUM, AVERAGE and COUNT for simple calculations	K3 & K4					
4.	manage data effectively through organization, sorting and filtering	K3 & K4					
5.	create various chart types including bar charts, line graphs, pie charts,	K4 & K5					
	and scatter plots to visually represent data.						

$K2\mbox{-}Understand; K3\mbox{-}Apply; K4\mbox{-}Analyze; K5\mbox{-}Evaluate; K6\mbox{-}Create$

Units	Contents	No. of
		Hours
I	Getting Started with Excel 2007 Introduction to Excel 2007 User Interface – Title Bar – Office Button – Quick Access Toolbar – Ribbon – Command Tabs – Contextual Tabs – Command Sets – Dialog Box Launchers – Mini Toolbar – Live Preview – Key Tips – Super ToolTips – Name Box – Formula Bar – Work Area – Zoom Controls – Creating a New Workbook – Using a Blank Workbook Template – Saving a Workbook – Closing the Current Workbook – Opening an Existing Workbook – Closing MS Excel Chapter 1: Pages 4-18, 23-28	12
II	Working with Data and Data Tables Introduction – Entering Data using AutoFill – AutoFill a Text Series - AutoFill a Number Series – Creating Your Own Custom List – Using Merge & Center –Turning on Text Wrapping – Changing Number Formats – Increasing or Decreasing Decimals in Numeric Data Chapter 2: Pages 32, 40-57	12
III	Working with Data and Data Tables Sorting Data – Sorting Data using Some Predefined Criteria – Sorting Data by Defining Custom Sort Criteria – Filtering Data – Linking Data – Adding a Hyperlink – Editing a Hyperlink – Removing a Hyperlink – Creating a Table - Creating a Table from a Blank Cell Range - Creating a Table from an Existing Data Range – Editing a Table – Formatting a Table – Sorting a Table – Filtering a Table Chapter 2: Pages 65-88	12
IV	Using Formulas and Functions	12

	Introduction – Understanding Formulas – Operators in Excel 2007 –	
	Operator Precedence – Creating a Formula – Editing a Formula –	
	Defining Range Names – Assigning a Range name– Selecting a Range –	
	Editing a range Name – Referencing Ranges in Formulas- Referencing	
	Cells from Other Worksheets - Using Relative and Absolute Cell	
	References – Understanding Functions – Some Common Excel Functions	
	– Applying a Function – Editing a Function - Calculating Total of Cell	
	Data with AutoSum.	
	Chapter 5: Pages 178-210	
	Working with Charts	
	Introduction – Creating a chart – Changing the Chart Layout – Changing	
v	the Chart Styles – Changing the Chart Type – Adding a Chart Title –	12
v	Adding Axis Titles – Adding Data Labels – Adding a Legend –Adding	14
	Gridlines.	
	Chapter 7: Pages 258-281	
	Total	60

Self-study	Range Names – Assigning a Range name– Selecting a Range – Editing a range Name

Textbook

Kogent Learning Solutions Inc, Excel 2007 in Simple Steps, 2010, Dreamlech Press **Reference Books**

1. McKie. D, 2009, Introduction to MS Excel 2007, Centre for Educational Technology, University of Cape Town.

2. Joan Lambert and Curtis Frye, 2022, Microsoft Excel Step by Step, Pearson Education.

3. Rutkosky, Seguin, Microsoft Excel 2007, 2008, A Visual Approach to Learning Computer Skills, BPB Publications

Web Resources

- 1. .https://www.gacbe.ac.in/pdf/ematerial/18BCS5EL-U5.pdf
- 2. https://www.sgul.ac.uk/about/our-professional-services/informationservices/library/documents/training-manuals/Excel-Fundamentals-Manual.pdf
- 3. .https://www.csun.edu/sites/default/files/excel07basics.pdf
- 4. https://ptgmedia.pearsoncmg.com/images/9780735623040/samplepages/9780735623040.p df
- 5. https://www.geeksforgeeks.org/introduction-to-ms-excel/

AND PROGRAMME SPECIFIC OUTCOMES												
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	3	2	3	2	3	2	3	3	2
CO2	3	3	3	3	2	3	2	3	2	3	3	2
CO3	3	3	3	3	2	3	2	3	2	3	3	2
CO4	3	3	3	3	2	3	2	3	2	3	3	2
CO5	3	3	3	3	2	3	2	3	2	3	3	2
TOTAL	15	13	13	14	15	15	12	15	14	13	11	15
AVERAGE	3	2.6	2.6	2.8	3	3	2.4	3	2.8	2.6	2.2	3

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

^{3–}Strong,2-Medium,1-Low

SEMESTER I & II

LIFE SKILL TRAINING - I ETHICS

Course	т	т	D	G	Credits	Inst. Hours	Total Hours		Marks	
Code	L	I	r	3	Creans	mst. nours	Total Hours	CIA	External	Total
PG23LST1	1	-	-	-	1	1	15	50	50	100

Prerequisites: Value education-its purpose and significance in the present world

Learning Objectives

- **1.** To familiarize students with values of the individual, society, culture, one's own health and life philosophy,
- 2. To impart knowledge of professional ethical standards, codes of ethics, obligations, safety, rights, and other worldwide challenges.

Course Outcomes	On completion of this course the student will be	
	able to	
1	understand deeper insight of the meaning of their existence.	K1
2	recognize the philosophy of life and individual qualities	K2
3	acquire the skills required for a successful personal and professional life.	K3
4	develop as socially responsible citizens.	K4
5	create a peaceful, communal community and embrace unity.	K3

Unit	Contents	No. of Hours	
	Goal Setting: Definition - Brainstorming Session –		
Ι	Setting Goals – Few components of setting goals.	3	
	Group Dynamics: Definition - Nature of Groups – Types of		
II	Groups – Determinants of group behaviour	3	
	Conflict Resolution: Definition – What is a conflict resolution – Why		
III	should conflicts be resolved? - Lessons for life	3	
	Decision Making: Definition – 3C's of decision making – Seven		
IV	Steps to effective decision making – Barriers in effective decision making	3	
X 7	Anger Management: Effects of anger – Tips to reduce anger – Anger	2	
V	warning signs – Identify your triggers – Ways to cool down your anger.	3	
	TOTAL	15	

Textbook

Life Skill Training – I Ethics, Holy Cross College (Autonomous), Nagercoil

Reference Books

- 1. Holy Cross College (Autonomous), Nagercoil (2007). Foundation Course Life's Challenges. Sipca Computers.
- 2. Mathew, Sam (2010). Self Help Life Book. Opus Press Publisher.
- 3. Swati Mehrotra. (2016). Inspiring Souls Moral Values and Life Skills (1st ed.) [English]. Acevision Publisher Pvt. Ltd.
- 4. Irai Anbu, v. (2010, August). Random Thoughts (1st ed.) [English]. THG Publishing Private Limited, 2019.
- _ Holy Cross College (Autonomous), Nagercoil (2007). Foundation Course Life's
- 5. Challenges. Sipca Computers.

Web Resources

- 1. https://positivepsychology.com/goal-setting-exercises/
- 2. https://www.gov.nl.ca/iet/files/CCB_GroupDynamicsGuide.pdf
- 3. https://en.wikipedia.org/wiki/Conflict_resolution
- 4. https://asana.com/resources/decision-making-process
- 5. https://www.mayoclinic.org/healthy-lifestyle/adult-health/in-depth/angermanagement/art-20045434

CORECOURSE VII : COMPLEX ANALYSIS											
Course Code	т	т	р	G	Credita	Inst Hound	Total	Total Marks			
Course Code	L	I	r	Э	Creans	Inst. Hours	Hours	CIA	External	Total	
MP233CC1	6	-	-	-	5	6	90	25	75	100	

SEMESTER III

Pre-requisite:

UG level Complex Analysis

Learning Objectives:

- **1.** To understand the fundamental concepts and theorems of complex analysis, including Cauchy's Integral Formula, Taylor's Theorem, and the Residue Theorem.
- 2. To develop proficiency in applying complex analysis techniques to solve problems involving harmonic functions, power series expansions, and entire functions.

Course Outcomes

On the	On the successful completion of the course, students will be able to:						
1.	demonstrate the ability to compute line integrals over rectifiable arcs and apply Cauchy's Theorem to evaluate integrals in various domains.	K2, K3					
2.	interpret and apply advanced concepts such as Jensen's Formula and Hadamard's Theorem to analyze the behavior of entire functions and infinite products.	K3, K4					
3.	apply the calculus of residues to evaluate definite integrals and utilize harmonic functions to solve boundary value problems using Poisson's Formula and Schwarz's Theorem.	K3, K5					
4.	construct power series expansions using Weierstrass's Theorem and apply partial fractions and factorization techniques to manipulate complex functions.	K3, K6					
5.	analyze the local properties of analytic functions, including removable singularities, zeros, poles, and the Maximum Principle.	K4					

K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate; K6– Create

Units	Contents	No. of Hours
I	Complex Integration: Line Integrals – Rectifiable Arcs – Line Integrals as Functions of Arcs – Cauchy's Theorem for a Rectangle – Cauchy's Theorem in a Disk– Cauchy's Integral Formula: The Index of a Point with respect to a Closed Curve – The Integral Formula – Higher Derivatives. Chapter 4: Section 1, Section 2.	18
II	Local Properties of Analytic Functions: Removable Singularities – Taylor's Theorem – Zeros and Poles – The Local Mapping – The Maximum Principle - The General Form of Cauchy's Theorem: Chains and Cycles: Simple Connectivity – Homology – The General Statement of Cauchy's Theorem – Proof of Cauchy's Theorem. Chapter 4: Section 3, Section 4: 4.1 – 4.4.	18
Ш	The Calculus of Residues: The Residue Theorem – The Argument Principle – Evaluation of Definite Integrals - Harmonic Functions: Definition and Basic Properties – The Mean-Value Property. Chapter 4: Section 5, Section 6: 6.1 – 6.2	18
IV	Poisson's Formula – Schwarz's Theorem – The Reflection Principle– Power Series Expansions: Weierstrass's Theorem – The Taylor's Series	18

	– The Laurent Series.	
	Chapter 4: Section 6: $6.3 - 6.5$; Chapter 5: Section 1	
	Partial Fractions and Factorization: Partial Fractions – Infinite	
v	Products – Canonical Products – Entire Functions: Jensen's Formula –	10
v	Hadamard's Theorem.	18
	Chapter 5: Section 2: $2.1 - 2.3$, Section 3	
	Total	90

Self-study The Residue Theorem, The Argument Principle, Evaluation of Definite Integrals

Textbook:

1. Lars V. Ahlfors, 1979. Complex Analysis, (3rd edition) McGraw Hill Co., New York.

Reference Books:

- 1. Presfly, H. A., 2003. Introduction to Complex Analysis, Clarendon Press, Oxford.
- 2. Ponnusamy, S., 2011. Foundations of Complex Analysis, 2nd Edition, Narosa Publishing House.
- 3. Conway, J. B., 1995. *Functions of One Complex Variable*, 2nd Edition, Springer-Verlag, Narosa Publishing Co.
- 4. Narayanan, S., & Mittal, P. K., 2011. *Theory of Functions of a Complex Variable*, S. Chand & Co Publication.
- 5. Bak, J., & Newman, D. J., 2010. Complex Analysis, 3rd Edition, Springer.
- 6. Brown, J. W., & Churchill, R. V., 2014. *Complex Variables and Applications*, 9th Edition, McGraw-Hill Education.

Web Resources:

- 1. https://mccuan.math.gatech.edu/courses/6321/lars-ahlfors-complex-analysis-third-editionmcgraw-hill-science_engineering_math-1979.pdf
- 2. https://psm73.files.wordpress.com/2009/03/conway.pdf
- 3. https://namitatiwaridotorg.files.wordpress.com/2017/10/ponnusamy-s-silverman-h-1-complex-variables-with-applications.pdf
- 4. https://homepages.uc.edu/~herronda/complex_analysis/Texts/Intro2ComplexAnalysis.pdf
- 5. file:///C:/Users/MariaJini/Downloads/1588542562-complex-variables-and-applications-brown-and-churc.pdf

AND I ROGRAMME SI ECHTIC OUTCOMES												
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	2	2	2	2	2	3	3	3	2	2
CO2	3	2	2	2	2	2	2	3	3	3	2	2
CO3	3	2	2	2	2	2	2	3	3	3	2	2
CO4	3	2	2	2	2	2	2	3	3	3	2	2
CO5	3	2	2	2	2	2	2	3	3	3	2	2
TOTAL	15	10	10	10	10	10	10	15	15	15	10	10
AVERAGE	3	2	2	2	2	2	2	3	3	3	2	2
				•	a .			4 4				

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	CORE COURSE VIII: TOPOLOGY											
Course Code	т	Т	Р	S	Credits	Inst Hound	Total	Marks				
Course Code	L					mst. nours	Hours	CIA	External	Total		
MP233CC2	6	-	-	-	5	6	90	25	75	100		

SEMESTER III

Pre-requisite:

Fundaments of Real Analysis

Learning Objectives:

- **1.** To distinguish spaces by means of simple topological invariants.
- **2.** To lay the foundation for higher studies in Geometry and Algebraic Topology.

	Course Outcomes								
On the s	On the successful completion of the course, students will be able to:								
1	recall the definitions of topological space, basis, various topologies, closed sets, limit points, continuity, connectedness, compactness, separation axioms, countability axioms and completeness	K1							
2	defends the basic results in topological spaces, continuous functions, connectedness, compactness, countability and separation axioms and complete metric spaces	K2							
3	solve problems on topological spaces, continuous functions and topological properties	К3							
4	analyse various facts related to continuous functions, connected spaces, compact spaces, countable spaces, separable spaces, normal space and compact spaces	K4							
5	evaluate the comparison between different types of topological spaces	K5							

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate;

Units	Contents	No. of Hours							
I	Topological spaces and Examples - Basis for a topology - The order topology - The product topology on $X \times Y$ - The subspace topology - Closed sets and Limit points -Continuous function. Chapter 2: Sections $12 - 18$.	18							
II	The Product Topology – The metric topology – Sequence lemma – Uniform limit theorem - Connected spaces – Components and Local connectedness. Chapter 2 : Sections 19 – 21 & Chapter 3 : 23, 25.	18							
III	Compact spaces - Compact subspaces of the Real Line – Uniform Continuity theorem – Limit point Compactness – Local Compactness. Chapter 3 :Sections 26 - 29.	18							
IV	Countability Axioms - First and Second countable spaces –Lindeloff and Separable spaces - The separation axioms - Normal spaces - The Urysohn's Lemma. Chapter 4 :Sections 30 – 33.								
V	The Urysohn Metrization Theorem - Tietze Extension Theorem - Complete metric spaces- Compactness in Metric Spaces. Chapter 4: Sections 34, 35 & Chapter 7: Sections 43, 45.								
	Total	90							
Self-stud	ly Closed sets and Limit points								

Textbook:

1. James R. Munkres, 2015. *Topology*, (2nd Edition), Pearson Education Inc.

Sections: 12 - 21, 23, 25- 28, 30 - 35, 43, 45

Reference Books:

- 1. Gupta, K. P., 2013. Topology, 21st Edition, Pragati Prakashan Publishers.
- 2. Kelley, J. L., 2009. General Topology, 3rd Indian Reprint, Springer-Verlag.
- 3. Simmons, G. F., 2004. *Introduction to Topology and Modern Analysis*, 2nd Indian Reprint, McGraw Hill.
- 4. Willard, S., 1970. General Topology, Addison-Wesley Publishing Company.
- 5. Joshi, K. D., 1983. Introduction to General Topology, Wiley Eastern Ltd.

Web Resources:

- 1. https://www.uio.no/studier/emner/matnat/math/MAT4500/h18/dokumenter/topology.pdf
- 2. http://www.math.iitb.ac.in/~ronnie/Spring2022/Lecture-Notes.pdf
- 3. https://www.math.colostate.edu/~renzo/teaching/Topology10/Notes.pdf
- 4. https://www.youtube.com/watch?v=XHKcrs8YaSo
- 5. https://www.youtube.com/watch?v=vv3JNSPKeEU

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	2	2	3	2	2	3	2	3	2	2	2	2
CO2	3	3	3	2	2	3	2	3	2	2	2	2
CO3	3	3	3	2	2	3	2	3	2	2	2	2
CO4	3	3	3	2	2	2	2	3	2	2	2	2
CO5	3	3	3	2	2	2	2	3	2	2	2	2
TOTAL	14	14	15	10	10	13	10	15	10	10	10	10
AVERAGE	2.8	2.8	3	2	2	2.6	2	3	2	2	2	2

SEMESTER III CORECOURSE IX: TRADITIONAL MECHANICS

Course Code	т	т	р	C	Creadita	ts Inst. Hours Total <u>Ma</u> Hours CIA Exte		Cudita Inst Houng		Marks	
Course Code	L	I	r	ð	Creans	Inst. Hours	Hours	CIA	External	Total	
MP233CC3	6	-	1	1	5	6	90	25	75	100	

Pre-requisite:

Foundational understanding of principles like force, motion, energy, and momentum. Critical thinking and problem-solving skills for applying these concepts to various scenarios.

Learning Objectives:

- 1. To gain deep insight into concepts of Dynamics
- 2. To do significant contemporary research.

Course Outcomes

On the s	uccessful completion of the course, students will be able to:	
1.	grasp concepts like time dilation, relativistic dynamics, and the equivalence principle.	K1
2.	understand classical mechanics principles such as coordinates, constraints, and energy-momentum relationships for analyzing mechanical systems.	K2
3.	apply Lagrangian methods to special cases such as impulsive motion and systems with constraints, thereby expanding their problem-solving abilities	К3
4.	integrate classical and relativistic mechanics, enabling them to analyze systems ranging from everyday mechanics to those involving high speeds and gravity.	K4
5.	become proficient in using Lagrangian mechanics to solve complex problems and identify integral properties of motion.	K5

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyze; K5 - Evaluate;

Units	Contents	No. of Hours
Ι	The Mechanical System - Generalized coordinates - Constraints - Virtual work and D' Alembert's Principle - Energy and Momentum.	18
Π	Derivation of Lagrange's equations - Problems using Lagrange's equation – Integrals of the motion.	18
ш	Special Applications of Lagrange's Equations – Rayleigh's Dissipation Function – Impulsive Motion – Impulsive and momentum - Lagrangian method - Ordinary constraints - Impulsive constraints – Energy considerations- Quasi –coordinates. Examples	18
IV	Introduction to Relativity – Introduction –Galilean transformation – Maxwell's equations – The ether theory – The principle of relativity – Relativistic Kinematics – The Lorentz transformation equations – Events and simultaneity – Einstein's train – Time dilation- Longitudinal contraction- the invariant interval – proper time and proper distance- The world line – the twin paradox - Addition of velocities – the relativistic Doppler effect.	18
v	Relativistic Dynamics -Momentum – Energy - The momentum-energy four vector - Force – Conservation of energy – Mass and energy – inelastic collision – The principle of equivalence - Lagrangian and Hamiltonian formulations- Accelerated systems – Rocket with constant acceleration - Rocket with constant thrust	18

]	otal	90
Self-study	The Lorentz transformation equations – Events and simultaneity – Einst	ein's train –
	Time dilation- Longitudinal contraction- the invariant interval – prop	er time and

Textbook:

1.Greenwood, D. T., 1979. *Classical Dynamics*, Prentice-Hall Inc., Englewood Cliffs, N.J., U.S.A. **Reference Books:**

- 1. Goldstein, H., 1994. Classical Mechanics, 2nd Edition, Narosa Publishing.
- 2. Synge, J. L., & Griffith, B. A., 1959. Principle of Mechanics, McGraw Hill.
- 3. Rutherford, D. E., 2000. *Classical Mechanics*, Oliver Boyd, New York.
- 4. Chorlton, F., 1969. Textbook of Dynamics, Van Nostrand.
- 5. Hasbun, J. E., 2009. Classical Mechanics, Jones and Bartlett Publishers.

Web Resources:

- 1. https://www.coursera.org/courses?query=introduction%20to%20classical%20mechanics
- 2. https://www.youtube.com/channel/UC7_gcs09iThXybpVgjHZ_7g
- 3. https://www.youtube.com/user/MIT

proper distance

- 4. https://www.youtube.com/user/khanacademy/playlists?view=50&sort=dd&shelf_id=9
- 5. https://www.youtube.com/user/physicswoman

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	2	3	2	3	3	3	3	3	2
CO2	3	3	3	2	3	2	3	3	3	3	3	2
CO3	3	3	3	2	3	2	3	3	3	3	3	2
CO4	3	3	3	2	3	2	3	3	3	3	3	3
CO5	3	3	3	2	3	2	3	3	3	3	3	3
TOTAL	15	15	15	10	15	10	15	15	15	15	15	12
AVERAGE	3	3	3	2	3	2	3	3	3	3	3	2.4

3 – Strong, 2- Medium, 1- Low

Course Code	т	Т	п	S	Credits	Inst Houng	Total	Marks			
Course Code	L	1	r			Inst. Hours	Hours	CIA	External	Total	
MP233RP1	-	-	-	-	4	5	75	25	75	100	

SEMESTER III CORE - RESEARCH PROJECT

Pre-requisite:

Basic knowledge of research methods and ethical guidelines.

Learning Objectives:

- **1.** Acquire skills in data analysis using statistical software or qualitative analysis methods, depending on the nature of the data.
- 2. Develop the ability to interpret research findings accurately, drawing conclusions based on evidence and relating them to the research question.

Course Outcomes

On the	successful completion of the course, students will be able to:	
1.	learn to manage research projects, adhering to timelines and adapting to challenges.	K1
2.	understand ethical considerations in research and collaborate effectively with peers and advisors.	K2
3.	conduct independent research, from formulating questions to gathering data.	K2
4.	communicate their research findings through written reports and oral presentations.	K3, K5
5.	develop critical thinking skills, analyzing findings and drawing informed conclusions.	K4, K6

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate; K6 – Create Course Requirements:

- 1. All students are mandated to undertake a dissertation in their final year (III semester).
- 2. Students may pursue their project in another institution with consent from the Supervisor, HoD, and Principal, especially with MoU/Collaboration for project completion.

Evaluation Structure:

Evaluation	Marks	Month/ Date	Evaluator
Proposed title, review of literature	-	3 rd Week of III	-
and objectives.		Semester	
I Review	5	July	Supervisor
II Review	5	August	Supervisor
Report	15	September/ October	Supervisor
External - Dissertation	40	October /November	Ext. examiner
*Viva-voce (individual & open)	35		
Total marks	100		

• The presentation mode is by PowerPoint.

Dissertation Format:

- Dissertation format specifications include:
- Font: Times New Roman
- Heading: Font size 14 (Bold, Uppercase)

- Subheadings: Font size 12 (Bold, Lowercase), numbered (e.g., Introduction 1; Subheading 1.1; 1.2)
- Text content: Font size 12 (Normal)
- Citation: Follow specified citation formats for referencing other researchers' work.
- Line spacing: 1.5
- Margin: 2" left, 1" right, Gutter: 0.5
- Page numbering: Bottom middle alignment, excluding initial pages and references.
- Total pages: Minimum 30, Maximum 50 (excluding initial pages and references).
- Tables and Figures should be included subsequently after referring to them in the text.
- Chapters should be printed on both sides.
- Project reports must be completed within the stipulated time.
- Submission requirements include one soft copy (PDF format on CD) and three hard copies (soft binding) duly signed and endorsed by the Supervisor and the Head.

Structure of Project Report:

- 1. Initial Pages:
 - Title Page
 - Supervisor's Certificate
 - Candidate's Declaration (endorsed by Supervisor and HoD)
 - Acknowledgment (one-page, signed by the candidate)
 - Table of Contents
 - List of Abbreviations
 - Abstract
- 2. Main Body:
 - Introduction with Literature Review and Objectives
 - Methodology
 - Results
 - Discussion
 - Summary
 - References
- 3. Reference guidelines for various sources are provided for proper citation.

	AND PROGRAMME SPECIFIC OUTCOMES													
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5		
CO1	2	3	3	3	2	3	2	3	3	3	3	2		
CO2	2	2	3	3	2	2	2	3	3	2	3	2		
CO3	3	3	3	3	2	2	2	3	3	3	3	2		
CO4	3	3	3	3	2	2	2	3	3	2	3	2		
CO5	3	3	3	3	2	2	2	3	3	3	3	2		
TOTAL	13	14	15	15	10	11	10	15	15	13	15	10		
AVERAGE	2.6	2.8	3	3	2	2.2	2	3	3	2.6	3	2		

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

SEMESTER III ELECTIVE COURSE V: a) ALGORITHMIC NETWORK ANALYSIS

Course Code	e Code L T P S Credits Inst	Inst Hound	Total Marks							
Course Code	L	I	r	ð	Creans	Ilist. Hours	Hours	CIA	External	Total
MP233EC1	4	-	-	-	3	4	60	25	75	100

Pre-requisite:

Understanding of basic data structures, algorithms, and graph theory concepts. **Learning Objectives:**

1. To master fundamental algorithms and data structures, enabling efficient problem-solving.

2. To develop analytical skills for evaluating and implementing algorithms, addressing real-world challenges in various domains.

	Course Outcomes									
On the successful completion of the course, students will be able to:										
1.	structures, and graph theory, including definitions, properties, and terminology.									
2.	demonstrate a solid understanding of the principles and theories including their applications in problem-solving and computational analysis.	K2								
3.	apply algorithmic techniques to solve real-world problems efficiently.	K3								
4.	analyze algorithms, data structures, and graph theory concepts to identify optimal solutions for computational problems.	K4								
5.	represent graphs in a computer using different data structures.	K5								

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate;

Units	Contents	No. of								
Units	Contents	Hours								
I	An Introduction to Algorithms – Algorithmic Complexity, Search Algorithms, Sorting Algorithms, Greedy Algorithms, Representing Graphs in a Computer. Chapter 2: Section 2.1 – 2.3, 2.5, 2.6	12								
П	Trees – Properties of trees, Depth-First Search, Depth-First Search: A Tool for Finding Blocks, Breadth-First Search, The Minimum Spanning									
III	Paths and Distance in Graphs – Distance in Graphs, Distance in Weighted Graphs, The Center and Median of a Graph Chapter 4: Section 4.1 – 4.3									
IV	Networks – An Introduction to Networks, The Max-Flow Min-Cut Theorem, A Max-Flow Min-Cut Algorithm, Connectivity and Edge- Connectivity, Menger's Theorem Chapter 5: Section 5.1 – 5.3, 5.5, 5.6	12								
V	Digraphs – Strong Digraphs, Depth-First Search in Digraphs, Depth-First Search Algorithm for Digraphs, Strongly Connected Components, Tournaments Chapter 11: Section 11.1 – 11.4	12								
	Total	60								

Self-	Paths and Distance in Graphs – Distance in Graphs, Distance in Weighted Graphs, The
study	Center and Median of a Graph.

Textbook:

1.Gary Chartrand, Ortrud R. Oellermann, 1993. Applied and Algorithmic Graph Theory, McGraw-Hill, New York.

Reference Books:

- 1. Cormen, T. H., Leiserson, C. E., Rivest, R. L., Stein, C., 2022. Introduction to Algorithms, The MIT Press, Cambridge, Massachusetts, London, England.
- 2. Diestel, R., 2017. Graph Theory, Springer, New York.
- 3. Even, S., 2012. *Graph Algorithms*, Cambridge University Press, New York.
- 4. Cormen, T. H., Leiserson, C. E., Rivest, R. L., Stein, C., 2010. Introduction to Algorithms, 3rd Edition, PHI Learning Pvt. Limited.
- 5. Murugan, M., 2003. Graph Theory and Algorithms, Muthali Publishing House.

Web Resources:

- 1. https://alexjbest.github.io/mjolnir/warwick2/CS254/CS254.pdf
- 2. https://www.mathe2.unibayreuth.de/axel/papers/mchugh:algorithmic graph theory.pdf
- 3. https://www.ime.usp.br/~am/328/DaMNeD.pdf
- 4. https://arxiv.org/ftp/arxiv/papers/1302/1302.4378.pdf
- 5. https://www.shahucollegelatur.org.in/Department/Studymaterial/sci/it/BCS/FY/bo ok.pdf MAPPING WITH PROGRAMME OUTCOMES

			AND]	PROG	RAM	ME S	PECI	FIC OU	JTCON	1ES		
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	2	2	3	3	2	3	2	2	2	3
CO2	3	2	2	3	3	3	2	3	3	2	2	3
CO3	3	3	3	3	3	3	2	3	3	3	2	3
CO4	3	3	3	3	3	3	3	3	3	3	2	3
CO5	3	3	3	3	3	3	3	3	3	3	3	3
TOTAL	15	13	13	14	15	15	12	15	14	13	11	15
AVERAGE	3	2.6	2.6	2.8	3	3	2.4	3	2.8	2.6	2.2	3

SEMESTER III

ELECTIVE COURSE V: b) INTRODUCTION TO MACHINE LEARNING USING PYTHON

Course Code	т	т	р	G	Cradita	Inst Hound	Total	Marks					
Course Code	L	I	r	ð	Creans	Ilist. Hours	Hours	CIA		Total			
MP233EC2	4	1	-	1	3	4	60	25	75	100			

Pre-requisite:

Familiarity with programming concepts and basic Python syntax

Learning Objectives:

- 1. To learn machine learning and the usage of Python for data analysis.
- 2. To explore probability theory and data visualization techniques using Python.

Course Outcomes

On the	successful completion of the course, students will be able to:	
1	gain a solid understanding of probability theory, including random experiments and the binomial distribution.	K1, K2
2	understand the importance of machine learning and its application in analytics	K2
3	declare variables, use conditional statements, generate sequence numbers, implement control flow statements, and define functions.	K3
4	acquire knowledge of statistical concepts such as the normal distribution, and other important probability distributions, enabling them to analyze data effectively using Python	K4
5	possess skills in data exploration and visualization, capable of drawing various plots including bar charts and comparing distributions.	K5

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyze; K5 - Evaluate;

Units	Contents	No. of Hours									
I	Introduction to Analytics and Machine Learning - Why Machine Learning ? - Framework for Developing Machine Learning Models - Why Python? - Python Stack for Data Science.	12									
II	Introduction to Python-Declaring Variables-Conditional Statements-										
III	Exploration of Data using Visualization-Drawing Plots-Bar Chart- Histogram-Distribution or Density Plot-Box Plot-Comparing Distributions.	12									
IV	Probability Theory-Terminology-Random Experiment-Sample Space- Event-Random Variables-Binomial Distribution.	12									
V	Normal Distribution-Example of Normal Distribution-Mean and Variance-Confidence Interval-Cumulative Probability Distribution-Other Important Distributions.	12									
	Total	60									

Self-
studyExploration of Data using Visualization-Drawing Plots-Bar Chart-Histogram-
Distribution or Density Plot-Box Plot-Comparing Distributions

Textbook:

1.Manaranjan Pradhan, Dinesh Kumar.U. 2023. *Machine Learning using Python*, Wiley India Pvt.Ltd

Reference Books:

1. Müller, A.C., Guido, S., 2016. *Introduction to Machine Learning with Python: A Guide for Data Scientists*, 1st Edition, O'Reilly Media, Sebastopol.

2. Matthes, E., 2015. Python Crash Course, 1st Edition, No Starch Press, San Francisco.

3. Provost, F., Fawcett, T., 2013. *Data Science for Business: What You Need to Know about Data Mining and Data-Analytic Thinking*, 1st Edition, O'Reilly Media, Sebastopol.

4. Healy, K., 2018. *Data Visualization: A Practical Introduction*, 1st Edition, Princeton University Press, Princeton.

5. Blitzstein, J.K., Hwang, J., 2019. *Introduction to Probability*, 1st Edition, CRC Press, Boca Raton.

Web Resources:

- 1. https://machinelearningmastery.com/
- 2. https://www.programiz.com/python-programming
- 3. https://www.statisticshowto.com/probability-and-statistics/
- 4. https://stattrek.com/probability-distributions/normal.aspx
- 5. https://towardsdatascience.com/tagged/normal-distribution

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	2	2	2	3	3	3	2	2
CO2	3	3	2	2	2	2	2	3	3	3	2	2
CO3	3	3	2	2	2	2	2	3	3	3	2	2
CO4	3	3	3	2	2	3	2	3	3	3	3	2
CO5	3	3	3	2	2	3	2	3	3	3	3	2
TOTAL	15	15	12	10	10	12	10	15	15	15	12	10
AVERAGE	3	3	2.4	2	2	2.4	2	3	3	3	2.4	2

3 – Strong, 2- Medium, 1- Low

	ELECTIVE COURSE V: C) CODING THEORY												
ſ	Course Code	т	т	n	S	Credits	Inst Hound	Total	Marks				
	Course Code	L	I	r			Inst. nours	Hours	CIA	External	Total		
	MP233EC3	4	-	-	-	3	4	60	25	75	100		

SEMESTER III ELECTIVE COURSE V : c) CODING THEORY

Pre-requisite:

A strong mathematical background in combinatorial theory and information theory is essential to learn coding theory

Learning Objectives:

- 1. To learn the different procedures of coding and decoding.
- 2. To avail job opportunities in a number of detective agencies

Course Outcomes

On the successful completion of the course, students will be able to:		
understand how the information theory principles influence the design and optimization of error-correcting codes.	K2	
apply combinatorial theory principles to construct efficient error- correcting codes, such as Hamming codes and Golay codes	K3	
explore advanced coding methods and understand their constructions, properties, and applications in modern communication systems and cryptography.	K4	
develop the ability to analyze and evaluate various coding techniques and algorithms, including majority logic decoding and weight enumerators	K5	
	gain a deep understanding of fundamental concepts in coding theory, and their applications in error detection and correction.understand how the information theory principles influence the design and optimization of error-correcting codes.apply combinatorial theory principles to construct efficient error- correcting codes, such as Hamming codes and Golay codesexplore advanced coding methods and understand their constructions, properties, and applications in modern communication systems and cryptography.develop the ability to analyze and evaluate various coding techniques and	

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyze; K5 - Evaluate;

Units	Contents	No. of Hours
Ι	Mathematical Background: Algebra - Krawtchouk Polynomials - Combinatorial theory – Probability Theory Chapter 1, 1.1, 1.2, 1.3, 1.4	12
II	Linear codes: Block codes - Linear codes - Hamming codes - Majority logic decoding - Weight Enumerators Chapter 3, 3.1, 3.2, 3.3, 3.4, 3.5	12
III	Some good codes: Hadamard codes and generalizations - The binary Golay code - The ternary Golay code - Constructing codes from other codes Chapter 4, 4.1, 4.2, 4.3, 4.4	12
IV	Goppa Codes : Motivation – Goppa Codes – The minimum Distance of Goppa Codes – Asymptotic Behaviour of Goppa Codes - Decoding Goppa Codes. Chapter 9, 9.1, 9.2, 9.3, 9.4, 9.5	12
V	Algebraic Geometry Codes: Divisors – The Riemann –Roch Theorem – Codes from Algebraic Curves Chapter 10, 10.3, 10.5, 10.6	12
	Total	60

 Self-study
 Linear codes: Block codes - Linear codes - Hamming codes - Majority logic decoding

 - Weight Enumerators

Textbook:

1.Van Lint, J. H. 2000. Introduction to Coding Theory. 3rd Edition. Springer.

Reference Books:

- 1. Borda, M., 2011. Fundamentals in Information Theory and Coding, Springer
- 2. Hill, R., 1986. A First Course in Coding Theory. Clarendon Press, Oxford
- 3. Pless, V. 1998. *Introduction to the Theory of Error-Correcting Codes*. (3rd Edition). John Wiley and Sons Inc.
- 4. Huffman, W. C., & Pless, V. 2003. *Fundamentals of Error-Correcting Codes*. Cambridge University Press
- 5. Moser, S. M., & Chen, P-N. 2012. A Student's Guide to Coding and Information Theory. Cambridge University Press

Web Resources:

- 1. https://link.springer.com/book/10.1007/978-0-387-93877-7
- 2. https://ieeexplore.ieee.org/book/5226426
- 3. https://books.google.com/books/about/A_Course_in_Coding_Theory.html?id=Up TPAwAAQBAJ
- 4. https://www.sciencedirect.com/book/9780120890602/algebraic-coding-theory
- 5. https://onlinelibrary.wiley.com/doi/book/10.1002/9781118032872

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	2	3	3	3	2	3	2	3	3	3	3	2
CO2	2	2	3	3	2	2	2	3	3	2	3	2
CO3	3	3	3	3	2	2	2	3	3	3	3	2
CO4	3	3	3	3	2	2	2	3	3	2	3	2
CO5	3	3	3	3	2	2	2	3	3	3	3	2
TOTAL	13	14	15	15	10	11	10	15	15	13	15	10
AVERAGE	2.6	2.8	3	3	2	2.2	2	3	3	2.6	3	2

SKILL I	SKILL ENHANCEMENT COURSE II: RESEARCH METHODOLOGY											
Course Code	т	т	р	S	Credits	Inst.	Total	Marks				
	L	I	r		Creans	Hours	Hours	CIA	External	Total		
MP233SE1	3	-	-	-	2	3	45	25	75	100		

SEMESTER III

Pre-requisite

Foundational knowledge in critical thinking, statistics, ethics, and scientific method. **Learning Objectives**

1. To write a scientific research manuscript containing important key sections

2. To realize the importance of Research Ethics and methodologies involved in the research process

Cours	se Outcomes	
	students will	ha ahla ta

On the s	successful completion of the course, students will be able to:	
1	understand the objectives and methods of research, standard structure of a scientific paper and avoid plagiarism.	K2
2	analyzing research data and statistical measures such as measures of central tendency, dispersion, and asymmetry.	K4
3	identify the ethics of scientific paper writing and analyze research problems	K4
4	develop research designs for specific research problems and assess the significance of research in various fields.	К5
5	create structured scientific research papers and write project proposals and progress reports for research funding.	K6

K2 - Understand; K3 - Apply; K4 - Analyze; K5– Evaluate; K6- Create

Units	Contents	No. of Hours
I	Research Methodology: An Introduction - Meaning of Research - Objectives of Research - Motivation in Research - Types of Research - Research Approaches - Significance of Research - Research Methods versus Methodology - Research and Scientific Method - Importance of Knowing How Research is Done - Research Process - Criteria of Good Research - Problems Encountered by Researchers in India Text Book 1: Chapter 1	9
п	Defining the Research Problem - Selecting the Problem - Necessity of Defining the Problem -Technique Involved in Defining a Problem - An Illustration - Research Design - Meaning of Research Design - Need for Research Design - Research Methodology - Features of a Good Design - Important Concepts Relating to Research Design - Different Research Designs - Basic Principles of Experimental Designs - Developing a Research Plan. Text Book 1: Chapter 2 & Chapter 3	9
ш	Processing and Analysis of Data - Processing Operations - Some Problems in Processing - Elements/Types of Analysis - Statistics in Research - Measures of Central Tendency - Measures of Dispersion - Measures of Asymmetry (Skewness) Text Book 1: Chapter 7 upto page 137	9
IV	Research Project – Difference between a Dissertation and a Thesis – Basic Requirements of a Research Degree – Deciding on a research topic – Writing a	9

	Text Book 2: Chapters 7 & 8 Total	45
V	Publishing and Presenting your Research and Tool kit–Journal Articles – A book – Conference Presentation– A final note – All punctuations.	9
	Abstract – Acknowledgement – List of Contents – Introduction– Literature Review – Methodology – Style of Presentation. Text Book 2: Chapter 5 ; Sec 5.1, 5.2, 5.3, 5.4, 5.6, 5.12, 5.13 Chapter 6: Section 6.1 – 6.4, 6.6, 6.7, 6.8.1(only), 6.9.1(only), 6.11, 6.12.1(only), 6.13	
	proposal – Familiarity with Codes of Practice/ Rules and Regulations–Ethical considerations - Different components of a Research Project – Title page –	

Self-study	Publishing and Presenting your Research and Tool kit–Journal Articles – A book –
	Conference Presentation– A final note –All punctuations.
T 41 1	

Textbooks

- 1. Kothari C.R. 2004, *Research Methodology Methods & Techniques*, New Age International Publishers, Second Edition.
- 2. Neil Murray and Geraldine Hughes, 2008, *Writing up your University Assignments and Research Projects A Practical Handbook,* McGraw Hill Open University Press. First Edition.

Reference Books

- 1. Wayne C. Booth, Gregory G. Colomb, Joseph M. Williams, 2003, *The craft of Research*, The University of Chicago Press London, Second Edition.
- 2. Kenneth S. Bordens, Bruce B. Abbott, 2008, *Research Design and Methods, A Process Approach*, The McGraw Hill Companies.
- 3. George C. Thomas, 2021, *Research Methodology and Scientific Writing*, Springer, Second Edition.
- 4. Ranjit Kumar, 2011, *Research Methodology, a step-by-step guide for beginners*, Sage Publications Ltd, Third Edition.
- 5. Yogesh Kumar Singh, 2006, *Fundamental of Research Methodology and Statistics*, New age International Publishers.

Web Resources

- 1. https://www.youtube.com/watch?v=EVcPmmfK1Do
- 2. https://www.youtube.com/watch?v=GSeeyJVD0JU
- 3. https://www.youtube.com/watch?v=mAVswCbz_jM
- 4. https://www.youtube.com/watch?v=9IJscfF_irU
- 5. https://www.youtube.com/watch?v=ZLjmuKwUfWk

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	2	3	2	3	3	3	3	3	2
CO2	3	3	3	2	3	2	3	3	3	3	3	2
CO3	3	3	3	2	3	2	3	3	3	3	3	2
CO4	3	3	3	3	3	2	3	3	3	3	3	3
CO5	3	3	3	3	3	2	3	3	3	3	3	3
TOTAL	15	15	15	12	15	10	15	15	15	15	15	12
AVERAGE	3	3	3	2.4	3	2	3	3	3	3	3	2.4

SEMESTER III SPECIFIC VALUE ADDED COURSE: DOCUMENTATION USING OVERLEAF AND MATHCHA

Course Code	L	Т	Р	s	Credits	Inst. Hours	Total Hours	Marks CIA External Total				
MP233V01	2	-	-	-	1	2	30	25	75	100		

Pre-requisite:

Basic understanding of Mathematics and related commands, Idea of Microsoft Word Learning Objectives:

- 1. To understand LaTeX, a document preparation system for high-quality typesetting.
- 2. To have hands on experience to become a user of Overleaf and Mathcha. Course Outcomes

On the	successful completion of the course, students will be able to:	
1	type set complex mathematical formulae using LaTeX	K2& K3
2	use tabular and array environments within LaTeX	K2 & K3
3	prepare a LaTeX document, to make scientific article and project report	K3 & K6
4	create automatic generation of table of contents, bibliographies	K6
5	learn about graphics in LaTex using Mathcha	K2& K3

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyse; K5 - Evaluate; K6 - Create

Units	Contents	No. of Hours
Ι	Introduction to LaTeX, Overleaf and Mathcha - Basic structure of LaTeX document - Basic text typing and formatting	6
II	Math equation typing - Listing items	6
III	Table creation - drawing and inserting Figure	6
IV	Article preparation - Thesis Preparation	6
V	Presentation Creation - Beamer Class	6
	Total	30

Self-study LaTeX coding for Mathematics symbols Textbook:

1. Leslie Lamport. 1994. *LATEX: A document Preparation System*, (Second Edition), Addison Wesley Publishing.

Reference Books:

- 1. Kopka H, Daly P.W.2003. A Guide to LaTeX, Addison-Wesley.
- 2. David R. Wilkins. The Art of LaTeX.Jeff Clark, LaTeX Tutorial.
- 3. LaTeX Tuorials-A Primer Indian TEX Users Group, Indian TEX Users Group (TUG).

4. Donald E. Knuth, Tracy L. LaQuey, and Paul M. Roberts. 1989. *Mathematical Writing*. Mathematical Association of America.

Web Resources:

- 1. http://latex-beamer.sourceforge.net.
- 2. https://tobi.oetiker.ch/lshort/lshort.pdf
- 3. https://www.udemy.com/topic/latex/
- 4. https://onlinecourses.swayam2.ac.in/aic20_sp17/preview

5.https://www.overleaf.com/learn/latex/Free_online_introduction_to_LaTeX_(part_1) 6. https://freecomputerbooks.com

6. https://freecomputerbooks.com

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	2	3	2	3	3	3	3	3	3
CO2	3	3	3	2	3	2	3	3	3	3	3	3
CO3	3	3	3	2	3	2	3	3	3	3	3	3
CO4	3	3	3	2	2	2	3	3	3	3	3	3
CO5	3	3	3	2	3	2	3	3	3	3	3	3
TOTAL	15	15	15	10	14	10	15	15	15	15	15	15
AVERAGE	3	3	3	2	2.8	2	3	3	3	3	3	3

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

SEMESTER III

SPECIFIC VALUE ADDED COURSE – CHEMICAL GRAPH THEORY

Course Code	L	Т	Р	S	Credits	Inst. Hours	Total Hours	CIA	Marks External	Total
MP233V02	2	-	-	-	1	2	30	25	75	100

Pre-requisite:

Basic knowledge of Graph Theory and Chemistry.

Learning Objectives:

- 1. To understand the principles and concepts of chemical graph theory, including molecular topology, Huckel graphs.
- 2. To analyze and apply chemical graph theory to model and predict properties of chemical compounds, such as aromaticity, stability, and reactivity, using graph theoretical tools and algorithms.

	Course Outcomes	
On the	successful completion of the course, students will be able to:	
1	understand the relationship between graph theory and chemistry.	K2
2	apply graph theoretical concepts to model and analyze chemical compounds, molecular topology, and molecular structures.	К3
3	develop skills in analyzing and manipulating weighted graphs, including vertex and edge weighted graphs, and understanding their significance in optimization problems and network analysis.	K2, K4
4	develop critical thinking and problem-solving exercises involving various chemical graphs.	K2, K3
5	explore the mathematical properties and applications in areas like material science and network design.	K4

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate; K6– Create

Units	Contents	No. of Hours					
I	Elements of Graph Theory – The Definition of a Graph – Isomorphic Graphs and Automorphism – Walks, Trails, Paths, Distances and Valencies in Graphs – Subgraphs – Regular Graphs. Chapter 2: Sections $I - V$	6					
II	Trees – Planar Graphs – The Story of the Konigsberg Bridge Problem and Eulerian Graphs – Hamiltonian Graphs – Line Graphs. Chapter 2: Sections VI – X	6					
ш	Chemical Graphs – The concept of a Chemical Graph – Molecular Topology – Huckel Graphs. Chapter 3: Sections I – III	6					
IV	Weighted Graphs – Vertex and Edge Weighted Graphs – Mobius						
V	Distance in Graphs and the Wiener Index – External Problems in	6					

General Graphs and Trees – The Wiener Index of Tree Degree Sequence – The Wiener Index of Trees with a	e
Sequence	iven beginent
Chapter 2: Sections 2.3, 2.4, 2.5 (Textbook 2)	
Total	30

Self-study	Elements of Graph Theory – The Definition of a Graph – Isomorphic Graphs
	and Automorphism – Walks, Trails, Paths – Subgraphs – Regular Graphs - Trees
	– Planar Graphs – The Story of the Konigsberg Bridge Problem and Eulerian
	Graphs – Hamiltonian Graphs – Line Graphs.

Textbooks:

- 1. Nenad Trinajstić, 1990. Chemical Graph Theory, 2nd Edition, CRC Press.
- 2. Stephen Wagner, Hua Wang, 2019. Introduction to Chemical Graph Theory, CRC Press.

Reference Books:

- 1. Ivan Gutman, Nenad Trinajstić, 1992. Chemical Graph Theory: Introduction and Fundamentals, 1st Edition, CRC Press.
- 2. Alexandru T. Balaban, 1976. Chemical Applications of Graph Theory, 1st Edition, Academic Press.
- 3. Tomaž Pisanski, Dragan Marušič, 1994. The Symmetry of Polyhedra and Polyhedral Sets in Space: Chemical Applications, 1st Edition, Kluwer Academic Publishers.
- 4. Balaban Alexandru T., Cvetković Dragos M., Gutman Ivan, 2011. Mathematical Chemistry Series: Chemical Graph Theory, 1st Edition, CRC Press.
- 5. Jonathan L. Gross, Jay Yellen, 2007. Graph Theory and Its Applications, 2nd Edition, CRC Press.

Web Resources:

- 1. https://www.docdroid.net/L3DrG6B/chemical-graph-theory-trinajstic-pdf
- 2. http://www.hyle.org/journal/issues/19-1/balaban.pdf
- 3. https://api.pageplace.de/preview/DT0400.9780429833991_A36190126/preview-9780429833991_A36190126.pdf
- 4. https://mir.kashanu.ac.ir/article_95507_bbf21ebf318b0d63b6a7ed64364739ab.pdf
- 5. https://dudhnoicollege.ac.in/online/attendence/classnotes/files/1626791827.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	2	2	2	3	2	2	3	2
CO2	3	3	2	2	2	2	2	3	2	2	3	2
CO3	3	3	2	2	2	2	2	3	2	2	3	2
CO4	3	3	2	2	2	2	2	3	2	2	3	2
CO5	3	3	2	2	2	2	2	3	2	2	3	2
TOTAL	15	15	10	10	10	10	10	15	10	10	15	10
AVERAGE	3	3	2	2	2	2	2	3	2	2	3	2

3 – Strong, 2- Medium, 1- Low

SPECIFICV	ALU	J E- A	٩DI	DEI	COURS	E: ADVANCI	ED LAT	EX WI	FH OVERI	LEAF
Course Code	L	Т	Р	s	Credits	Inst. Hours	Total Hours		Marks	
Course Coue		-	-		Creans		110015	CIA	External	Total
MP233V03	2	-	-	-	1	2	30	25	75	100

SEMESTER III

Pre-requisite:

Basic Computer Knowledge

Learning Objectives:

- 1. To create professional documents and presentations efficiently.
- 2. To produce structured documents, incorporate mathematical expressions and design dynamic presentations.

Course Outcomes

On the successful completion of the course, student will be able to:

1	include mathematical expressions, tables, and images in documents using LaTeX	K2 & K3
2	understand document structure and organization, including abstracts, chapters, sections, and lists.	K2& K4
3	create well-formatted documents and presentations suitable for academic and professional purposes.	K3& K6
3	generate tables of contents, captions, labels, and references in LaTeX documents	K3& K6
4	understand the Beamer class for creating presentations, including customization of themes, fonts, and layouts	K6

K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6– Create

Units	Contents	No. of Hours
Ι	LaTeX Basics What is LaTeX? – Why learn LaTeX? – Writing your first piece of LaTex – The preamble of a document – Including title, author and date information.	6
II	LaTeX Basics Bold, italics and underlining – Adding images – Captions, labels and references – Creating lists in LaTex – unordered lists – ordered lists.	6
III	Adding math to LaTeX Inline math mode – Display math mode – More complete examples	6
IV	Basic Document Structure Abstracts – Paragraphs and new lines - Chapter and sections - Creating a basic table in LaTeX – Adding borders - Captions, labels and references – Adding a table of contents – Downloading your finished document.	6
v	Presentation in LaTeX Introduction – Beamer main features – The title page – Creating a table of contents - Adding effects to a presentation – Highlighting important sentences / words – Customizing your presentation – Themes and color themes – Berkeley theme – Copenhagen theme - Using a color theme – Fonts – Font sizes – Font types – Columns.	6
	Total	30

Self	Adding math to LaTex, More complete examples
study	

Text book

- 1. https://www.overleaf.com/learn/latex/Learn_LaTeX_in_30_minutes
- 2. Beamer Overleaf, Online LaTeX Editor

Reference Books

- 1. Martin J. Erickson, Donald Bindner, 2011, *A Student's Guide to the Study, Practiceand Tools of Modern Mathematics*, CRC Press, Boca Raton, FL.
- 2. Griffits. D.F, Higham D.J, 1997, *Learning Latex*, Siam, Philadelpha
- 3. Kopka, Helmut, Daly P.W,2007, A *Guide to LATEX and Electronic Publishing*, (4th Edition), Addison Wesley Longman Limited.
- 4. Grätzer, G, 2007, *More Math Into LATEX*, (4th Edition), Springer Science + Business Media, LLC.

Web Resources

- 1. https://www.overleaf.com/latex/learn/free-online-introduction-to-latex-part-1.pdf
- 2. https://www.overleaf.com/latex/learn/free-online-introduction-to-latex-part-2.pdf
- 3. https://dl.icdst.org/pdfs/files3/1051dd40ea24f97d588475be7c5ba0d8.pdf
- 4. https://faculty.buffalostate.edu/cunnindw/overleaf.pdf
- 5. https://nbednar.com/wp-content/uploads/2021/08/latex_lesson.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	2	3	2	3	3	3	3	3	3	3	2	2
CO2	3	3	2	2	3	3	3	3	3	2	2	3
CO3	3	3	3	2	3	2	3	3	3	2	3	3
CO4	3	2	3	3	3	3	3	3	3	3	2	3
CO5	2	3	3	3	3	3	3	3	3	3	3	3
TOTAL	13	14	13	13	15	14	15	15	15	13	12	14
AVERAGE	2.6	2.8	2.6	2.6	3	2.8	3	3	3	2.6	2.4	2.8
2 Strong 2 Modium 1 Low												

3 – Strong, 2- Medium, 1- Low

SPECIFI	IC V	'AL	UE	AD	DED CO	URSE: SOCIA	AL NETV	WORK	ANALYSI	S
Course Code	L	Т	Р	s	Credits	Inst. Hours	Total Hours	Marks		
		-	-	~			110015	CIA	External	Total
MP233V04	2	-	-	-	1	2	30	25	75	100

SEMESTER III SPECIFIC VALUE ADDED COURSE: SOCIAL NETWORK ANALYSIS

Pre-requisite

Basic knowledge of Graph theory.

Learning Objectives

- 1. To study the basic concepts and analyze the techniques in social network.
- 2. To detect and generate fundamental network structures.

Course Outcomes

On the successful completion of the course, student will be able to:

	successful completion of the course, student will be able to.	
1	understand the fundamental concepts and theories in social network	K1 & K2
1	analysis.	
2	develop the skills in collecting and organizing network data.	K2 & K4
3	apply appropriate methods and tools for analyzing social networks.	K3
4	interpret and visualize the network data effectively.	K4 & K5
5	explore real-world applications of social network analysis in different	K6
5	domains.	

K1 – Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6- Create

Units	Contents	No. of Hours
I	Networks and Relations: Relations and Attributes - An Overview - The Development of Social Network Analysis: Sociometric Analysis and Graph Theory. Chapter 1: Sections 1.1and 1.2 Chapter 2: Section 2.1	6
II	Interpersonal Configurations and Cliques - Networks: Total and Partial - The Harvard Breakthrough. Chapter 2: Sections 2.2, 2.3 and 2.4	6
ш	Handling Relational Data: The Organization of Relational Data - The Storage of Relational Data. Chapter 3: Sections 3.1 and 3.2	6
IV	Points, Lines and Density: Sociograms and Graph Theory - Density: Ego-centric and Socio-centric. Chapter 4: Sections 4.1 and 4.2	6
v	Centrality and Centralization: Centrality: Logal and Global - Centralization and Graph Centres Chapter 5: Sections 5.1 and 5.2	6
	Total	30

Textbook

1.John Scott, 2000, *Social Network Analysis: A Handbook* (Second Edition), SAGE Publications India Pvt. Limited, New Delhi.

Reference Books

1. David Knoke and Song Yang, 2008, Social Network Analysis Second Edition,

SAGE Publications, Thousand Oaks, California.

- 2. Ian McCulloh, Helen Armstrong and Anthony Johnson, 2013, *Social Network Analysis with Applications* First Edition, John Wiley & Sons Inc.
- 3. Tanmoy Chakraborty, 2021, *Social Network Analysis*, Wiley India Pvt. Limited, Noida.
- 4. Stanley Wasserman and Katherine Faust, *Social Network Analysis: Methods and Applications*, Cambridge University Press.
- 5. Brain V. Carolan, 2013, *Social Network Analysis and Education: Theory, Methods & Applications*(First Edition, SAGE Publications.

Web Resources

- 1. https://www.researchgate.net/publication/324575362_Social_network_analysis_A n_overview
- 2. https://onlinecourses.nptel.ac.in/noc22_cs117/preview
- 3. https://www.researchgate.net/publication/318013493_Social_Network_Analysis
- 4. https://www.publichealth.columbia.edu/research/population-healthmethods/social-network-analysis
- 5. https://www.sciencedirect.com/topics/social-sciences/social-network-analysis

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	2	3	3	3	3	3	3	3	2	3
CO2	3	2	3	2	3	3	3	3	3	2	2	3
CO3	3	3	2	2	3	2	3	3	3	2	3	3
CO4	3	2	3	3	3	3	3	3	3	3	2	3
CO5	3	3	3	3	3	3	3	3	3	3	3	3
TOTAL	15	12	13	13	15	14	15	15	15	13	12	15
AVERAGE	3	2.4	2.6	2.6	3	2.8	3	3	3	2.6	2.4	3

SEMESTER III SELF LEARNING COURSE: DIFFERENTIAL EQUATIONS FOR SET/ CSIR-NET EXAM

Course Code	Cradit	Marks					
Course Code	Credit	CIA	External	Total			
MP233SL1	1	25	75	100			

Pre-requisite

Knowledge of differential equations.

Learning Objectives

- 1.To enhance analytical thinking, problem solving skills.
- 2. To enable the students to clear the SET/ CSIR-NET Exam

On the successful completion of the course, student will be able to:							
1	proficiency in solving second order ordinary differential equations with constant coefficients.	K2 & K3					
2	develop deeper understanding of differential equations concepts.	K2 & K4					
3	ability to solve various types of first order ordinary differential equations.	K3 & K5					
4	critical thinking and problem solving skills through the analysis and interpretation of differential equations and their solutions.	K3 & K6					
5	develop analytical thinking.	K4					

K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate; K6- Create

Units	Contents	No. of Hours
Ι	To solve SET/NET based problems in Ordinary Differential Equations - Existence and Uniqueness of solutions of initial value problems for first order Ordinary Differential Equations.	6
II	To solve SET/NET based problems in Singular solutions of first order Ordinary Differential Equations- System of first order Ordinary Differential Equations-General Theory of Homogeneous and Non- Homogeneous Linear Ordinary Differential Equations.	6
III	To solve SET/NET based problems in Variation of Parameters-Sturm- Liouville-Boundary Value Problem-Green's Function.	6
IV	To solve SET/NET based problems in Partial Differential Equations - Lagrange and Charpit methods for solving first order Partial Differential Equations- Cauchy Problem for first order Partial Differential Equations.	6
V	To solve SET/NET based problems in Classification of second order Partial Differential Equations - General solution of higher order Partial Differential Equations with constant coefficients.	6
	Total	30

Self-study	1. First order Ordinary Differential Equations
	2. Lagrange method

Textbook

1.Pawan Sharma, Neha Sharma, Suraj Singh, UGC CSIR NET/ SET (Junior Research Fellowship & Lectureship) Mathematical Sciences, Arihant Publications (India) Limited.

Reference Books

1. Dr.Alok Kumar, CSIR-UGC NET/ JRF/ SET Mathematical Sciences, Upkar Prakashan, Agra-2.

- 2. T. Amrnath, 2003, *An Elementary Course in Partial Differential Equations* (Second Edition), Narosa Publishing House, New Delhi.
- 3. Dr. Gajendra Purohit, 2023, Advanced CSIR-NET/ JRF Mathematis (Third Edition), Invincible Publication Pvt. Limited.
- 4. Dr. A.P. Singh, 2017, *Differential Equations* (Third Edition), Infostudy Publications, Chandigarh.
- 5. Akhilesh Mani Tripathi and Sunil Kushwaha, UGC-CSIR NET for JRF/ Lectureship Mathematical Sciences, Danika Publishing Company, New Delhi.

Web Resources

- 1. https://www.mathscare.com/notes/csir-net-exam-ordinary-differential-equationnotes/
- 2. https://unacademy.com/content/csir-ugc/study-material/mathematical-sciences/differential-equations/
- 3. https://www.dipsacademy.com/Book/OrdinarydifferentialEquation NETJRF
- 4. https://pkalika.files.wordpress.com/2019/11/practice-ques-for-net-set-gate-38pages-kalika.pdf
- 5. https://www.quora.com/I-am-preparing-for-upcoming-NET-CSIR-examinationin-Mathematics-What-are-some-good-books-in-algebra-real-complex-anddifferential-equations

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	2	3	3	3	3	3	3	3	2	3
CO2	3	3	3	2	3	3	3	3	3	2	2	3
CO3	2	3	2	2	4	2	3	3	3	2	3	3
CO4	3	2	3	3	3	3	3	3	3	3	2	3
CO5	3	3	3	3	3	3	3	3	3	3	3	3
TOTAL	14	12	13	13	15	14	15	15	15	13	12	15
AVERAGE	2.8	2.4	2.6	2.6	3	2.8	3	3	3	2.6	2.4	3

3 – Strong, 2- Medium, 1- Low

CORE COURSE X : FUNCTION ALANALYSIS												
Course Code	т	т	р	G	Credita	Inst Hound	Total		Marks			
Course Code	L	I	P	3	Creans	Inst. Hours	Hours	CIA	External	Total		
MP234CC1	6	-	-	-	5	6	90	25	75	100		

CORE COURSE X • FUNCTIONAL ANALYSIS	SEMESTER IV
	CORE COURSE X : FUNCTION ALANALYSIS

Pre-requisite:

Elements of Real Analysis

Learning Objectives:

1. To provide students with a strong foundation in functional analysis, focusing on spaces, operators and fundamental theorems.

2. To develop student's skills and confidence in mathematical analysis and proof techniques.

Course Outcomes					
On the	e successful completion of the course, students will be able to:				
1	able to demonstrate comprehension of the definitions and basic properties of	K1			
	Banach and Hilbert spaces				
2	able to apply the Hahn Banach theorem to extend continuous linear functionals	K3			
	on subspaces to the whole space				
3	describe the concept of adjoint operators in Hilbert spaces and recognize	K2			
	properties of self-adjoint, normal, and unitary operators				
4	analyze the concepts of determinants, spectrum, and the spectral theorem for	K4			
	operators in finite-dimensional spaces				
5	evaluate the structure of commutative Banach algebras, including understanding	K5			
	the Gelfand Mapping and applications of spectral radius formula				

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate;

Units	Contents	No. of Hours		
Ι	Banach spaces: The Definition and some examples - Continuous linear transformations - The Hahn Banach theorem.	18		
II	Chapter 9: Sections 46 – 48 Banach spaces: The natural imbedding of N into N** - The open mapping theorem - The conjugate of an operator. Chapter 9: Sections 49 – 51			
III	Hilbert spaces: The Definition and some simple properties - Orthogonal complements - Orthonormal sets - The conjugate space H*.Chapter 10: Sections 52 – 55			
IV	 Hilbert spaces: The Adjoint of an operator - self adjoint operators - Normal and unitary operators – Projections. Finite Dimensional Spectral Theory:Determinants and Spectrum of an operator - The spectral theorem. Chapter 10: Sections 56 – 59, Chapter 11: Sections 61 – 62 	18		
V	General Preliminaries on Banach Algebras: The definition and some examples – Regular and singular elements –Topological divisors of Zero- The spectrum – The formula for the spectral radius. Chapter 12: Sections 64 - 68	18		
	Total	90		

Self-study The Adjoint of an operator - self adjoint operators - Normal and unitary operators - Projections

Textbook:

1.Simmons, G. F. (1963). *Introduction to Topology and Modern Analysis*, Tata McGraw Hill.

Reference Books:

- 1. Soma Sundaram, D. (2014), A first course in Functional Analysis, Narosa Publishing House Pvt. Ltd.
- 2. Sharma. J. N, Vasistha. A. R. (2013), *Functional Analysis*, Krishna's Educational Publishers.
- 3. Chandra SekharaRao, K. (2002), Functional Analysis, Narosa Publishing House.
- 4. Thamban Nair, M. (2002), *Functional Analysis*, A First Course, Prentice Hall of India.
- 5. Erwin Kreyzig. (2006), *Introductory Functional Analysis with Applications*, John Wiley and Sons Publication.
- 6. Casper Goffman., & George Pedrick, (1974), *First course in Functional Analysis*, Prentice/ Hall of India Private Limited.

Web Resources:

1. https://gujejedadun.weebly.com/uploads/1/3/1/3/131398181/1804375.pdf

- 2.https://www.researchgate.net/publication/268054942_Number_Theory_through_Functional_Analysis
- 3.https://people.math.ethz.ch/~salamon/PREPRINTS/funcana.pdf
- 4.https://www.maths.usyd.edu.au/u/athomas/FunctionalAnalysis/danersfunctionalanalysis-2017.pdf

5.https://59clc.files.wordpress.com/2012/08/functional-analysis-_-rudin-2th.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	2	3	2	1	1	3	3	3	2	1	3
CO2	3	3	2	1	2	3	2	3	3	2	2	3
CO3	3	3	1	2	2	1	3	3	2	3	2	2
CO4	3	2	3	2	1	3	1	3	3	1	3	2
CO5	3	3	2	3	2	2	2	3	3	2	1	1
TOTAL	15	13	11	10	8	10	11	15	14	10	9	11
AVERAGE	3	2.6	2.2	2	1.6	2	2.2	3	2.8	2	1.8	2.2
				•	a .	• •		4 T				

Ca	ma Cada	т	Т	Р	G	Creadita	In at II anna	Total		Marks	
Col	irse Code	L		ľ	S	Credits	Inst. Hours	Hours	CIA	External	Total
MP	234CC2	6	-	-	-	5	6	90	25	75	100
Pre-r	equisite:										
	UG lev	vel A	Alge	ebra,	, Ca	lculus, and	d knowledge of	f Probabi	lity The	eory.	
Learı	ning Objec	tive	s:								
	-	<u> </u>				0	Probability theory	•			
	2. To se	olve	NE	T/S	ET		obability theor	y problei	ns.		
						Cou	rse Outcomes				
On the	successful	com	ple	tion	of	the course	e, students wil	l be able	to:	•	
1	recall th	recall the basic probability axioms, conditional probability, rando									K1
	variables	variables, and related concepts									
2	define S	Spec	ial	Mat	hem	natical Exp	pectations, The	e Binom	ial Dist	ribution,	K2
	and The	Pois	sson	Dis	trib	ution.					
3	define 7	Гhe	Exp	one	entia	ıl, Gamma	a, and Chi-sq	uare Dis	tributio	ns, The	K2
	Normal I	Dist	ribu	tion	•						
4	study Bi	ivari	iate	Dis	strib	utions of	discrete, and	continu	ous typ	pes, The	K5
	correlatio	on	coef	ficie	ent,	Conditio	nal Distributi	on, and	The 1	Bivariate	
	Normal I	Dist	ribu	tion							
5	discuss	Fun	ctio	ns o	of o	one rando	om variable, '	Transform	nations	of two	K3, K4
	random	vari	able	s, T	The	central lin	mit Theorem,	Chebysh	ve's in	equality,	
		-					imiting momer		-		
	K	[1 -]	Ren	nem	ber;	K2 - Und	erstand; K3 –	Apply; K	4 - Ana	alyze;	
Units						С	ontents				No c

SEMESTER IV CORECOURSE XI: PROBABILITY THEORY

Units	Contents	No. of Hours
Ι	Probability: Properties of Probability- Methods of enumeration – Conditional Probability – Independence Events – Baye's Theorem Chapter 1: Sections 1.1 to 1.5	18
II	Discrete Distributions: Random Variables of the Discrete Type - Mathematical Expectation – Special Mathematical Expectation – The Binomial Distribution – The Poisson Distribution. Chapter 2: Sections 2.1 to 3.6 (Except 2.5)	18
III	Continuous Distributions: Random variables of continuous type –The Exponential, Gamma, and Chi-square Distributions –The Normal Distribution. Chapter 3: Sections 3.1 to 3.3	18
IV	Bivariate Distributions: Bivariate Distributions of discrete type – The correlation coefficient – Conditional Distribution - Bivariate Distributions of continuous type – The Bivariate Normal Distribution. Chapter4: Sections4.1 to 4. 5	18
V	Distributions of functions of Random variables: Functions of one random variable – Transformations of two random variable – Several random variables – The central limit Theorem – Chebyshve's inequality and convergence in probability – Limiting moment generating functions. Chapter 5: Sections 5. 1 to 5.3, 5. 6, 5.8, 5.9	18
	Total	90

Self-study	Probability: Properties of Probability- Methods of enumeration – Conditional
	Probability – Independence Events

Textbook:

1.Hogg, R. V., Tanis, E. A., Zimmerman, D. L., 2022. *Probability and Statistical Inference*, 9th Edition, Boston Columbus Indianapolis New York.

Reference Books:

- 1. Ash, R. B., 1972. Real Analysis and Probability, Academic Press, New York.
- 2. Chung, K. L., 1974. A Course in Probability, Academic Press, New York.
- 3. Durett, R., 1996. *Probability: Theory and Examples*, 2nd Edition, Duxbury Press, New York.
- 4. Rohatgi, V. K., 1988. Introduction to Probability Theory and Mathematical Statistics, 3rd Print, Wiley Eastern Ltd., New Delhi.
- 5. Resnick, S. I., 1999. A Probability Path, Birhauser, Berlin.
- 6. Bhat, B. R., 1999. *Modern Probability Theory*, 3rd Edition, New Age International (P) Ltd, New Delhi.

Web Resources:

- 1. http:/mathforum.org,
- 2. http:/ocw.mit.edu ocw. web Mathematics.
- 3. http://wwW.0pensource.org.
- 4. http://www.probabilitv.net

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5	
CO1	3	1	3	2	3	3	2	3	2	2	2	2	
CO2	2	1	3	1	3	3	1	3	2	2	2	2	
CO3	3	2	3	1	3	3	1	3	2	2	2	2	
CO4	1	2	3	2	3	3	2	3	2	2	2	2	
CO5	3	1	2	3	3	3	3	3	2	2	2	2	
TOTAL	12	7	14	9	15	15	9	15	10	10	10	10	
AVERAGE	2.5	1.4	2.8	1.8	3	3	1.8	3	2	2	2	2	
AVEKAGE	2.3	1.4	4.ð	1.8	3	3	1.ð	3	<u> </u>	<u> </u>	<u> </u>		

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

Course	т	т	р	C	Credits	Inst.	Total		Marks	
Code	L	I	r	ð		Hours	Hours	CIA	External	Total
MP234CC3	5	1	-	-	5	6	90	25	75	100

SEMESTER IV CORE COURSE XII: NUMERICAL ANALYSIS

Pre-requisite:

Basic understanding of calculus, including differentiation and integration.

Learning Objectives:

- 1. Understand fundamental numerical analysis techniques and their applications.
- 2. Develop proficiency in implementing numerical algorithms using computational tools.

Course Outcomes

On the s	successful completion of the course, students will be able to:	
1	recall and list basic numerical methods covered in the course, including	K1
	root-finding algorithms and interpolation techniques.	
2	understand the principles behind key numerical algorithms such as	K2
	Newton's method, Gaussian elimination, and Runge-Kutta methods.	
3	apply numerical methods to solve algebraic equations, interpolate data	K3
	points, fit curves to data sets, and solve systems of linear equations.	
4	analyse the accuracy, convergence, and stability of numerical solutions	K4
	obtained using different techniques.	
5	evaluate the suitability and effectiveness of various numerical methods	K5
	for specific mathematical problems based on computational efficiency	
	and solution quality.	

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate; K6 – Create

Units	Contents	No. of Hours
I	Solution of Algebraic and Transcendental Equations - Introduction – Iteration Method- Newton-Raphson Method- Ramanujan's Method - Secant Method - Muller's Method. Chapter 2:2.1, 2.4 to 2.8	18
п	Differences of a polynomial - Newton's formulae for Interpolation - Central Difference Interpolation formulae - Gauss's central difference formulae - Stirling's formula - Bessel's formula - Everett's formula - Relation between Bessel's and Everett's formulae - Practical Interpolation. Chapter 3: 3.5 to 3.8	18
III	Least squares and Fourier Transforms - Introduction - Least squares Curve Fitting Procedure - Fitting a straight line - Multiple Linear Least squares - Linearization of Nonlinear laws - Curve fitting by Polynomials. Chapter 4: 4.1 and 4.2(4.2.1 to 4.2.4)	18
IV	Numerical Linear Algebra - Introduction - Triangular Matrices - LU Decomposition of a matrix - Solution of Linear systems - Direct Methods - Gauss elimination - Necessity for Pivoting - Gauss - Jordan method - Modification of the Gauss method to compute the inverse - LU Decomposition method - Solution of Linear systems - Iterative methods.	18

	Chapter 7: 7.1 to 7.3, 7.5(7.5.1 to 7.5.4 and 7.5.6), 7.6.	
v	Numerical Solution of Ordinary Differential Equations - Solution by Taylor's series - Euler's method - Runge - Kutta methods - II order and IV order, Numerical Integration – Trapezoidal Rule – Simpson's 1/3– Rule - Simpson's 3/8– Rule. Chapter 8: 8.1, 8.2, 8.4, 8.5; 6.4 (6.4.1 to 6.4.3)	18
	Total	90

Self- Numerical Solution of Ordinary Differential Equations - Solution by Taylor's series -study Picard's method of successive approximations.

Textbook:

1.Sastry S.S, 2012. Introductory Methods of Numerical Analysis, (5th Edition), PHI Learning PVT.Ltd, New Delhi

Reference Books:

- 1. Arumugam S, Thangapandi Issac A, Somasundaram A. 2013. Numerical Methods, (Second Edition), Scitech Publications PVT Ltd. Chennai.
- 2. Sangara Rao K. 2011. Numerical Methods for Scientists and Engineers, (Third Edition), PHI Learning PVT. Ltd, New Delhi.
- 3. Goel Mittal. 2011. Numerical Analysis. (21st Edition). Pragati Prakashan Educational Publishers.
- 4. Vedamurthy, V. N., & N. ch. S. N. Iyengar. 2009. Numerical Methods, Vikas Publishing House PVT. LTD, New Delhi.
- 5. Mullah S.A. 2011, Numerical Analysis and Computational Procedures, (Fourth Edition), Books and Allied (P) Ltd, Kolkata.

Web Resources:

- 1. https://www.siirt.edu.tr/dosya/personel/numerik-analiz-siirt-2019217142654486.pdf
- 2. https://pdfcoffee.com/numerical-methods-e-balaguruswamy-pdf-free.html
- 3. https://bayanbox.ir/view/1617240703537682923/Numerical-Analysis-By-Shanker-Rao.pdf
- 4. https://www.math.science.cmu.ac.th/docs/qNA2556/ref_na/Katkinson.pdf
- 5. https://zhilin.math.ncsu.edu/TEACHING/MA580/Stoer_Bulirsch.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	1	3	2	2	3	3	3	3	3
CO2	3	2	3	3	3	2	3	3	3	1	3	3
CO3	3	2	3	2	3	2	2	3	3	1	3	3
CO4	3	2	3	3	3	2	3	3	2	3	3	3
CO5	3	3	2	3	3	2	3	3	3	3	3	3
TOTAL	15	12	14	12	15	10	13	15	14	11	15	15
AVERAGE	3	2.4	2.8	2.4	3	2	2.6	3	2.8	2.2	3	3

ELECII	ELECTIVE COURSE VI: a) NETWORK SECONITI AND CRIFTOGRAFHI											
Course Code	т	т	р	G	C 14-	Inst Hound	Total	Marks				
Course Code	L	I	r	3	Creans	Inst. Hours	Hours	CIA		Total		
MP234EC1	4	-	-	-	3	4	60	25	75	100		

SEMESTER IV

ELECTIVE COURSE VI: a) NETWORK SECURITY AND CRYPTOGRAPHY

Pre-requisite:

Basic understanding of computer science fundamentals, including data structures and algorithms.

Learning Objectives:

- 1. To understand the fundamental principles and mechanisms of computer and network security, including security attacks, services, and encryption techniques.
- 2. To apply cryptographic protocols and techniques, such as symmetric and public-key encryption, message authentication codes, and user authentication protocols, to design and implement secure communication systems and protocols.

Course Outcomes

On the s	On the successful completion of the course, students will be able to:						
1	demonstrate proficiency in employing classical encryption techniques, including symmetric cipher models, substitution techniques, and transposition techniques, to secure data transmission and storage.	K3, K4					
2	design and implement message authentication mechanisms to verify the integrity and authenticity of transmitted data.	K3, K6					
3	analyze and identify various security attacks and vulnerabilities in computer and network systems.	K4					
4	evaluate the principles and algorithms of public-key cryptography for ensuring confidentiality, integrity, and authenticity in communication channels.	K5					
5	develop expertise in deploying user authentication protocols to authenticate remote users securely and manage access control in networked environments.	K6					

K3 – Apply; K4 - Analyse; K5 - Evaluate; K6 – Create

Units	Contents	No. of Hours
I	Computer and Network Security Concepts: Computer Security Concepts - Security Attacks – Security Services – Security Mechanisms- Classical Encryption Techniques : Symmetric Cipher Model – Substitution Techniques - Transposition Techniques. Chapter 1: Sections 1.1, 1.3, 1.4, 1.5 Chapter 3: 3.1, 3.2, 3.3	12
II	Public-Key Cryptography and RSA - Principles of Public-key Crypto systems – The RSA Algorithms – Other Public-Key Crypto systems: Diffie- Hellman Key Exchange – Elliptic Curve Cryptography – Cryptographic Hash functions – Applications of Cryptographic Hash Functions – Two Simple Hash Functions – Requirements and Security – Hash Functions Based on Cipher Block Chaining – Secure Hash Algorithm – SHA-3. Chapter 9: Sections 9.1, 9.2 Chapter 10: Sections 10.1, 10.4	12

	Chapter 11: Sections 11.1-11.6	
ш	Message Authentication Codes –Message Authentication Requirements – Message Authentication Functions – Requirements for Message Authentication Codes – Security of MACs – MACs Based on Hash Functions – MACs Based on Block Ciphers: DAA and CMAC – Digital Signatures. Chapter 12: Sections 12.1 – 12.6 Chapter 13: Section 13.1	12
IV	User Authentication - Remote User Authentications Principles – Remote User Authentication using Symmetric Encryptions – Kerberos – Remote User Authentication using Asymmetric Encryption – Electronic Mail Security – Pretty Good Privacy – S/MIME – Domain Keys Identified Mail. Chapter 15: Sections 15.1 – 15.4 Chapter 19: 19.4, 19.5, 19.9	12
v	Transport-Level Security – Web Security Considerations –Transport Layer Security – HTTPS – Secure Shell – Wireless Network Security – Wireless Security – Mobile Device Security. Chapter 17: Sections 17.1 – 17.4 Chapter 18: 18.1, 18.2	12
	Total	60

Self-study Ele	ectronic Mail Security – Pretty Good Privacy – S/MIME – Domain Keys
Ide	ntified Mail.

Textbooks:

- 1. William Stallings, 2017. *Cryptography and Network Security*, PHI/Pearson Education, 7th Edition.
- 2. Atul Kahate, 2013. *Cryptography and Network Security*, 1st Edition, McGraw-Hill Education.

Reference Books:

- 1. Behrouz. A. Forouzan, 2006. *Data Communications and Networking*, (5th Edition), Tata McGraw Hill.
- 2. Bruce Schneier, 2015. Applied Cryptography: Protocols, Algorithms, and Source Code in C, 2ndEdition, Wiley.
- 3. Charlie Kaufman, Radia Perlman, and Mike Speciner, 2002. *Network Security: Private Communication in a Public World*, 2nd Edition, Prentice Hall.
- 4. Douglas Stinson, 2005. *Cryptography: Theory and Practice*, 3rd Edition, CRC Press.
- 5. Michael T. Goodrich and Roberto Tamassia, 2010. *Introduction to Computer Security*, 1stEdition, Addison-Wesley.

Web Resources:

- 1. https://www.cs.vsb.cz/ochodkova/courses/kpb/cryptography-and-network-security_principles-and-practice-7th-global-edition.pdf
- 2. https://nayakuch.files.wordpress.com/2015/08/cryptography-network-security-atul-kahate.pdf
- 3. https://elcom-hu.com/Subjects/Computer/Compulsory/Communication/Data-Communications-and-Network-5e.pdf
- 4. https://mrajacse.files.wordpress.com/2012/01/applied-cryptography-2nd-ed-b-schneier.pdf

5. https://www.ic.unicamp.br/~rdahab/cursos/mo421-mc889/Welcome_files/Stinson-Paterson_CryptographyTheoryAndPractice-CRC%20Press%20%282019%29.pdf

AND PROGRAMME SPECIFIC OUTCOMES												
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	2	2	2	3	2	3	2	3	3
CO2	3	3	3	2	2	2	3	2	3	2	3	3
CO3	3	3	3	3	2	2	3	3	3	3	2	3
CO4	3	3	3	3	2	2	3	3	3	3	2	3
CO5	3	3	3	2	2	2	3	3	3	3	2	2
TOTAL	15	15	15	12	10	10	15	14	15	13	12	14
AVERAGE	3	3	3	2.4	2	2	3	2.8	3	2.6	2.2	2.4
				•	a.	• •		4 4				

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	Course	Codo	L	Т	Р	S	Credits	Inst. Hours	Total	Marks					
	Course	Coue	L	I	Г	0	Creatis	mst. nours	Hours	CIA	External	Total			
	MP23 4	EC2	4	-	-	-	3	4	60	25	75	100			
F	Pre-requisite:														
	1. Basic understanding of computer science fundamentals, including data structures and														
		gorithm													
				-	cor	ncep	ots such as	IP addressing,	routing,	and sw	itching.				
Ι	learning														
								principles and	compon	ents of	network h	ardware,			
							otocols.								
		•				-		working conc	-		•	r design,			
	ro	uting al	gori	thm	s, co	ong		trol, and transp	ort layer	protoco	ols.				
								rse Outcomes							
(_				rse, students v							
	1							tanding of ne				K2			
								P/IP), and the	architect	ure of	the Public				
		Switch	ed 7	Tele	pho	ne N	Jetwork (F	PSTN).							
	2							ervices of the		•	•	K2, K	ζ4		
		protoco	ols	such	n as	ΗT	TTP for w	veb communic	cation, ar	nd unde	erstand the				
		princip	les	of st	rear	ning	g media ar	nd real-time co	nferencir	ig over	networks.				
	3	0				•	-	s, analyze erro				K3, k	4۲		
		technic	lues	, a	nd	im	plement 1	routing algor	ithms fo	or effi	cient data				
		transm													
	4							ngestion contro				K3, k	ζ4		
		conges	tion	co	ontro	ol a	lgorithms	, and implen	nent traf	fic-awa	re routing				
								erformance.							
	5							lyzing and im				K4			
		-		-		-		cluding conn	ection es	tablish	ment, data				
		transfe	r, ar	nd co	onne	ectio	on release	mechanisms.							

SEMESTER IV

ELECTIVE COURSE VI :b) FOUNDATIONS OF COMPUTER NETWORKING

K2 - Understand; K3 – Apply; K4 - Analyse;

Units	Contents	No. of
		Hours
I	Introduction – Network Hardware: Local Area Networks – Wide Area Networks. Reference Models: The OSI Reference Model – The TCP/IP Reference Model – The Physical Layer – Guided Transmission Media – Magnetic Media – Twister Pairs – Coaxial Cable – Power Lines – Fiber Optics. Chapter 1: 1.2 – 1.2.2, 1.2.4, 1.4 – 1.4.1, 1.4.2 Chapter 2: 2.2	12
II	The Public Switched Telephone Network: Structure of the Telephone System – The Local Loop: Modems, ADSL and Fiber – Switching. The Data Link Layer: Data Link Layer Design Issues: Framing– Error Detection and Correction: Error-Correcting Codes – Error-Detecting Codes–Sliding Window Protocols: A One-Bit Sliding Window Protocol – A Protocol using Go-Back – A Protocol using Selective Repeat. Chapter 2: 2.6 – 2.6.1, 2.6.3, 2.6.5	12

	Chapter 3: 3.1 – 3.1.2, 3.2, 3.4	
ш	The Network Layer – Network Layer Design Issues: Store-and- Forward Packet Switching – Routing Algorithms: Shortest Path Algorithm – Distance Vector Routing – Congestion Control Algorithms: Approaches to Congestion Control – Traffic-Aware Routing. Chapter 5: 5.1 – 5.1.1, 5.2 – 5.2.2, 5.2.4, 5.3 – 5.3.1, 5.3.2	12
IV	The Transport Layer – Congestion Control: Desirable Bandwidth Allocation – Regulating the Sending Rate – Wireless Issues – The Internet Transport Protocols: Introduction to TCP – The TCP Protocol – The TCP Segment Header – TCP Connection Establishment – TCP Connection Release. Chapter 6: 6.3, 6.5 – 6.5.1, 6.5.3, 6.5.4, 6.5.5, 6.5.6	12
v	The Application Layer – Electronic Mail: Architecture and Services – The User Agent – Message Formats – Message Transfer – Final Delivery – The World Wide Web: Architectural Overview – Static Web Pages – Dynamic Web Pages and Web Applications – HTTP-The Hyper Text Transfer Protocol – The Mobile Web – Web Search – Streaming Audio and Video: Digital Audio – Digital Video – Streaming Stored Media – Streaming Live Media – Real-Time Conferencing. Chapter 7: 7.2, 7.3, 7.4	12
	Total	60

Self-study	The World Wide Web: Architectural Overview – Static Web Pages – Dynamic Web
	Pages and Web Applications – HTTP-The Hyper Text Transfer Protocol – The
	Mobile Web – Web Search

Textbooks:

- 1. Andrew S. Tanenbaum, and David J. Wetherall, 2010. *Computer Networks*, (5th Edition), Prentice Hall of India.
- 2. James F. Kurose and Keith W. Ross, 2016. *Computer Networking: A Top-Down Approach*, (7th edition), Pearson Education.

Reference Books:

1. Behrouz. A. Forouzan, 2006. *Data Communications and Networking*, (5th Edition), Tata McGraw Hill.

2. F. Halsall, 2008. *Data Communications, Computer Networks and Open Systems*, Pearson Education.

- 3. D. Bertsekas and R. Gallagher, 2008. *Data Networks*, (2nd Edition), Prentice Hall of India
- 4. Larry L. Peterson and Bruce S. Davie, 2011. Computer Networks: A Systems Approach, (5th edition), Morgan Kaufmann.
- 5. Olivier Bonaventure, 2013. *Computer Networking: Principles, Protocols and Practice* (1st edition), Create Space Independent Publishing Platform.

Web Resources:

- 1. https://csc-knu.github.io/sys-prog/books/Andrew%20S.%20Tanenbaum%20%20Computer%20Networks.pdf
- 2. https://www.ucg.ac.me/skladiste/blog_44233/objava_64433/fajlovi/Computer%20Net working%20_%20A%20Top%20Down%20Approach,%207th,%20converted.pdf
- 3. https://elcom-hu.com/Subjects/Computer/Compulsory/Communication/Data-Communications-and-Network-5e.pdf

- https://resources.saylor.org/wwwresources/archived/site/wpcontent/uploads/2012/02/Computer-Networking-Principles-Bonaventure-1-30-31-OTC1.pdf

AND PROGRAMME SPECIFIC OUTCOMES												
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	2	2	2	3	2	3	2	3	3
CO2	3	3	3	2	2	2	3	2	3	2	3	3
CO3	3	3	3	3	2	2	3	3	3	3	2	3
CO4	3	3	3	3	2	2	3	3	3	3	2	3
CO5	3	3	3	2	2	2	3	3	3	3	2	2
TOTAL	15	15	15	12	10	10	15	14	15	13	12	14
AVERAGE	3	3	3	2.4	2	2	3	2.8	3	2.6	2.2	2.4
				2	C4	- 2 1	T - J ¹	. 1 T				

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

Course Code L T P S Credits Inst. Hours Total Hours Marks CIA External Total										
Course Code L I P S Creans Inst. Hours Hours CIA External Total										
MP234EC3 4 3 4 60 25 75 100										
Pre-requisite:										
Basic understanding of computer science fundamentals, including data structures and										
algorithms.										
Learning Objectives:										
1. To understand the fundamental concepts of networking, including line										
configuration, topology, transmission modes, and categories of networks.										
2. To comprehend the OSI model and its layers, along with the functions of each										
layer in the context of the TCP/IP protocol suite.										
Course Outcomes										
On the successful completion of the course, students will be able to:										
1 understand the concepts of data terminal equipment (DTE) and data K2										
circuit-terminating equipment (DCE) interfaces, and functionality of										
modems, including 56K modems and cable modems, in digital data										
transmission.										
2 explain the OSI model and the functions of its layers and apply this K2 , F										
knowledge to understand the operation of the TCP/IP protocol suite.										
3 understand the encoding and modulation techniques and gain knowledge K2 , F										
of digital-to-digital, analog-to-digital, digital-to-analog, and analog-to-										
analog conversion methods, along with their applications in data										
transmission.										
4 describe and analyze line configurations, topologies, transmission modes, K4										
and various categories of networks.										
5 distinguish between analog and digital signals, describe their K4										
characteristics, and analyze their representation in both time and										
frequency domains.										

SEMESTER IV ELECTIVE COURSE VI: c) DATA COMMUNICATION

K2 - Understand; **K3** – Apply; **K4** - Analyse;

Units	Contents	No. of
		Hours
Ι	Basic Concepts: Line Configuration – Topology – Transmission Mode – Categories of Networks – Internet Works. Chapter 2: Sections 2.1 – 2.5	12
II	The OSI Model: The Model – Functions of the Layers – TCP/IP Protocol Suite. Chapter 3: Sections 3.1 –3.3	12
Ш	Signals: Analog and Digital – Periodic and Aperiodic Signals – Analog Signals – Time and Frequency Domains – Composite Signals – Digital Signals. Chapter 4: Sections 4.1 – 4.6	12
IV	Encoding and Modulating: Digital-to-Digital Conversion – Analog-to- Digital Conversion – Digital-to-Analog Conversion – Analog-to-Analog Conversion. Chapter 5: Sections 5.1 – 5.4	12
V	Transmission of Digital Data: Interfaces and Modems: Digital Data	12

Transmission - DTE-DCE Interface - Other Interface Standards -	
Modems – 56K Modems – Cable Modem.	
Chapter 6: Sections $6.1 - 6.6$	
Total	60

Self-study	Encoding and Modulating: Digital-to-Digital Conversion – Analog-to-Digital
	Conversion – Digital-to-Analog Conversion – Analog-to-Analog Conversion

Textbooks:

- 1. Behrouz. A. Forouzan, 2006. *Data Communications and Networking*, (5th Edition), Tata McGraw Hill.
- 2. Andrew S. Tanenbaum, and David J. Wetherall, 2010. *Computer Networks*, (5th Edition), Prentice Hall of India.

Reference Books:

- 1. F. Halsall, 2008. *Data Communications, Computer Networks and Open Systems*, PearsonEducation.
- 2. D. Bertsekas and R. Gallagher, 2008. *Data Networks*, (2nd Edition), Prentice Hall of India
- 3. Larry L. Peterson and Bruce S. Davie, 2011. Computer Networks: A Systems Approach, (5th edition), Morgan Kaufmann.
- 4. Olivier Bonaventure, 2013. *Computer Networking: Principles, Protocols and Practice* (1st edition), Create Space Independent Publishing Platform.
- 5. W. Richard Stevens, Gary R. Wright, and Kevin R. Fall, 2011. *TCP/IP Illustrated*, *Volume 1*: The Protocols, (1st edition), Addison-Wesley Professional.

Web Resources:

- 1. https://csc-knu.github.io/sys-prog/books/Andrew%20S.%20Tanenbaum%20 %20Computer%20Networks.pdf
- 2. https://www.ucg.ac.me/skladiste/blog_44233/objava_64433/fajlovi/Computer%20Net working%20_%20A%20Top%20Down%20Approach,%207th,%20converted.pdf
- 3. https://elcom-hu.com/Subjects/Computer/Compulsory/Communication/Data-Communications-and-Network-5e.pdf
- 4. https://titania.eng.monash.edu/netperf/docs/computer-networks-peterson-davie-v6.0.pdf
- https://resources.saylor.org/wwwresources/archived/site/wpcontent/uploads/2012/02/Computer-Networking-Principles-Bonaventure-1-30-31-OTC1.pdf

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	2	2	2	3	2	3	2	3	3
CO2	3	3	3	2	2	2	3	2	3	2	3	3
CO3	3	3	3	3	2	2	3	3	3	3	2	3
CO4	3	3	3	3	2	2	3	3	3	3	2	3
CO5	3	3	3	2	2	2	3	3	3	3	2	2
TOTAL	15	15	15	12	10	10	15	14	15	13	12	14
AVERAGE	3	3	3	2.4	2	2	3	2.8	3	2.6	2.2	2.4

^{3 –} Strong, 2- Medium, 1- Low

SEMESTER IV ELECTIVE COURSE V: a) APPLICATIONS OF MATHEMATICS IN ARTIFICIAL INTELLIGENCE

Course Code	т	Ŧ	р	G	Credita	Inst Hound	Total		Marks	
Course Code	L	I	r	3	Creans	edits Inst. Hours		CIA	External	Total
MP234EC4	4	-	-	1	3	4	60	25	75	100

Pre-requisite:

Basic understanding of Linear Algebra, Calculus and Probability Theory and Familiarity with Python Programming

Learning Objectives:

1. Understand the fundamental mathematical concepts essential for AI.

2. Develop the ability to apply mathematical principles and algorithms to solve real world problems in AI.

Course Outcomes

On the	successful completion of the course, students will be able to:	
1.	demonstrate proficiency in mathematical concepts as applied toAI	K3
2.	apply mathematical algorithms to build, train, AI models using the programming language Python	K3
3.	analyse and interpret the behaviour of AI models using mathematical techniques	K4
4.	tackle a variety of AI challenges using mathematical reasoning and analytical techniques	K5
5.	propose novel approaches and solutions to complex problems in AI	K6
	K3 – Apply; K4 - Analyse; K5 - Evaluate; K6 - Create	

Units	Contents	No. of Hours
Ι	Introduction to Artificial Intelligence: Overview of AI concepts and applications, Role of mathematics in AI.	12
II	Linear Algebra and AI: Vectors and matrices, matrix operations and properties, Eigen values and eigenvectors, Singular Value Decomposition (SVD)	12
III	Calculus for AI: Differentiation and gradients, Optimization techniques, Gradient Descent, Stochastic Gradient Descent, Calculus of variations	12
IV	Probability and Statistics for AI: Probability distributions, Bayes' Theorem and conditional probability, expectation, variance, covariance, Statistical inference	12
V	Applications and Case Studies: Real world applications of AI with a focus on mathematical principles, Case studies and projects	12
	Total	60

Self-studyReal world applications of AI with a focus on mathematical principlesTextbook:

1.Marc Peter Deisenroth, Aldo Faisal A, Chen Soon Ong. 2020. *Mathematics for Machine Learning*, (First Edition), Cambridge University Press.

Reference Books:

1. Christopher M. Bishop. 2006. Pattern Recognition and Machine Learning, (First Edition), Springer.

2. Gilbert Strang. 2005. Linear Algebra and Its Applications, Fourth Edition

3.Joseph K. Blitztein, Jessica Hwang. 2019. *Introduction to Probability*, Second Edition), CRC Press.

4.Ian Goodfellow, Yoshua Bengio, Aaron Courville. 2002. *Deep Learning*, (Fourth Edition), Pearson Education.

5.Gareth James, Daniela Witten, Trevor Hastie, and Robert Tibshirani. *Introduction to Statistical Learning*, (Third Edition)

Web Resources:

1.https://www.khanacademy.org/math/linear-algebra

2. Coursera - Probability and Statistics

3. https://ocw.mit.edu/courses/18-02sc-multivariable-calculus-fall-2010/

4. https://ocw.mit.edu/courses/18-05-introduction-to-probability-and-statistics-spring-2022/

5. https://web.stanford.edu/class/ee364a/

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	3	3	3	3	3	3	3	3	3
CO2	3	3	3	3	3	3	3	3	3	3	3	3
CO3	3	3	3	2	3	3	3	3	3	3	3	3
CO4	3	3	3	2	2	3	3	3	3	3	3	3
CO5	3	3	3	3	3	3	3	3	3	3	3	3
TOTAL	15	15	15	13	14	15	15	15	15	15	15	15
AVERAGE	3	3	3	2.6	2.8	3	3	3	3	3	3	3

3 – Strong, 2- Medium, 1- Low

SEMESTER IV

ELECTIVE COURSE VII: b) FINANCIAL MATHEMATICS

Course	L	Т	Р	S	Credits	Inst.	Total		Marks	
Code						Hours	Hours	CIA	External	Total
MP234EC5	3	1	-	-	3	4	60	25	75	100

Pre-requisite:

Basic Knowledge of Calculus I for Mathematical and Physical Sciences.

Learning Objectives:

- 1. To lay theoretical foundation with potential applications to financial problems.
- 2. To provide efficient introduction to theoretical skills that are genuinely used in financial institutions.

Course Outcomes

On the	successful completion of the course, student will be able to:	
1	gain a solid understanding of interest rates, present value analysis and their role in financial decision-making.	K1
2	understand the principles of arbitrage and its application in pricing various financial contracts, including options.	K2
3	comprehend the Arbitrage Theorem and its implications in identifying and exploiting pricing inefficiencies in financial markets.	К3
4	develop familiarity with the Black-Scholes Formula, its properties and its application in options pricing.	K4
5	apply learned concepts to solve practical problems in options pricing, delta hedging strategies and identifying arbitrage opportunities in financial markets.	K5

K1 - Remember; K2 - Understand; K3 - Apply; K4 - Analyze; K5 - Evaluate

Units	Contents	No. of Hours
Ι	Interest Rates and Present Value Analysis Interest Rates – Present Value Analysis – Rate of Return – Continuously Varying Interest Rates. Section: 4.1 – 4.4	12
II	Pricing Contracts via Arbitrage An Example in Options Pricing – Other Examples of Pricing via Arbitrage. Section: 5.1 – 5.2	12
ш	The Arbitrage Theorem The Arbitrage Theorem – The Multiperiod Binomial Model – Proof of the Arbitrage Theorem. Section: $6.1 - 6.3$	12
IV	Introduction to the Black Scholes Formula – Properties of the Black – Scholes option cost – The Delta Hedging Arbitrage Strategy Section : 7.1 – 7.4	12

V	Some Derivations – European put options – Exercises Section : 7.5 – 7.7	12
	Total	60

Self- Study	Interest Rates

Textbook:

Sheldon M. Ross (2011), *An Elementary Introduction to Mathematical Finance*, 3rd Edition. Cambridge University Press.

Reference Books:

- 1. S.M. Ross (2002). *A First Course in Probability*, Englewood cliffs Prentice Hall NJ.
- 2. J. Cox, M. Rubinstein (1985). *Option Market*, Englewood cliffs Prentice Hall NJ.
- 3. J.E.Ingersill(1987). *Theory of Financial decision Making*, Lanjarn MD Rowerman of Little Fields.
- 4. Salih N. Neftci (2013). *An Introduction to the Mathematics of Financial Derivatives, Academic Press.*
- 5. Tomas Bjork (2009). Arbitrage Theory in Continuous Time, OUP Oxford.

Web Resources:

- 1. https://catdir.loc.gov/catdir/samples/cam033/2002073603.pdf
- 2. https://en.m.wikipedia.org/wiki/Geometric_Brownian_motion
- 3. https://www.sciencedirect.com/topics/economics-econometrics-and-finance/arbitrage-pricing
- 4. http://www.tcs.tifr.res.in/~sandeepj/avail_papers/chapter.pdf
- 5. http://plus.maths.org/content/what-financial-mathematics

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	2	2	2	3	2	3	2	2	3	2
CO2	3	3	2	2	3	2	2	3	2	2	3	2
CO3	3	3	2	3	2	2	2	3	2	2	3	2
CO4	3	3	2	2	2	3	2	3	2	2	3	2
CO5	3	3	3	3	3	2	2	3	2	2	3	3
TOTAL	15	15	11	12	12	12	10	15	10	10	15	11
AVERAGE	3	3	2.2	3	2.6	2.2	2	3	2	2	3	2.2

					SEN	MESTER IV		
]	ELE	CCT	IVE	E CO	OURSE V	TI: c) STOCH	ASTIC	PROCESS
							Total	Morks

	ELECTIVE COURSE VII. C) STOCHASTIC I ROCESS												
Course Code	т	т	T P S Credits Inst. Hours				Total	Marks					
Course Code	L	1	r	Э	Creans	Inst. Hours	Hours	CIA	External	Total			
MP234EC6	3	1	-	-	3	4	60	25	75	100			

Pre-requisite:

Basic Probability Theory

Learning Objectives:

1.To understand the stochastic models.

2.To relate the models studied to real life probabilistic situations.

Course Outcomes

On the	successful completion of the course, students will be able to:	
1.	recall the basic results of Markov Chains as Graphs- Higher Transition	K1
	Probabilities	
2.	understand Stability of a Markov System	K2
3.	apply Generalisations of Poison Process-Poison Process in Higher Dimensions-	K3
4.	determine Discrete Stat Space-Introduction-Chapman-Kolmogorov Equations	K4
5.	calculate the possible partitions of a given number and draw Ferrer's graph	K5

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate;

Units	Contents	No. of Hours
Ι	Stochastic Processes: An Introduction-Specification of Stochastic Processes- Definition and Examples-Transition Matrix (or Matrix of Transition Probabilities)- Order of a Markov Chain- Markov Chains as Graphs- Higher Transition Probabilities- Generalisation of Independent Bernoulli Trials: Sequence of Chain-Dependent Trials-Markov-Bernoulli Chain-Correlated Random Walk-Classification of States and Chains- Communication Relations-Class Property-Classification of Chains-Classification of States: Transient and Persistent(Recurrent) States .	15
II	Determination of Higher Transition Probabilities-Aperiodic Chain: Limiting Behaviour-Stability of a Markov System –Computation of the Equilibrium Probalities-Graph Theoretic Approach-Markov Chain with Denumerable Number of States-Reducible Chains-Finite Reducible Chains with a Single Closed Class-Chain with One Single Class of Persistent Non-null Aperiodic States-Absorbing Markov Chains-Extension: Reducible Chain with one Closed class of Persistent Aperiodic States- Further Extension: Reducible Chains with more than one Closed Class	15
ш	Poisson Process-Introduction-Postulates for Poisson Process-Properties of Poisson Process-Poisson Process and Related Distributions-Interarrival Time-Further Interesting Properties of Poison Process-Generalisations of Poison Process-Poison Process in Higher Dimensions-Poisson Cluster Process(Compound or Cumulative Poisson Process)	15
IV	Birth and Death Process-Particular Cases-Markov Processes with DiscreteStatSpace-Introduction-Chapman-KolmogorovEquations-Limiting	15

	Distribution (Erodicity of Homogeneous Markov Process).Stationary Processes-Second-Order Processes-Stationarity-Gaussian Processes	
V	Time Series : Introduction-Purely Random Process –First Order Markov Process-Moving Average(MA) Process-Autoregressive Process(AR Process)-Autoregressive Process of Order Two(Yule Process)- Autoregressive Morning Average Process(ARMA Process)-time and Frequency Domain:Power Supremum-Properties of Covariance and Correlation Functions-Continuous Parameter Processes-Statistical Analysis of Time Series : Some Observations	15
	Total	75

Self-studyClassification of States and Chains- Communication Relations-Class Property

Textbooks:

1. Medhi, J., 1994. *Stochastic Processes*, Third Edition, New Age International Publishers, New Delhi.

Chapter 2: Sections 2.1 - 2.9

- Chapter 3: Sections 3.1, 3.2, 3.3 (3.3.1, 3.3.2), 3.4, 3.5 (except 3.5.4)
- Chapter 4: Sections 4.1, 4.3 (except 4.3.5 4.3.7), 4.4

Chapter 8: Sections 8.1 - 8.4

2. Medhi, J., 1994. *Stochastic Processes*, Second Edition, New Age International Publishers, New Delhi.

Reference Books:

- 1. Bhat, U. N., 1972. *Elements of Applied Stochastic Processes*, Second Edition, John Wiley & Sons, New York.
- 2. Prabhu, N. V., 1970. Stochastic Processes, Mac Millon, New York.
- 3. Bhat, B. R., 2010. *Stochastic Models Analysis and Applications*, New Age International (P) Limited Publishers.
- 4. Veerarajan, T., 2006. *Probability, Statistics and Random Processes*, Tata McGraw-Hill Publishing Company Limited.
- 5. Chaudhri, S. K., & Chakraborthy, A. K., 2009. Statistical Methods, Asian.

Web Resources:

1.https://ocw.mit.edu/courses/18-445-introduction-to-stochastic-processes-spring-2015/

2.https://web2.uwindsor.ca/math/hlynka/stochnotes.html

3.https://www.cambridge.org/highereducation/books/stochastic-processes/

4.https://www.edx.org/learn/stochastic-processes

5. https://www.sciencedirect.com/journal/stochastic-processes-and-their-applications

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	M (D I KOOK MINICE SI LEII IE OUI COMES											
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	3	3	3	1	3	2	2	3	3	3	3	3
CO2	3	2	3	3	3	2	3	3	3	1	3	3
CO3	3	2	3	2	3	2	2	3	3	1	3	3
CO4	3	2	3	3	3	2	3	3	2	3	3	3
CO5	3	3	2	3	3	2	3	3	3	3	3	3
TOTAL	15	12	14	12	15	10	13	15	14	11	15	15
AVERAGE	3	2.4	2.8	2.4	3	2	2.6	3	2.8	2.2	3	3

SEMESTER IV SKILL ENHANCEMENT COURSE III: TRAINING FOR COMPETITIVE EXAMINATIONS

Course Code	т	т	р	C	Credita	Inst Hound	Total	Marks				
Course Code	L	I	r	ð	Creans	Inst. nours	Hours	CIA	External	Total		
MP234SE1	4	-	-	-	2	4	60	25	75	100		

Pre-requisite:

Strong foundation in algebraic fundamentals, basic number theory, and familiarity with sets and set operations.

Learning Objectives:

1. To solve problems needed for various competitive examinations.

2.To develop a comprehensive understanding of algebraic principles enabling proficient problem-solving in various Mathematical contexts.

Course Outcomes

On the successful completion of the course, students will be able to:							
1.	describe the concepts of topological properties of metric spaces.	K1					
2.	associate the concept of continuity and connectedness	K2					
3.	apply Cauchy's integral formula and Maximum modulus principle to evaluate integral	K3					
4.	outline Liouville's theorem and open mapping theorem	K4					
5.	built the mental ability to face GATE, CSIR and SET examinations	K5					
	K1 - Remember: K2 - Understand: K3 - Apply: K4 - Applyse: K5 - Evaluate	د					

K1 - Remember; K2 - Understand; K3 – Apply; K4 - Analyse; K5 - Evaluate

Units	Contents	No. of
		Hours
Ι	Problems in metric spaces- Convergence Complete.	12
II	Problems in metric spaces- Connected Continuity- totally bounded.	12
III	Problems in algebra of complex numbers- the complex plane – polynomials- Power Series – transcendental functions such as exponential trigonometric and hyperbolic functions- Analytic Functions Cauchy – Riemann equations	12
IV	Problems in contour integral, Cauchy theorem Cauchy's integral formula Liouville's theorem, Maximum modulus principle Schwarz lemma open mapping Theorem	12
V	Problem in Taylors Series, Laurents Series, calculus of residues, Conformal mappings, Mobius transformations	12
	Total	60

Self-studyProblem in Taylors Series, Laurents Series, calculus of residues, Conformal
mappings, Mobius transformations

Textbooks:

1. Singh A. P, *CSIR-UGC NET Mathematics*, First Edition, Infostudy Publications **Reference Books:**

1. Walter Rudin, 1991. Functional Analysis, Second Edition, Mc Graw-Hill, Inc., New York

2. CSIR-UGC NET/ SET Eligibility for lectureship Examination Mathematical Sciences 2011. Sakthi Publishing House, Chennai.

3.David S. Dummit, Richard M. Foote, 2004. *Abstract Algebra*, John Wiley & Sons, Inc.

4.Van Lint J. H, Wilson R. M, 2001. A Course in Combinatorics, Second Edition, Cambridge University Press, New York.

5. Charles C. Pinter, 1990. A Book of Abstract Algebra, Second Edition, Dover Publications, Inc., Mineola, New York.

Web Resources:

1. https://testbook.com/objective-questions/mcq-on-problem-on-trains--5eea6a1039140f30f369e863

- 2. https://www.indiabix.com/aptitude/boats-and-streams/
- 3. https://www.khanacademy.org/math/algebra
- 4. http://mathworld.wolfram.com/Ring.html
- 5. https://brilliant.org/wiki/inclusion-exclusion-principle/

0.110	MAPPING WITH PROGRAMME OUTCOMES												
AND PROGRAMME SPECIFIC OUTCOMES													
	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5	
CO1	3	2	3	3	2	3	2	3	2	2	2	2	
CO2	3	2	3	3	3	2	2	3	2	2	2	2	
CO3	3	2	3	3	3	3	2	2	3	2	2	2	
CO4	3	2	3	3	2	2	2	3	2	2	2	2	
CO5	3	2	3	3	3	3	2	2	3	2	2	2	
TOTAL	15	10	15	15	13	11	10	15	10	10	10	10	
AVERAGE	3	2	3	3	2.6	2.2	2	3	2	2	2	2	

3 – Strong, 2- Medium, 1- Low

SEMESTER IV SELF LEARNING COURSE: CALCULUS OF VARIATIONS AND INTEGRAL EQUATIONS

Course Code	Credit	Marks					
Course Code	Credit	CIA	External	Total			
MP234SL1	1	25	75	100			

Pre-requisite

Basic Knowledge of differentiation and integration

Learning Objectives

- 1.To understand variational methods for solving differential equations
- 2. To know different integral equations and methods of solving them.

Course Outcomes

On the s	successful completion of the course, students will be able to:	
1	find extreme values of functionals.	K2
2	solve boundary value problems through integral equations using Green's function.	K3
3	analyse variational problems with moving boundaries.	K4
4	use Green's function in reducing boundary value problems to integral equations.	K5
5	know functionals and the construction of Euler's equation.	K6

K2 - Understand; K3 - Apply; K4 - Analyze; K5– Evaluate; K6- Create

Units	Contents
Ι	The Calculus of Variations Introduction – Functionals – Euler's equations – Geodesics – Variational problems involving several unknown functions. Chapter 9: 1 – 11
Ш	Functionals dependent on higher order derivatives – Variational problems involving several independent variables – Constraints and Lagrange multipliers – Isoperimetric problems – The general variation of a functional – Variational problems with moving boundaries. Chapter 9: 12 – 17
III	Hamilton's principle – Lagrange's equations – Sturm-Liouville's problem and Variational Methods (Rayleigh's Principle) – The Ritz Method. Chapter 9: 18 – 21
IV	Integral Equations – Introduction – Relation between differential and integral equations – Relationship between Linear differential equations and Volterra integral equations – The Green's function and its use in reducing boundary value problems to integral equations. Chapter 10: 1 – 5
V	Fredholm equations with separable kernels – Fredholm equations with symmetric kernels : Hilbert Schmidt theory – Iterative methods for the solution of integral equations. Chapter 10: 6 – 9

Textbook

1.Dr. M.K.Venkataraman, 2001, *Higher Mathematics for Engineering and Sciences*, The National publishing Company, Chennai

Reference Books

- 1. Francis. B. Hildebrand, 1968, *Methods of Applied Mathematics*, Prentice-Hall of India Pvt. Ltd., New Delhi, Second Edition.
- 2. Krasnov, Kiselu and Marenko, 1971, Problems and Exercises in Integral Equations, MIR Publishers.
- 3. Ram. P. Kanwal, 2011, *Linear Integral Equations Theory and Techniques*, Academic Press, New York,
- 4. Gupta A,S.2015, Calculus of Variations with Applications, PHI Learning Private Limited, Delhi
- 5. Robert Weinstock, 1974, *Calculus of Variations with Applications to Physics and Engineering*, Dover Publications

Web Resources

- 1. https://www.youtube.com/watch?v=SQLxrr9N8zM
- 2. https://www.youtube.com/watch?v=GiPOQC5nYMs
- 3. https://www.youtube.com/watch?v=zIbNv6F-kN8
- 4. https://www.youtube.com/watch?v=NehZXmQPEYU
- 5. https://www.youtube.com/watch?v=muNi4awjHss

MAPPING WITH PROGRAMME OUTCOMES AND PROGRAMME SPECIFIC OUTCOMES

	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PSO1	PSO2	PSO3	PSO4	PSO5
CO1	2	2	3	2	3	2	3	3	3	3	2	2
CO2	2	2	3	2	3	2	3	3	3	3	2	2
CO3	2	2	3	2	3	2	3	3	3	3	2	2
CO4	3	2	3	2	3	2	3	3	3	3	3	3
CO5	3	2	3	2	3	2	3	3	3	3	3	3
TOTAL	12	10	15	10	15	10	15	15	15	15	12	12
AVERAGE	2.4	2	3	2	3	2	3	3	3	3	2.4	2.4

3 – Strong, 2- Medium, 1- Low

LIFE SKILL I KAINING – II - VALUES											
Course	L	Т	р	S	Credits	Inst. Hours	Total	Marks			
Code			r				Hours	CIA	External	Total	
PG23LST2	1	•	•	•	1	1	15	50	50	100	

SEMESTER III & IV LIFE SKILL TRAINING – II - VALUES

Pre-requisites: Value education-its purpose and significance in the present world **Learning Objectives**

- **1.** To guide students in making wise choices and decisions, and to help them discover the true purpose of their lives.
- **2.** To ensure students not only grasp the concept of values but also incorporate them into their actions and attitudes.

Course Outcomes

On completion of this course the student will be able to					
1	recognize the perception of life and lead a positive life	K1			
2	understand relationship with family, friends and the society	K2			
3	develop as socially responsible citizens.	K3			
4	assess goals, fix targets and value life	K4			
5	create a peaceful, communal community and embrace unity.	K6			
	K1 Domombor K2 Understand: K2 Apply: K4 Applying K6 C	rooto			

K1-Remember; K2-Understand; K3-Apply; K4 – Analyse; K6- Create

Units	Contents	No. of					
		Hours					
I	 Positive Thinking - Why you should change your thinking? – How to became a better thinker- Putting yourself in the right place to think- Portrait of the good thinker. Habits- Habits vs. Addiction- Why are life styles changes so difficult to hold on to? - Habit Swapping. 						
п	 Art of Listening- Many faces of speech- To be truly present- Valuing the other- Activating the subconscious. Leadership- Introduction- Who is a better leader? - Qualities of a Leader- You too can be a leader. 	3					
III	 Interpersonal Relationship- Introduction - Factors that build trust- Steps to build a positive personality. Managing Emotions- 7 'Root' emotions- Importance of managing emotions- Why is it important to manage emotions? 	3					
IV	 Stress Management – Highly effective tips for relieving stress- Fast-Acting Self Relief Strategies. Anger Management: Effects of anger – Tips to reduce anger – Anger warning signs – Identify your triggers – Ways to cool down your anger. 	3					
V	 Forgiveness- What is forgiveness- Value of forgiveness- Benefits of forgiving- Self-forgiveness. Gratitude – What is gratitude? – How gratitude arises? –Features of gratitude – Gratitude is recognizing and acknowledging. 	3					
	TOTAL	15					
-	Salient values for life, Human Rights, Social Evils and how to tackle th ng, Duties and responsibilities.	em,					

Textbooks

Life Skill Training – II, Holy Cross College (Autonomous), Nagercoil

Reference Books

- 1. Holy Cross College (Autonomous), Nagercoil (2007). Foundation Course Life's Challenges. Sipca Computers.
- 2. Mathew, Sam (2010). Self Help Life Book. Opus Press Publisher.
- 3. Romuald Andrade. (2015). *Habit Triggers: How To Create Better Routines And Success Rituals To Make Lasting Changes In Your Life*. Kindle Edition.
- 4. William Fergus Martin. (2014). Four Steps to Forgiveness: A Powerful Way To Freedom, Happiness And Success. Findhorn Press.
- 5. Robert A. Emmons and Joanna Hill (2001). *Words Of Gratitude for Mind, Body, and Soul.* USA: Templeton Foundation Press.

Web Resources

- 1.https://www.mayoclinic.org/healthy-lifestyle/stress-management/in-depth/positive-thinking/art-20043950
- 2.https://jamesclear.com/habits
- 3.https://www.skillsyouneed.com/ps/managing-emotions.html
- 4.https://emeritus.org/in/learn/what-is-leadership/
- 5.https://www.verywellmind.com/how-to-maintain-interpersonal-relationships-5204856